4321 gauge model for B-anomalies

CrossTalk Workshop: Flavour anomalies

Vrije Universiteit Brussel - 29.03.2018

Luca Di Luzio



[Based on: LDL, Nardecchia 1706.01868 LDL, Greljo, Nardecchia, 1708.08450 LDL, Kirk, Lenz 1712.06572 LDL, Fuentes-Martin, Greljo, Nardecchia, Renner - work in progress]



01/19

- I. Review of "B-anomalies"
 - charged currents
 - neutral currents
- 2. Combined explanations
 - EFT
 - Simplified models



Review of "B-anomalies"



"B-anomalies"

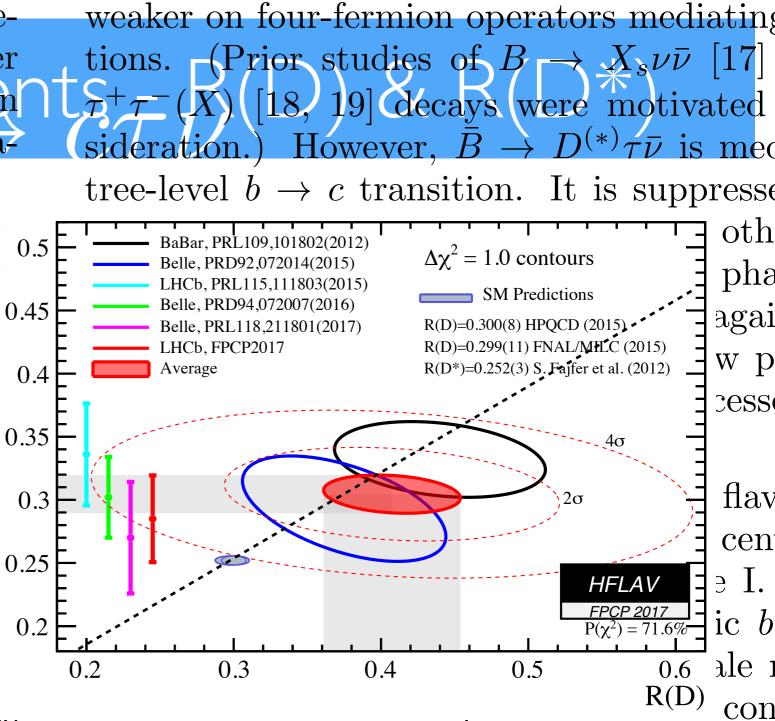
• A seemingly coherent pattern of SM deviations building up since ~ 2013

	$b \rightarrow c \tau \nu$	$b \rightarrow s \mu \mu$		
	$b = \frac{W}{c} c$	$\overline{b} \qquad \overline{t}, \overline{c}, \overline{u} \qquad \overline{z} \qquad \overline{s}$		
Lepton Universality	R(D), R(D*), R(J/ψ)	$R(K), R(K^*)$		
Angular Distributions		$B \rightarrow K^* \mu \mu \ (P'_5)$		
Differential BR $(d\Gamma/dq^2)$		$B \to K^{(*)}\mu\mu$ $B_s \to \phi\mu\mu$ $\Lambda_b \to \Lambda\mu\mu$		

recently by LHCb [4]. These measureent with each other and with earlier together show a significant deviation del (SM) predictions for the combina-

$$(X) \stackrel{R(D^{(*)}\mathcal{B}(\bar{B} \xrightarrow{\mathcal{B}(\bar{B} \xrightarrow{\mathcal{D}(\bar{V})} \bar{\mathcal{D}}(\bar{\nu})} X = D, D^{*})}{\mathcal{B}(\bar{B} \xrightarrow{\mathcal{D}(\bar{V})} \bar{\mathcal{D}})} I = \mu, e \qquad \stackrel{\widehat{\ast}}{\cong}$$

The measurements are consistent v $[F_{f}] = \underline{The}_{bc} R(\underline{P}_{L}^{(*)}) \underline{c}_{d} \underline{a}_{t} \underline{a}_{t} \underline{their}_{\tau} \underline{a}_{t}$ M expectations [10–12] are summariikelihood of the measurements is Ga iation from the SMF is more than 4 utions, namely the dilepton invariavailable from BaBar and Belle [2] • Shippediction quite robust modated by any model that modi-



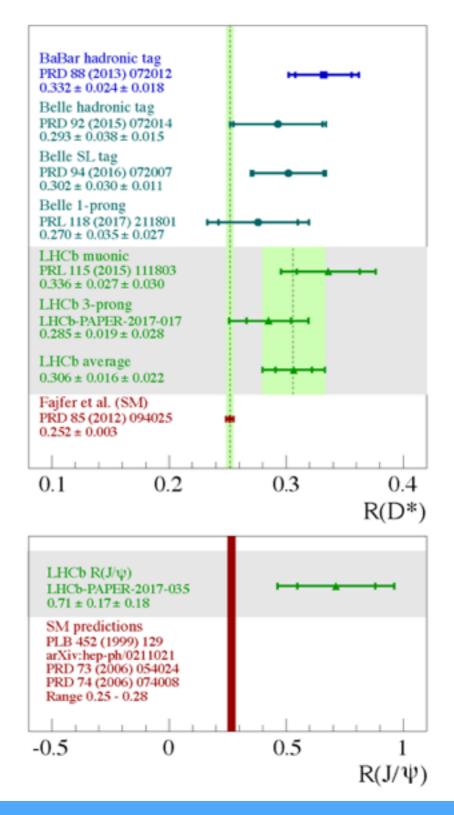
future. Belle II is expected to reduce Deviation seen (P) is expected to reduce ertainties of $R(D^{(*)})$ by factors of ~5 reby (Friving experimental and theory arable levels. wo-Higgs doublet imodel (2HDM) with SM amplitude as well as $B^- \rightarrow \tau \bar{\nu}$) receives contribu-L. Di Luzio (IPPP, Durham) - 4321 gauge model for B-anomalies $R(D^{(*)})$ by factors of ~5 precision electroweak data from LEP. W precision precision electroweak data from LEP. W precision precision electroweak data from LEP. W precision electroweak data from LEP. W precision precision precision electroweak data from LEP. W precision precision precision electroweak data from LEP. W precision precision electroweak data from LEP. W precision precision precision electroweak data from LEP. W precision precision precision electroweak data from LEP. W precision precision precision precision electroweak data from LEP. W precision precision precision electroweak data from LEP. W precision precision precision precision electroweak data from LEP. W precision precision precision electroweak data from LEP. W precision pr

Charged currents - $R(D) \& R(D^*)$

$$R(D^{(*)}) = \frac{\mathcal{B}(B \to D^{(*)}\tau\overline{\nu})}{\mathcal{B}(B \to D^{(*)}\ell\overline{\nu})}$$

• Recently (as of Sept 2017):

$$R(J/\psi) = \frac{\mathcal{B}(B_c^+ \to J/\psi\tau^+\nu_{\tau})}{\mathcal{B}(B_c^+ \to J/\psi\mu^+\nu_{\mu})} \sim 2\sigma \text{ above the SM}$$

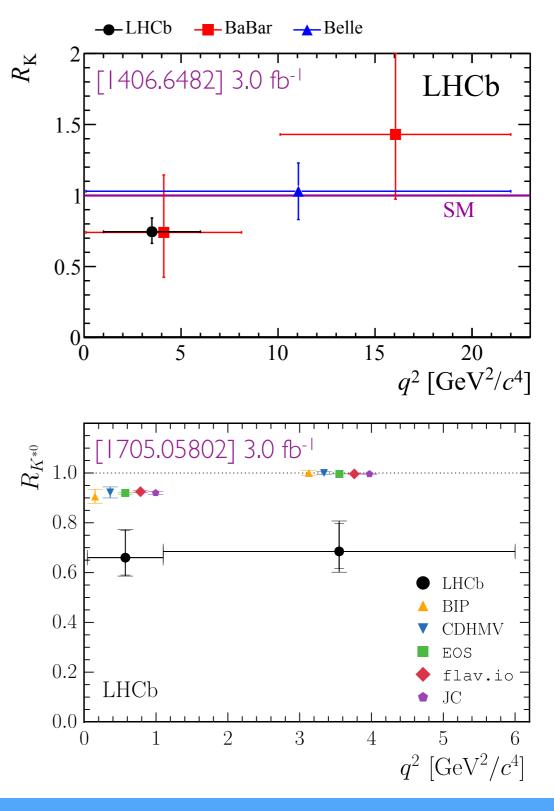


04/19

Neutral currents - R(K) & R(K*)

$$R(K^{(*)}) = \frac{\mathcal{B}(B \to K^{(*)}\mu\overline{\mu})}{\mathcal{B}(B \to K^{(*)}e\overline{e})}$$

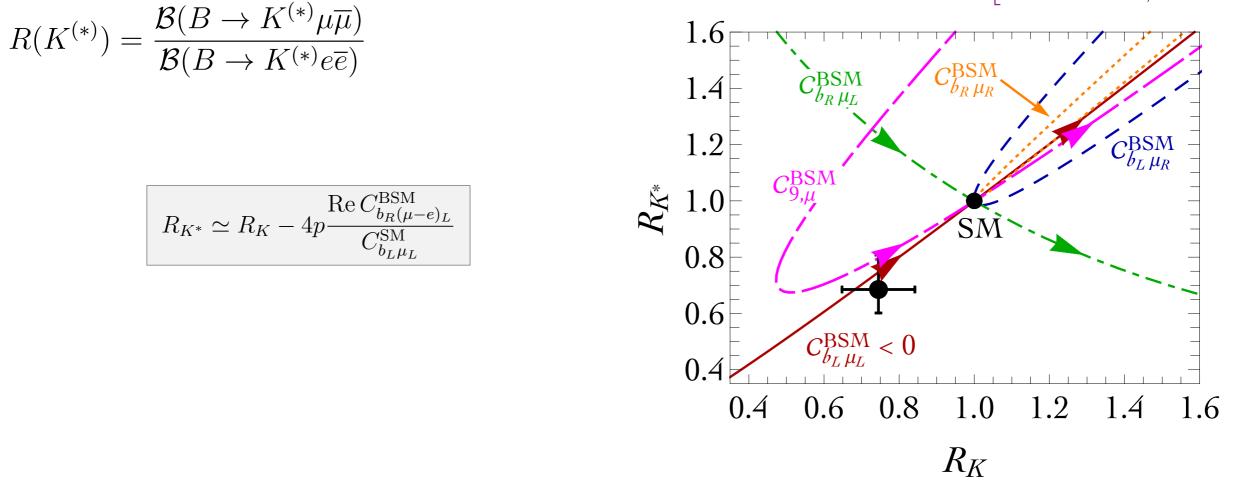
- SM prediction = $1 \pm O(1\%)$ [1406.6482]
- Combined significance $\sim 4\sigma$



Neutral currents - R(K) & R(K*)

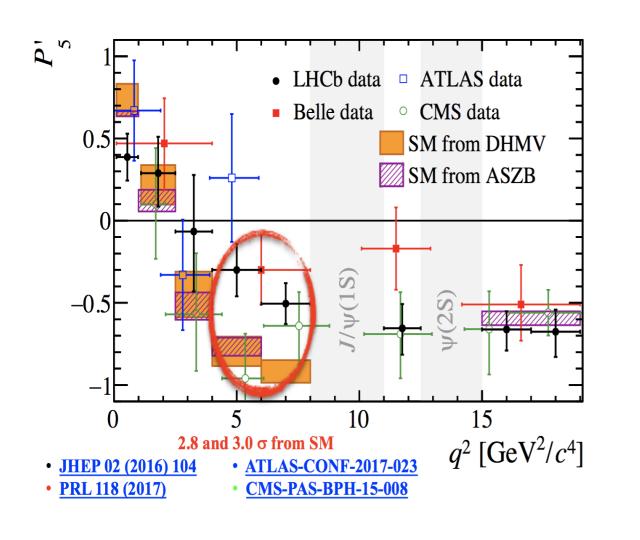
[D'Amico et al, 1704.05438]

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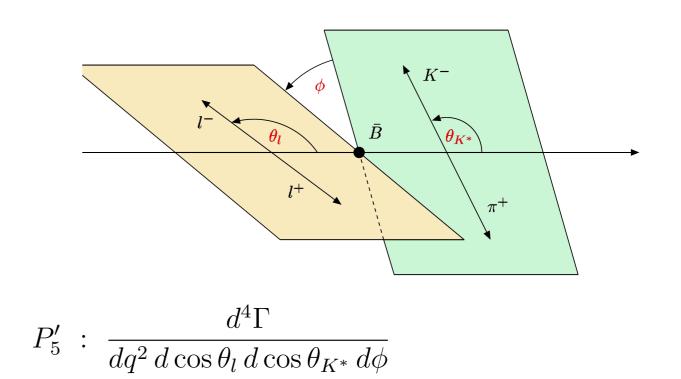


- NP in muons requires destructive interference with the SM (-15%)
- New Physics in muons wants destructive
 RH currents in quark sector disfavoured (predict wrong correlation)
 New Physics in electrons is possible, but
- NP in electrons possible, but cannot explabramenting strations. *sup* angular observables

Neutral currents - P'5 et al



• Angular distributions in $B \to (K^* \to K\pi)\mu\mu$



[Descotes-Genon, Matias, Ramon, Virto 1207.2753]

*Hadronic uncertainties potentially large

[See e.g. Chiuchini et al, 1512.07157]

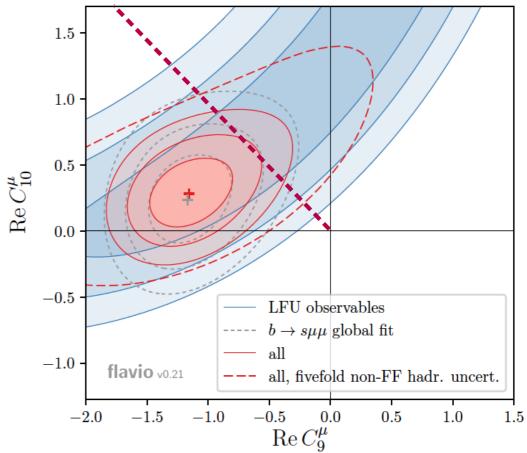
+ other low BR w.r.t. the SM $(B_S^0 \rightarrow \phi \mu^+ \mu^-)$

Neutral currents - global fits

• Effects well-described by NP in $b \rightarrow s\mu\mu$ (explains also angular distributions, etc.)

 $O_9 \propto (\overline{s}_L \gamma_\mu b_L) (\overline{\ell}_L \gamma^\mu \ell)$ $O_{10} \propto (\overline{s}_L \gamma_\mu b_L) (\ell_L \gamma^\mu \gamma_5 \ell)$







Combined explanations

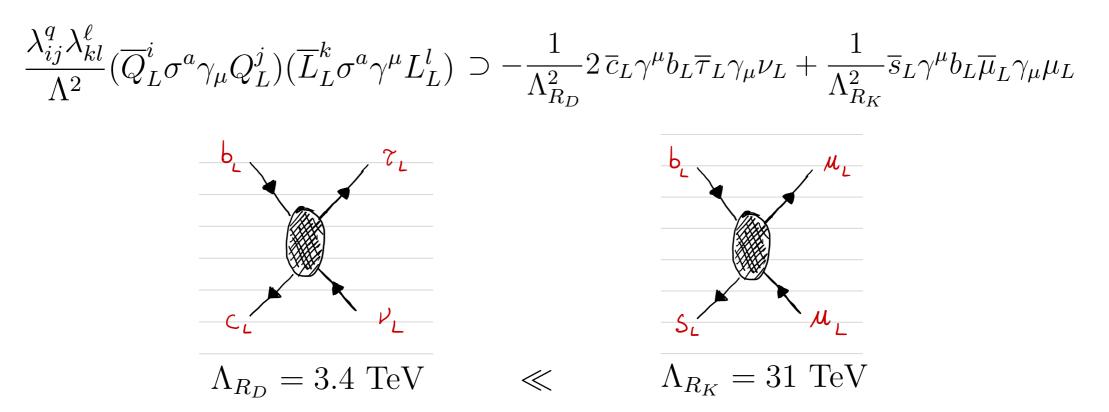


• $SU(2)_L$ triplet operator (combined explanation in SMEFT)

 $\frac{\lambda_{ij}^q \lambda_{kl}^{\epsilon}}{\Lambda^2} (\overline{Q}_L^i \sigma^a \gamma_{\mu} Q_L^j) (\overline{L}_L^k \sigma^a \gamma^{\mu} L_L^l)$

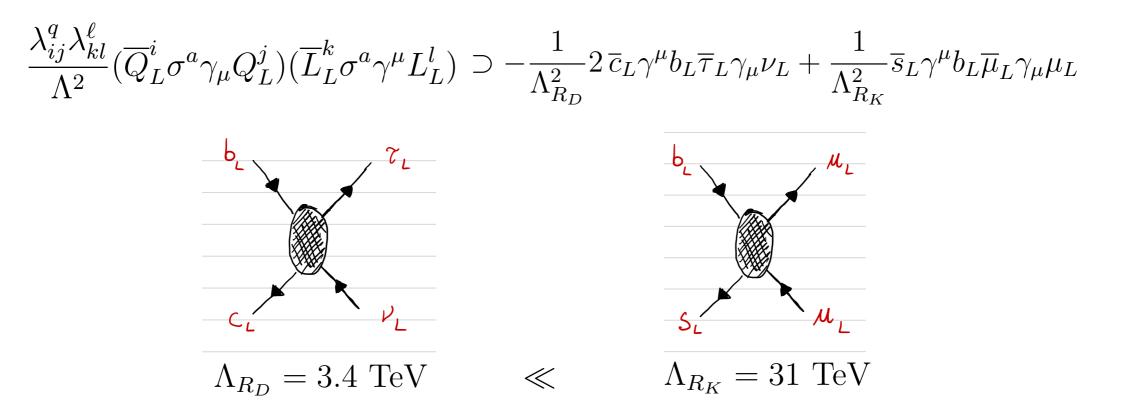
[Bhattacharya et al 1412.7164 Alonso, Grinstein, Camalich 1505.05164, Greljo, Isidori, Marzocca 1506.01705, Calibbi, Crivellin, Ota 1506.02661, ...]

• $SU(2)_L$ triplet operator (combined explanation in SMEFT)



what is the scale of NP? (energy/coupling/mass ambiguity: $1/\Lambda^2 = g^2/M^2$)

• $SU(2)_L$ triplet operator (combined explanation in SMEFT)



• <u>Perturbative unitarity</u> bound from $2 \rightarrow 2$ fermion scatterings

$$a_{J=0} = \frac{\sqrt{3}}{8\pi} \frac{s}{\Lambda^2} < \frac{1}{2}$$

 $\sqrt{s}_{R_D} < 9.2 \text{ TeV} (1.9 \text{ TeV}) \qquad \sqrt{s}_{R_K} < 84 \text{ TeV} (17 \text{ TeV})$

• no-loose theorem for HL/HE-LHC ? [LDL, Nardecchia 1706.01868]

• $SU(2)_L$ triplet operator (combined explanation in SMEFT)

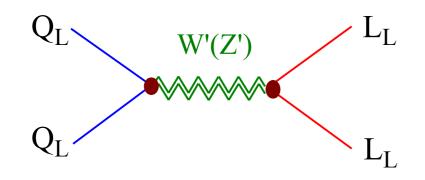
$$\frac{\lambda_{ij}^q \lambda_{kl}^\ell}{\Lambda^2} (\overline{Q}_L^i \sigma^a \gamma_\mu Q_L^j) (\overline{L}_L^k \sigma^a \gamma^\mu L_L^l) \supset -\frac{1}{\Lambda_{R_D}^2} 2\,\overline{c}_L \gamma^\mu b_L \overline{\tau}_L \gamma_\mu \nu_L + \frac{1}{\Lambda_{R_K}^2} \overline{s}_L \gamma^\mu b_L \overline{\mu}_L \gamma_\mu \mu_L$$

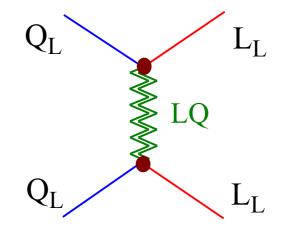
- Flavour structure:
 - I. large couplings in taus (compete with SM tree level)
 - 2. sizable couplings in muons (compete with SM one loop)
 - 3. negligible couplings in electrons (well tested, not much room)

 $\lambda_{ij}^{q,\ell} = \delta_{i3}\delta_{j3} + \text{corrections} \qquad U(2)_q \times U(2)_\ell \qquad \text{approx flavor symmetry}$ [Barbieri et al 1105.2296, 1512.01560] $Q_L^{(3)} \sim q_L^{(b)} = \begin{pmatrix} V_{ib}^* u_L^i \\ b_L \end{pmatrix}$

Iink to SM Yukawa pattern ?

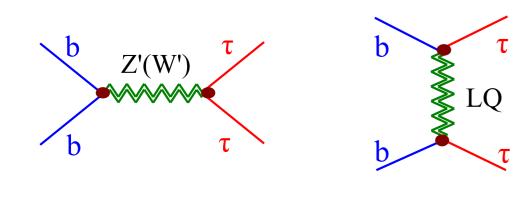
- $SU(2)_L$ triplet operator (combined explanation in SMEFT)
 - $\frac{\lambda_{ij}^q \lambda_{kl}^\ell}{\Lambda^2} (\overline{Q}_L^i \sigma^a \gamma_\mu Q_L^j) (\overline{L}_L^k \sigma^a \gamma^\mu L_L^l)$
- Tree-level mediators:

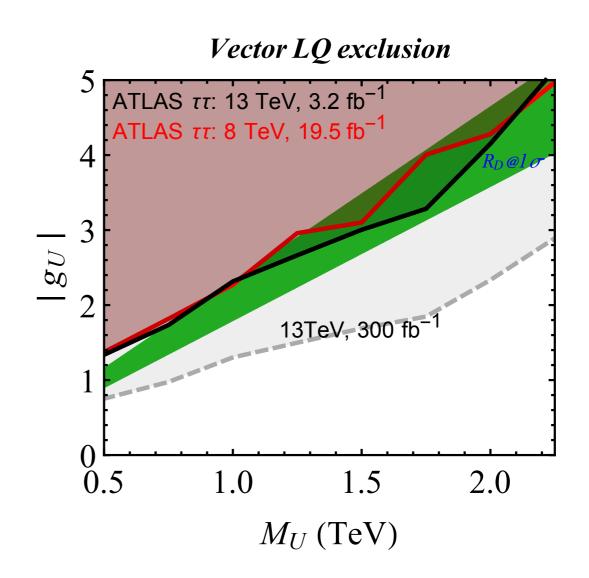




EFT [problems]

- Three main problems mainly driven by R(D)
- I. High-p⊤ constraints

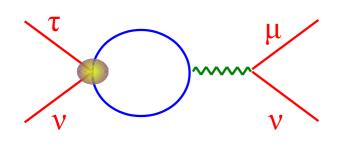


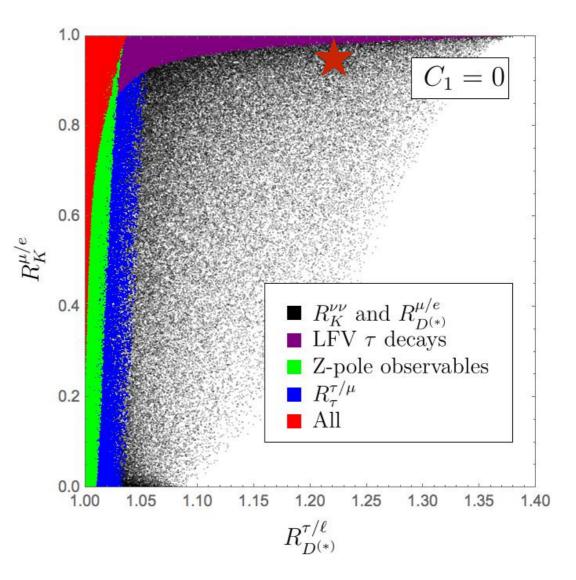


[Faroughy, Greljo, Kamenik 1609.07138]

EFT [problems]

- Three main problems mainly driven by R(D)
- I. High-p_T constraints
- 2. Radiative constraints

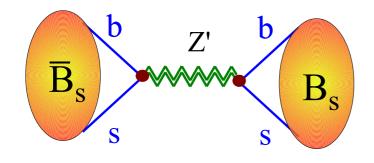


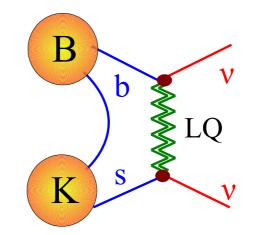


[Feruglio, Paradisi, Pattori 1606.00524, 1705.00929]

EFT [problems]

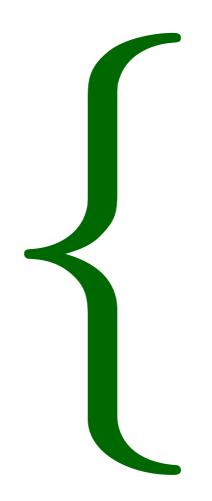
- Three main problems mainly driven by R(D)
- I. High-p⊤ constraints
- 2. Radiative constraints
- 3. Flavour bounds





(absent at tree-level with LQ)

(consequence of $SU(2)_L$ invariance)



L. Di Luzio (IPPP, Durham) - Discussion on B-flavour anomalies

• Lattice results suggest a small discrepancy $\Delta M_s^{\text{SM}} > \Delta M_s^{\text{exp}} = (17.757 \pm 0.021) \text{ ps}^{-1} (1.8 \text{ G})$

Source	$f_{B_s}\sqrt{\hat{B}}$	$\Delta M_s^{ m SM}$	
HPQCD14 [128]	$(247 \pm 12) \text{ MeV}$	$(16.2 \pm 1.7) \mathrm{ps}^{-1}$	
ETMC13 [129]	$(262 \pm 10) \text{ MeV}$	$(18.3 \pm 1.5) \mathrm{ps}^{-1}$	
HPQCD09[130] = FLAG13[131]	$(266 \pm 18) \text{ MeV}$	$(18.9 \pm 2.6) \mathrm{ps}^{-1}$	
FLAG17 [69]	$(274\pm8)\ \mathbf{MeV}$	$(20.01 \pm 1.25)\mathbf{ps^{-1}}$	
Fermilab16 [71]	$(274.6 \pm 8.8) \text{ MeV}$	$(20.1 \pm 1.5) \mathrm{ps}^{-1}$	
HQET-SR [76, 132]	$(278^{+28}_{-24}) \text{ MeV}$	$(20.6^{+4.4}_{-3.4})\mathrm{ps}^{-1}$	
HPQCD06 [133]	$(281 \pm 20) \text{ MeV}$	$(21.0 \pm 3.0) \mathrm{ps}^{-1}$	
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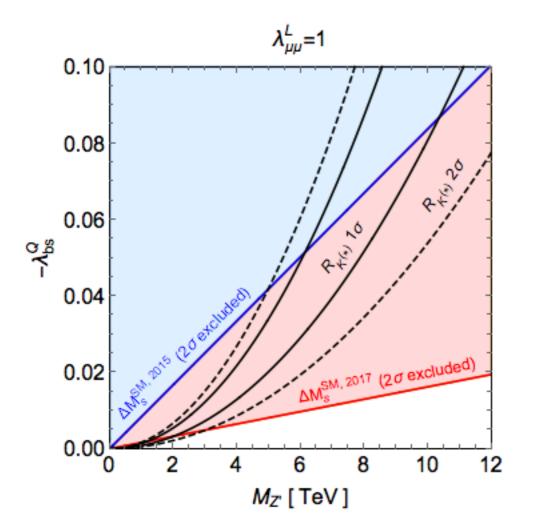
[LDL, Kirk, Lenz 1712.06572]

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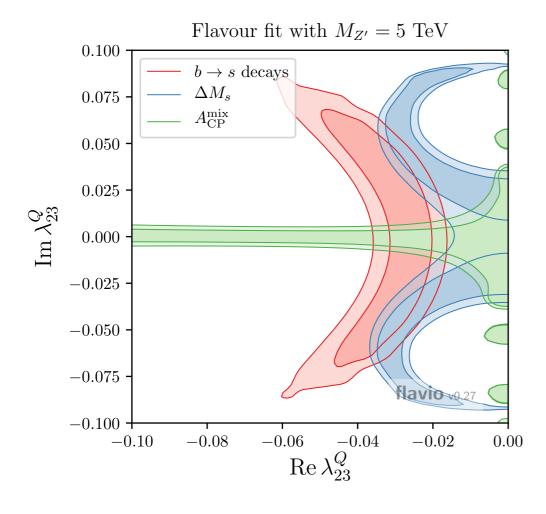
$$\mathcal{L}_{Z'} = \frac{1}{2} M_{Z'}^2 (Z'_{\mu})^2 + \left(\lambda_{ij}^Q \,\overline{d}_L^i \gamma^{\mu} d_L^j + \lambda_{\alpha\beta}^L \,\overline{\ell}_L^{\alpha} \gamma^{\mu} \ell_L^{\beta}\right) Z'_{\mu}$$

<u>severe impact</u> on Z' models for $b \rightarrow s\mu\mu$ anomalies

[LDL, Kirk, Lenz 1712.06572]

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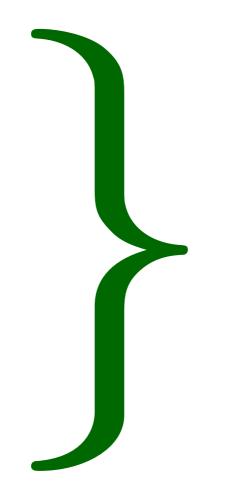
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Possible ways to obtain $\kappa < 0$:

- I) Imaginary coupling $\kappa \sim (\lambda_{bs}^Q)^2$
- 2) RH currents contamination $\kappa \sim \lambda_{bs}^Q \lambda_{bs}^{d_R}$
- looking forward for lattice updates !



L. Di Luzio (IPPP, Durham) - Discussion on B-flavour anomalies

EFT [solutions]

• Tension gets drastically alleviated if

[Zürich's guide for combined explanations, 1706.07808]

I.Triplet + Singlet operator (more freedom in $SU(2)_{L}$ structure)

$$\mathcal{L}_{\text{eff}} = \mathcal{L}_{\text{SM}} - \frac{1}{v^2} \lambda_{ij}^q \lambda_{\alpha\beta}^\ell \left[C_T \; (\bar{Q}_L^i \gamma_\mu \sigma^a Q_L^j) (\bar{L}_L^\alpha \gamma^\mu \sigma^a L_L^\beta) + C_S \; (\bar{Q}_L^i \gamma_\mu Q_L^j) (\bar{L}_L^\alpha \gamma^\mu L_L^\beta) \right]$$

2. Deviation from 'pure-mixing' scenario

$$\overline{Q}^{i}\lambda_{ij}^{q}Q^{j} = \begin{pmatrix} \overline{u}^{k}V_{ki} & \overline{d}^{i} \end{pmatrix}\lambda_{ij}^{q} \begin{pmatrix} V_{jl}^{\dagger}u^{l} \\ d^{j} \end{pmatrix} \supset \overline{c}\left(V_{cb}\lambda_{bb}^{q} + V_{cs}\lambda_{sb}^{q} + \dots\right)b$$

 $R_{D^{(*)}}^{\tau\ell} \approx 1 + 2C_T \left(1 - \lambda_{sb}^q \frac{V_{tb}^*}{V_{ts}^*} \right) \qquad \qquad \lambda_{sb}^q > \mathcal{O}(V_{cb}) \quad \text{allows for larger NP scale}$

EFT [solutions]

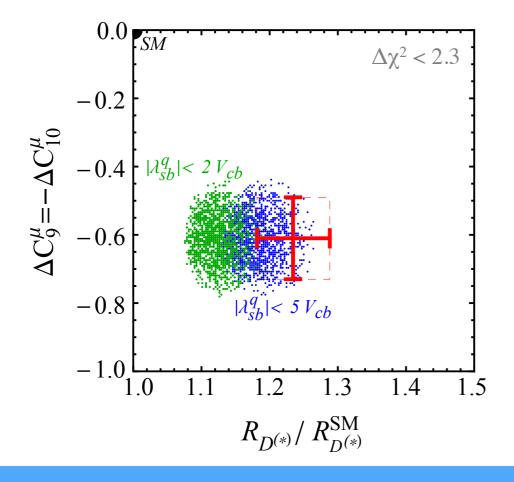
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2. Deviation from 'pure-mixing' scenario



 $\lambda_{sb}^q > \mathcal{O}(V_{cb})$ allows for larger NP scale

Simplified models

• Finite list of tree-level mediators

[Zürich's guide for combined explanations, 1706.07808]

Simplified Model	Spin	SM irrep	C_S/C_T	$R_{D^{(*)}}$	$R_{K^{(*)}}$	0.06	U ₃	U
Z'	1	(1, 1, 0)	∞	×	\checkmark	0.04		$B' = 3\sigma$
V'	1	(1, 3, 0)	0	\checkmark	\checkmark	0.04	\sim	2σ
S_1	0	$(\overline{3}, 1, 1/3)$	-1	\checkmark	×	0.02	A STREET	
S_3	0	$(\overline{3}, 3, 1/3)$	3	\checkmark	\checkmark	0.02	A A	
U_1	1	(3,1,2/3)	1	\checkmark	\checkmark	^{00.0}	·k	
U_3	1	(3,3,2/3)	-3	\checkmark	\checkmark	Ŭ		W'
$\mathcal{B}(B \to K^* \nu \nu) \propto (C_T - C_S)$								
A clear winner: $U_{I} \longrightarrow C_{T} = C_{S}$ (at threshold) C_{T}								
Linear combinations also possible (e.g. $S_1 + S_3$ or $Z' + V'$) tuning required								

• Massive vectors point to UV dynamics at the TeV scale



gauge boson of an extended gauge sector

• Massive vectors point to UV dynamics at the TeV scale



$$\frac{G}{H} = \frac{SU(4) \times SO(5) \times U(1)_X}{SU(4) \times SO(4) \times U(1)_X}$$

[Barbieri, Isidori, Pattori, Senia 1502.01560 Barbieri, Murphy, Senia 1611.0493 Buttazzo et al, 1706.07808 Barbieri,Tesi 1712.06844]

- Ambitious program: pNGB Higgs + U₁ as composite state of G
- conceptual link with the naturalness issue of EW scale
- 😕 light LQ lowers the whole resonances' spectrum: issue with direct searches + EWPTs
- intrinsically non-calculable (e.g. divergent loop observables)

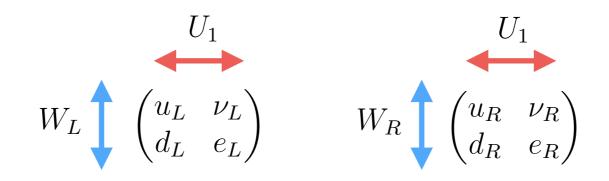
• An interesting option: minimal Pati-Salam (PS)

 $G_{PS} = SU(4)_{PS} \times SU(2)_L \times SU(2)_R$

 $G_{PS}/G_{SM} = U_1 + Z' + W_R$



hinted by SM chiral structure + everything's calculable



 $SU(4)_{PS} \supset SU(3)_C \times U(1)_{B-L}$

$$Y = T_R^3 + (B - L)/2$$

• An interesting option: minimal Pati-Salam (PS)

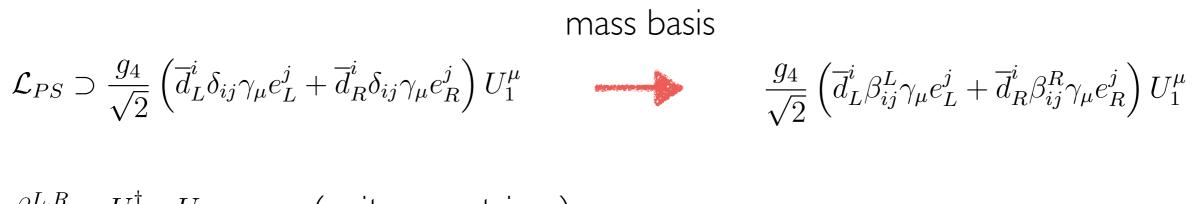
 $G_{PS} = SU(4)_{PS} \times SU(2)_L \times SU(2)_R$

 $G_{PS}/G_{SM} = U_1 + Z' + W_R$



Inited by SM chiral structure + everything's calculable
M_{U1} ≥ 86 TeV from $K_L^0, B^0, B_s \rightarrow \ell \ell'$ decays (L × R couplings)

[Kutznetsov et al 1203.0196 + update from A. D. Smirnov 1801.02895]



 $\beta^{L,R} = U_{d_{L,R}}^{\dagger} U_{e_{L,R}} \qquad \text{(unitary matrices)}$

• An interesting option: minimal Pati-Salam (PS)

 $G_{PS} = SU(4)_{PS} \times SU(2)_L \times SU(2)_R$

 $G_{PS}/G_{SM} = U_1 + Z' + W_R$



- hinted by SM chiral structure + everything's calculable
- $\mathfrak{B} M_{U_1} \gtrsim 86 \text{ TeV}$ from $K_L^0, B^0, B_s \to \ell \ell'$ decays (L × R couplings)
- \cong Z' direct searches ($M_{U_1} \sim M_{Z'} \sim \text{TeV} + O(g_s)$ Z' couplings to valence quarks)
- $\stackrel{(!)}{\simeq}$ neutrino masses also suggest $M_{U_1} \gg \text{TeV} (y_{\text{top}} \sim y_{\nu_3-\text{Dirac}})$
 - Minimal PS <u>cannot</u> explain B-anomalies

Beyond minimal PS

• We want something like

$$\beta^{L} \sim \begin{pmatrix} \epsilon & \epsilon & \epsilon \\ \epsilon & 0.02 & 0.2 \\ \epsilon & 0.06 & 1 \end{pmatrix} \qquad \beta^{R} \sim \epsilon \qquad \left(\begin{array}{c} \beta^{\dagger} \beta \neq 1 \end{array} \right)$$

Beyond minimal PS

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I): non-minimal matter content (mixing with heavy fermions)

[Calibbi, Crivellin, Li 1709.00692]

<u>~, ~</u>

$$\frac{g_4}{\sqrt{2}} \overline{\mathcal{D}}^A \hat{\beta}_{AB} \gamma_\mu \mathcal{E}^B U_1^\mu \qquad \qquad \hat{\beta} = \begin{pmatrix} \beta_{\rm LL} & \beta_{\rm LH} \\ \beta_{\rm HL} & \beta_{\rm HH} \end{pmatrix} \qquad \qquad \beta^\dagger \beta = 1 \\ \beta^\dagger_{\rm LL} \beta_{\rm LL} \neq 1 \end{cases}$$

Z' direct searches



Beyond minimal PS

• We want something like

$$\beta^{L} \sim \begin{pmatrix} \epsilon & \epsilon & \epsilon \\ \epsilon & 0.02 & 0.2 \\ \epsilon & 0.06 & 1 \end{pmatrix} \qquad \beta^{R} \sim \epsilon \qquad \left(\begin{array}{c} \beta^{\dagger} \beta \neq 1 \end{array} \right)$$

I): non-minimal matter content (mixing with heavy fermions) [Calibbi, Crivellin, Li 1709.00692]

2): non-universal gauge interactions

[Bordone, Cornella, Fuentes-Martin, Isidori 1712.01368]

$$(422)^{3} \qquad \sum_{i=1,2,3} \frac{g_{4}^{i}}{\sqrt{2}} \overline{Q}^{i} \gamma^{\mu} L^{i} U_{\mu}^{i} \qquad \xrightarrow{m_{U_{1}} \gg m_{U_{2}} \gg m_{U_{3}}} \qquad \beta^{LO} = \begin{pmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 1 \end{pmatrix}$$

e flavour hierarchies

🙁 neutrino masses [Greljo, Stefanek 1802.04274]

Iow-energy effective theory similar to 4321 model

Beyond minimal PS

• We want something like

$$\beta^{L} \sim \begin{pmatrix} \epsilon & \epsilon & \epsilon \\ \epsilon & 0.02 & 0.2 \\ \epsilon & 0.06 & 1 \end{pmatrix} \qquad \beta^{R} \sim \epsilon \qquad \left(\begin{array}{c} \beta^{\dagger} \beta \neq 1 \end{array} \right)$$

I): non-minimal matter content (mixing with heavy fermions) [Calibbi, Crivellin, Li 1709.00692]

2): non-universal gauge interactions [Bordone, Cornella, Fuentes-Martin, Isidori 1712.01368]

3): non-minimal matter and gauge content (<u>4321 model</u>) [LDL, Greljo, Nardecchia 1708.08450]

 $G = SU(4) \times SU(3)' \times SU(2)_L \times U(1)' +$ heavy fermions

a light Z' from
$$SU(4)_{PS} \rightarrow SU(3)_c$$
 breaking with
unsuppressed $\mathcal{O}(g_s)$ couplings to SM formions [47]. doublet field residing into $H = (1, 1, 1, 4)$
A crucial ingredient to diffurent the previous Coupling a vev $\langle H \rangle = \frac{1}{\sqrt{2}}v$, with v
issues was recently proposed in Ref. [48] in the con-
text of a "partial unification" model in which the
color and hypercharge factors of the SM are en-
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color and hypercharge factors of the SM are en-
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color and hypercharge factors of the SM are en-
transforming as $U = (3, 1, 2/3)$, g'
ded.nd into $S(A) \otimes SU(2) \otimes SU(2)$, group C_{SM} Z'Str ($S_{10} \otimes U_{10}$ group C_{SM} d'str ($S_{10} \otimes U_{10}$ group C_{SM} d'str ($S_{10} \otimes U_{10}$ group C_{SM} d'str ($S_{10} \otimes U_{10}$ group $C_{10} \otimes U_{10} \otimes U_{10}$ group $C_{10} \otimes U_{10} \otimes U_{10} \otimes U_{10} \otimes U_{10}$ for $M = 1$ one form the breaking.
The latter resembles the embedding of color as the
subscript of $M = 1$ one form $C_{10} \otimes U_{10} \otimes U_{10}$

The '4321' model

[LDL, Greljo, Nardecchia 1708.08450. Inspired by Diaz, Schmaltz, Zhong 1706.05033, Georgi, Nakai 1606.05865]

 $\overline{\text{Field} \,|\, SU(4)}$ SU(3)' $SU(2)_L$ U(1) $q_L^{\prime i}$ 2 1/63 1 $u_R^{\prime i}$ 2/33 1 1 $\frac{d_R^{\prime i}}{\ell_L^{\prime i}} \frac{\ell_L^{\prime i}}{e_R^{\prime i}}$ 3 -1/31 1 $\mathbf{2}$ -1/21 1 1 1 1 -124 0 1 $\Psi_R^{\tilde{i}}$ $\mathbf{2}$ 4 0 1 2 1 1/2H1 $\overline{4}$ 1/63 Ω_3 1 $\overline{4}$ -1/2 Ω_1 1 1

Would-be SM fields Vector-like fermions (Q'+L') mix after SSB SSB

Yukawa sector:

$$\mathcal{L}_{Y} = - \overline{q}'_{L} Y_{d} H d'_{R} - \overline{q}'_{L} Y_{u} \widetilde{H} u'_{R} - \overline{\ell}'_{L} Y_{e} H e'_{R} - \overline{q}'_{L} \lambda_{q} \Omega_{3}^{T} \Psi_{R} - \overline{\ell}'_{L} \lambda_{\ell} \Omega_{1}^{T} \Psi_{R} - \overline{\Psi}_{L} M \Psi_{R}$$

I. LQ couples dominantly to 3rd generation LH fields (can satisfy Zürich's EFT criteria)

Field	SU(4)	SU(3)'	$SU(2)_L$	U(1)'
$q_L^{\prime i}$	1	3	2	1/6
$u_R^{\prime i}$	1	3	1	2/3
$d_R^{\prime i}$	1	3	1	-1/3
$\ell_L^{\prime i}$	1	1	2	-1/2
$e_R^{\prime i}$	1	1	1	-1
Ψ_L^i	4	1	2	0
Ψ^i_R	4	1	2	0
H	1	1	2	1/2
Ω_3	$\overline{4}$	3	1	1/6
Ω_1	$\overline{4}$	1	1	-1/2



$$\mathcal{L}_{Y} = -\overline{q}'_{L} Y_{d} H d'_{R} - \overline{q}'_{L} Y_{u} \tilde{H} u'_{R} - \overline{\ell}'_{L} Y_{e} H e'_{R} - \overline{q}'_{L} \lambda_{q} \Omega_{3}^{T} \Psi_{R} - \overline{\ell}'_{L} \lambda_{\ell} \Omega_{1}^{T} \Psi_{R} - \overline{\Psi}_{L} M \Psi_{R}$$

gtagaist icoup has under the acti- couplings to vadity que the state besits in which the $\frac{1}{1} + \frac{1}{1} + \frac{1}$ ASTORY CONSTITUTE MORE The vevs of 939 $\frac{1}{2}$ $\frac{1}$ The definition in the second of the second ton min ber. These standard product in the model is $U_{1,3}$ is is $U_{$ B: and the clotal sym- 1/4 hill $\mathcal{I}_{\mathcal{A}}$ and $\mathcal{O}_{\mathcal{A}}$ break $\mathcal{I}_{\mathcal{A}}$ by the set of inian masses menuites an a 176 176 1712 -1/4 12 -1/4 10 -1/4 -1/4 10 -1/4 -1/4 -1/4 -1/4 -1/4 -1/4 -1/4 -Index $M_{u_3}^2 = \sqrt{2}$ with the matrices in the second of the providence of the possible via the providence of the possible via the presence of the presenc ke seutrings manipurchain \overline{m} et \overline{v} of the protected when \overline{v} is the \overline{v} of the model. The index is the transmission of the model of the index is the sector in the index is ed in order to akivid stavanted leavestic in a principal for the start of the start of the start compling jeads hose following For example of the top of the support of the

I. LQ couples dominantly to 3rd generation LH fields (can satisfy Zürich's EFT criteria)

- 2. Down-alignment to avoid tree-level FCNC in the down sector
- 3. Suppressed Z' and g' couplings to light generations

$$\begin{aligned} \mathcal{L}_{L} &\supset \frac{g_{4}}{\sqrt{2}} \overline{Q}'_{L} \gamma^{\mu} L'_{L} U_{\mu} + \text{h.c.} \\ &+ \frac{g_{4} g_{s}}{g_{3}} \left(\overline{Q}'_{L} \gamma^{\mu} T^{a} Q'_{L} - \frac{g_{3}^{2}}{g_{4}^{2}} \overline{q}'_{L} \gamma^{\mu} T^{a} q'_{L} \right) g'^{a}_{\mu} \\ &+ \frac{1}{6} \frac{\sqrt{3} g_{4} g_{Y}}{\sqrt{2} g_{1}} \left(\overline{Q}'_{L} \gamma^{\mu} Q'_{L} - \frac{2g_{1}^{2}}{3g_{4}^{2}} \overline{q}'_{L} \gamma^{\mu} q'_{L} \right) Z'_{\mu} \\ &- \frac{1}{2} \frac{\sqrt{3} g_{4} g_{Y}}{\sqrt{2} g_{1}} \left(\overline{L}'_{L} \gamma^{\mu} L'_{L} - \frac{2g_{1}^{2}}{3g_{4}^{2}} \overline{\ell}'_{L} \gamma^{\mu} \ell'_{L} \right) Z'_{\mu} \end{aligned}$$

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requires the phenomenological limit $g_4 \gg g_3 \simeq g_s \gg g_1 \simeq g_Y$

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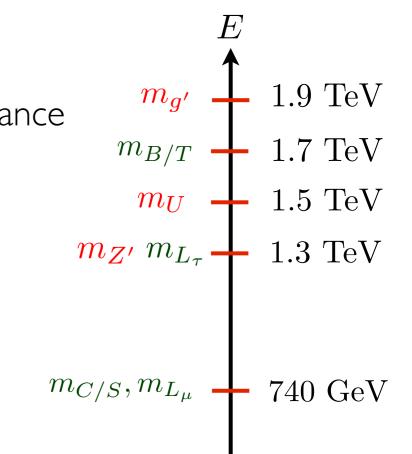
4. B and L accidental global symmetries as in the SM ($m_{\nu} = 0$)

$$\mathcal{O}_5 = \frac{1}{\Lambda_{\not\!L}} \ell' \ell' H H \qquad \qquad \Lambda_{\not\!L} \gg v$$

High-p_T searches

- LQ pair production via QCD
- 3rd generation final states, fixed by anomaly and $SU(2)_{L}$ invariance

b $\begin{cases}
U \to b\tau^+, \quad \text{BR} = 50 \% \\
U \to t\overline{\nu}, \quad \text{BR} = 50 \%
\end{cases}$



[CMS search for spin-0, 1703.03995 recast for spin-1 1706.01868 (see also 1706.05033) + Moriond EW update]

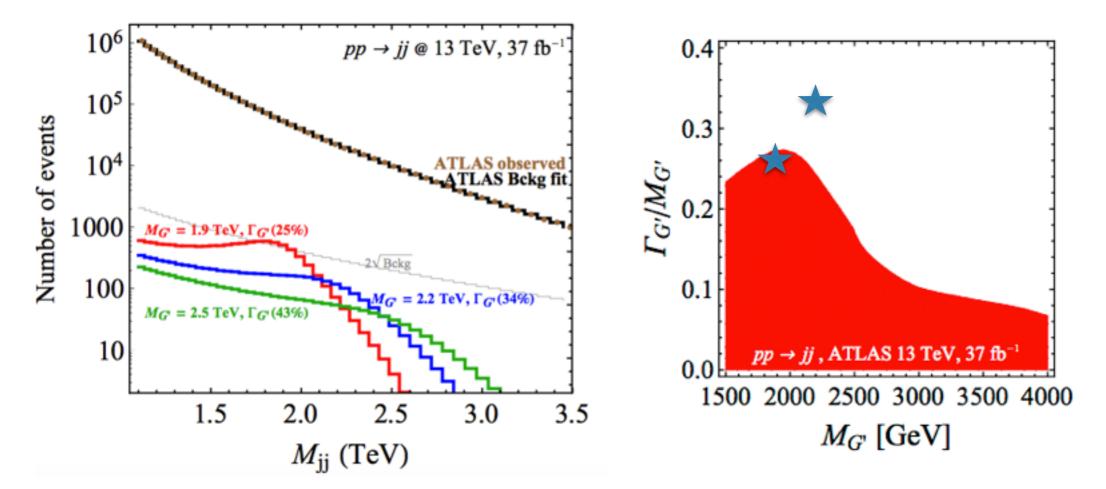
 $m_U \gtrsim 1.5 \text{ TeV}$ LQ mass sets the overall scale: $M_{g'} \simeq \sqrt{2} M_U$ $M_{Z'} \simeq \sqrt{\frac{3}{2}} M_U$

High-p_T searches

E $m_{g'} = 1.9 \text{ TeV}$ $m_{B/T} = 1.7 \text{ TeV}$ $m_U = 1.5 \text{ TeV}$ $m_{Z'} m_{L_{\tau}} = 1.3 \text{ TeV}$ • LQ pair production via QCD Z' Drell-Yan production enough suppressed $\sin \theta_{Z'} = \sqrt{\frac{3}{2}} \frac{g_Y}{g_4} \simeq 0.09 \qquad \text{requires} \quad g_4 \gtrsim 3$ $m_{C/S}, m_{L_{\mu}}$ 740 GeV • g' resonant di-jet searches [ATLAS, 1703.09127] $\sin \theta_{g'} = \frac{g_s}{q_4} \simeq 0.3$ 2 Coloron naively excluded **Explicit models** full of surbrises! L. Di Luzio (IPPP, Durham) - 4321 gauge model for B-anomalies 8/19

High-p_T searches

[LDL, Fuentes-Martin, Greljo, Nardecchia, Renner (work in progress)]



• <u>However</u>, bump-searches loose in sensitivity for large width/mass

$$\label{eq:relation} rac{\Gamma}{m} \lesssim 15\% ~~{
m (exp. analysis)}$$
 $\qquad \qquad rac{\Gamma_{g'}}{m_{g'}} \simeq 25\% ~~{
m (unavoidable in our scenario: large g_4 + extra channel in VLF)}$

Conclusions

- I. We will know much more by \sim 2020 (LHCb + Belle II)
- 2. Early <u>speculations</u> point to TeV-scale vector leptoquark (R(D)+R(K) explanation)



3. Are flavour anomalies part of a bigger picture ?



- EW naturalness / SM Yukawa puzzle / DM / ...
- 4. Lesson from UV complete models



unexpected experimental signatures (coloron, D-mixing, ...) + playground to compute correlations

[More pheno to come: LDL, Fuentes-Martin, Greljo, Nardecchia, Renner (work in progress)]



Down-alignment (flavour symmetry)

- Down-alignment to avoid tree-level FCNC in the down sector
- Identify d'_R , Ψ_L , Ψ_R as triplets of the flavour group $U(3)_{d'_R} \equiv U(3)_{\Psi_L} \equiv U(3)_{\Psi_R}$
- $M \propto$ identity
- Y_d and $\lambda_q \propto$ to the same spurion $(\overline{3},3)$ of $U(3)_{q'_L} \times U(3)_{d'_R}$

simultaneously diagonalizable

$$\mathcal{M}_d = \begin{pmatrix} \frac{v}{\sqrt{2}} Y_d^{\text{diag}} & \frac{v_3}{\sqrt{2}} \lambda_q \\ 0 & M^{\text{diag}} \end{pmatrix} \qquad \lambda_q = \begin{pmatrix} \lambda_q^d & 0 & 0 \\ 0 & \lambda_q^s & 0 \\ 0 & 0 & \lambda_q^b \end{pmatrix} \qquad \left| \lambda_q^{d,s} \right| \ll \left| \lambda_q^b \right|$$

$$\mathcal{M}_{u} = \left(\begin{array}{cc} \frac{v}{\sqrt{2}} V^{\dagger} Y_{u}^{\text{diag}} & \frac{v_{3}}{\sqrt{2}} \lambda_{q} \\ 0 & M^{\text{diag}} \end{array}\right)$$

$$\mathcal{L}_{Y} = -\overline{q}'_{L} Y_{d} H d'_{R} - \overline{q}'_{L} Y_{u} \tilde{H} u'_{R} - \overline{\ell}'_{L} Y_{e} H e'_{R} - \overline{q}'_{L} \lambda_{q} \Omega_{3}^{T} \Psi_{R} - \overline{\ell}'_{L} \lambda_{\ell} \Omega_{1}^{T} \Psi_{R} - \overline{\Psi}_{L} M \Psi_{R}$$

EFT [details fit]

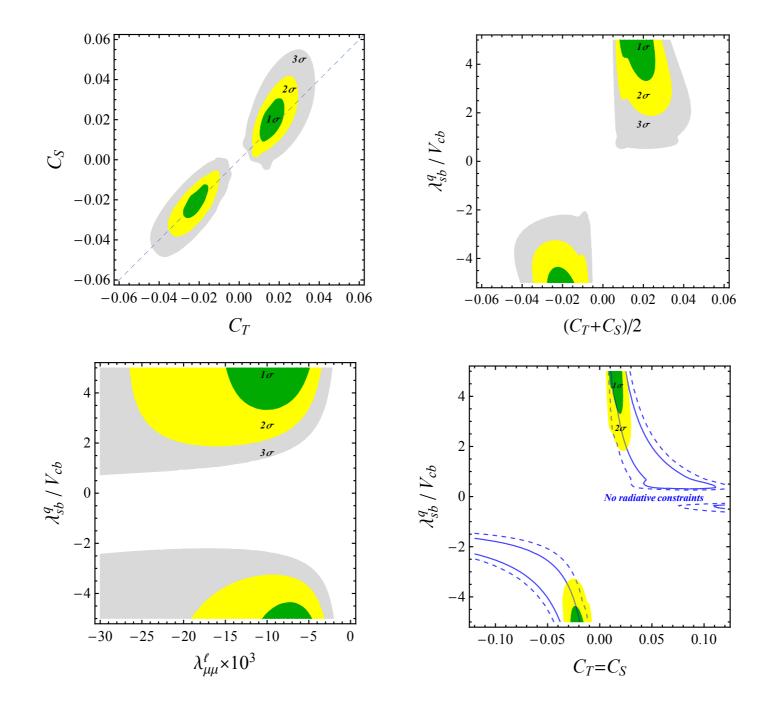
- 4 parameters fit: $C_S, C_T, \lambda_{bs}^q, \lambda_{\mu\mu}^\ell \quad (\lambda_{bb}^q = \lambda_{\tau\tau}^\ell = 1)$ [Zürich's guide for combined explanations, 1706.07808]

$$\mathcal{L}_{\text{eff}} = \mathcal{L}_{\text{SM}} - \frac{1}{v^2} \lambda_{ij}^q \lambda_{\alpha\beta}^\ell \left[C_T \; (\bar{Q}_L^i \gamma_\mu \sigma^a Q_L^j) (\bar{L}_L^\alpha \gamma^\mu \sigma^a L_L^\beta) + C_S \; (\bar{Q}_L^i \gamma_\mu Q_L^j) (\bar{L}_L^\alpha \gamma^\mu L_L^\beta) \right]$$

	Observable	Experimental bound	Linearised expression
μ	$R_{D^{(*)}}^{ au\ell}$	1.237 ± 0.053	$1 + 2C_T (1 - \lambda_{sb}^q V_{tb}^* / V_{ts}^*) (1 - \lambda_{\mu\mu}^{\ell} / 2)$
	$\Delta C_9^\mu = -\Delta C_{10}^\mu$	-0.61 ± 0.12 [36]	$-rac{\pi}{lpha_{ m em}V_{tb}V_{ts}^*}\lambda_{\mu\mu}^\ell\lambda_{sb}^q(C_T+C_S)$
v v	$R_{b \to c}^{\mu e} - 1$	0.00 ± 0.02	$2C_T(1-\lambda_{sb}^q V_{tb}^*/V_{ts}^*)\lambda_{\mu\mu}^\ell$
	$B_{K^{(*)}\nu\bar\nu}$	0.0 ± 2.6	$1 + \frac{2}{3} \frac{\pi}{\alpha_{\rm em} V_{tb} V_{ts}^* C_{\nu}^{\rm SM}} (C_T - C_S) \lambda_{sb}^q (1 + \lambda_{\mu\mu}^\ell)$
LH Z- T-T coupling	$\delta g^Z_{ au_L}$	-0.0002 ± 0.0006	$0.033C_T - 0.043C_S$
LH Z- ν - ν coupling	$\delta g^Z_{ u_ au}$	-0.0040 ± 0.0021	$-0.033C_T - 0.043C_S$
LFUV in ${f au}$ decays	$ g^W_ au/g^W_\ell $	1.00097 ± 0.00098	$1 - 0.084C_T$
LFV in $\mathbf{\tau}$ decays	$\mathcal{B}(\tau \to 3\mu)$	$(0.0 \pm 0.6) \times 10^{-8}$	$2.5 \times 10^{-4} (C_S - C_T)^2 (\lambda_{\tau\mu}^\ell)^2$
		1	

EFT [details fit]

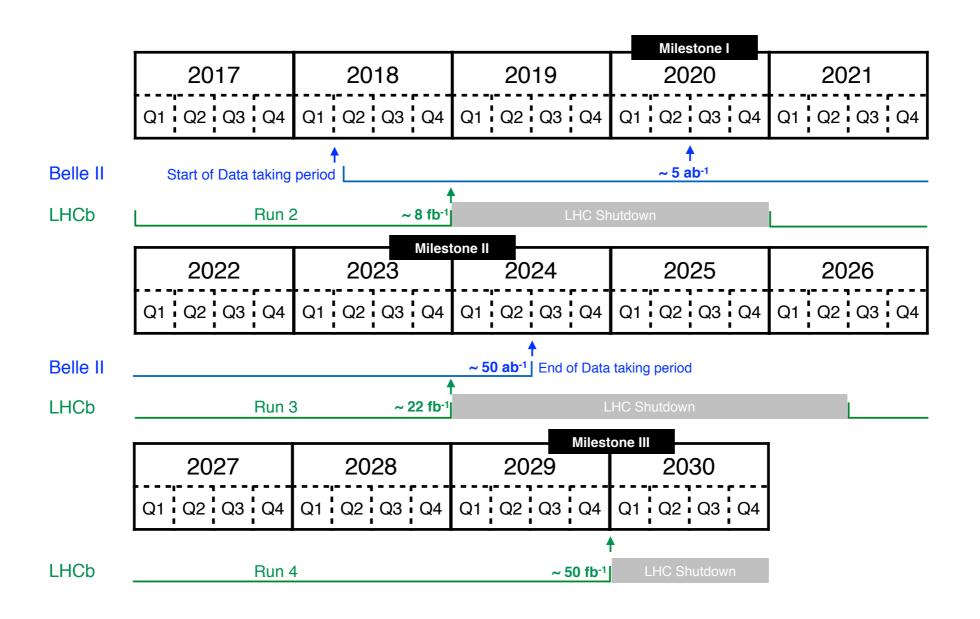
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Future prospects

• LHCb + Belle-II have the potential to fully establish NP in B-anomalies

[Albrecht et al, 1709.10308]



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