

Radio detection of cosmic rays with LOFAR ... and beyond

Katie Mulrey

HEP@VUB Meeting, 29 April, 2021



fwo

European Research Council



VRIJE
UNIVERSITEIT
BRUSSEL



LOFAR

Radboud Universiteit Nijmegen

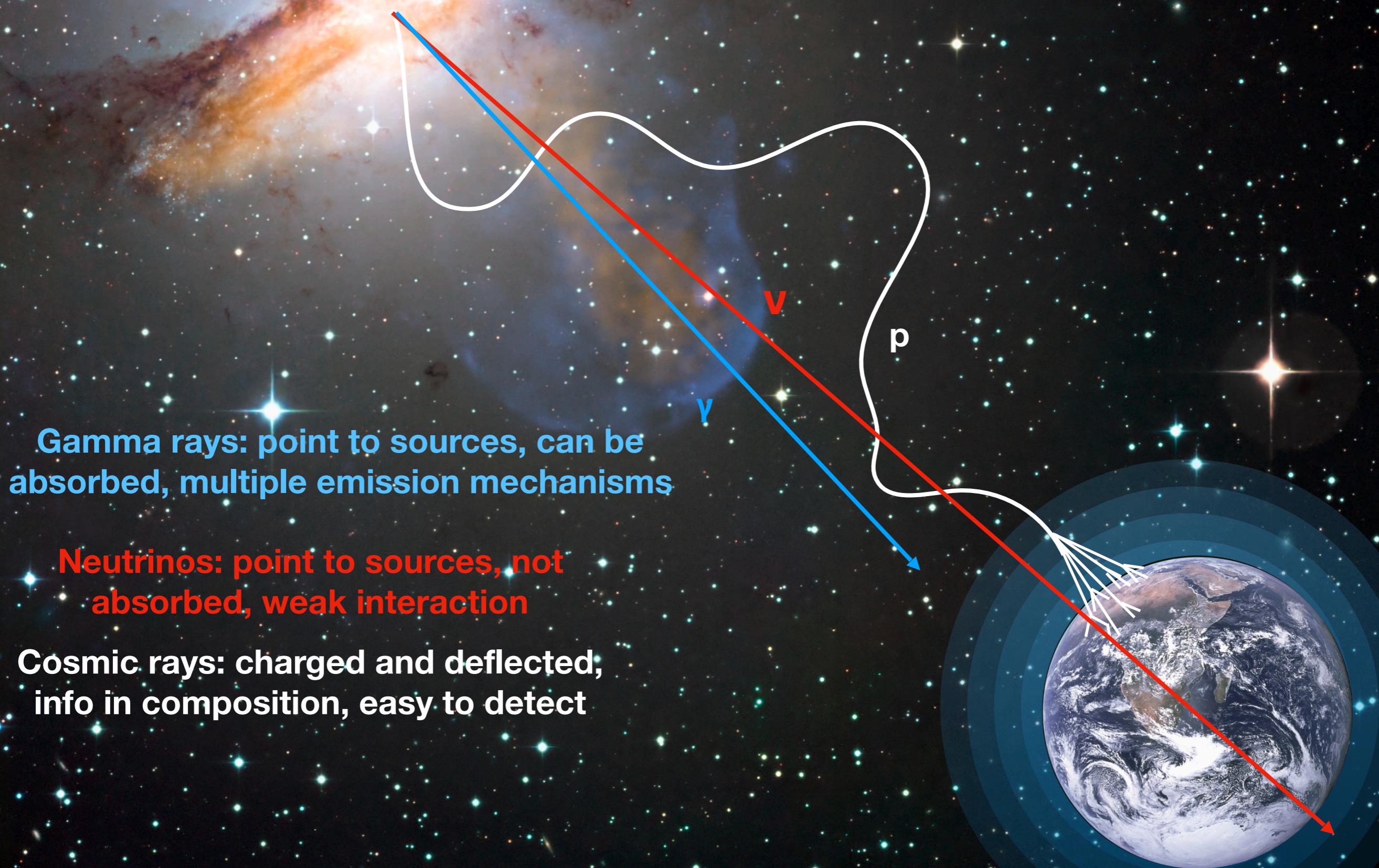


ASTRON

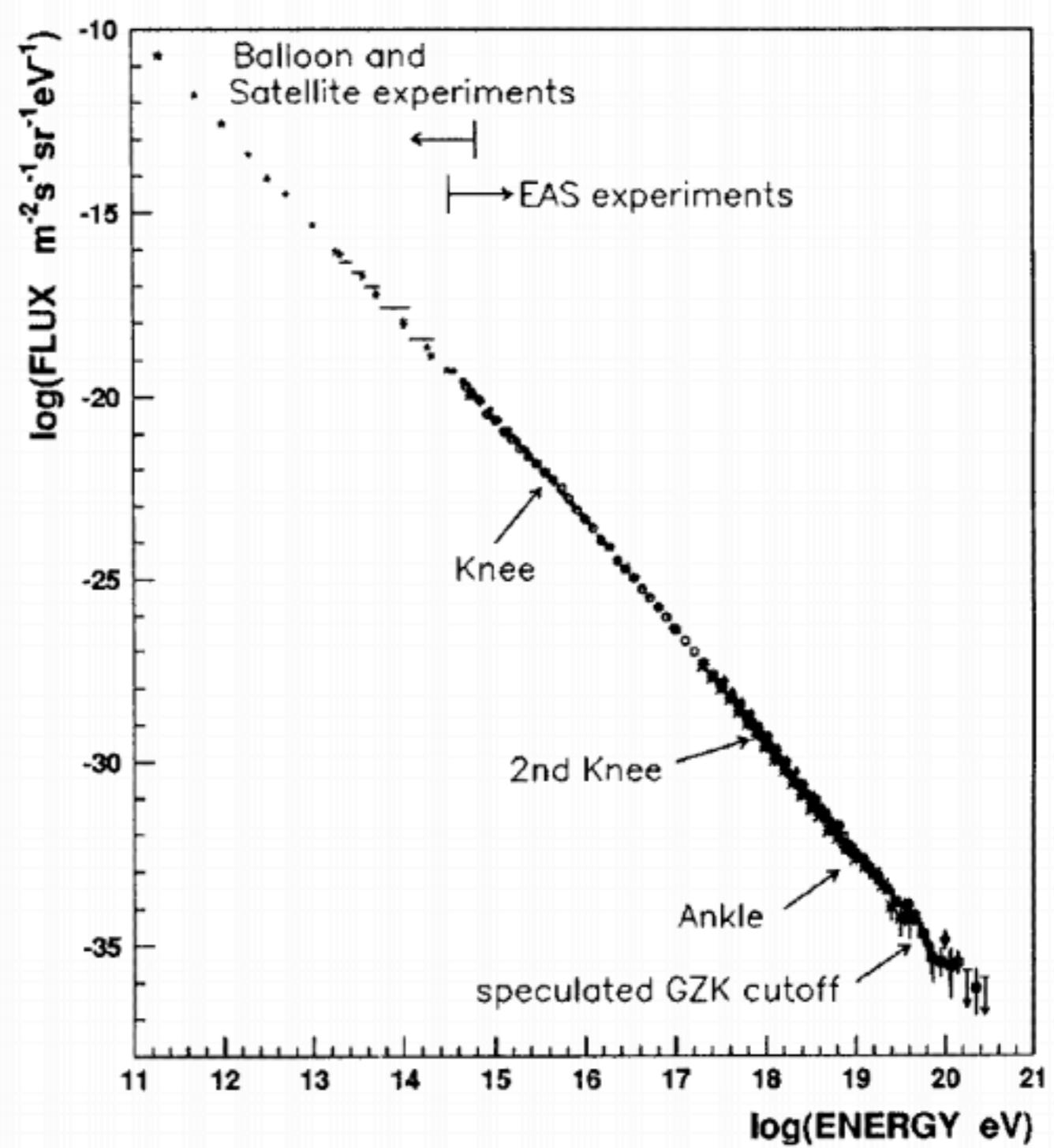
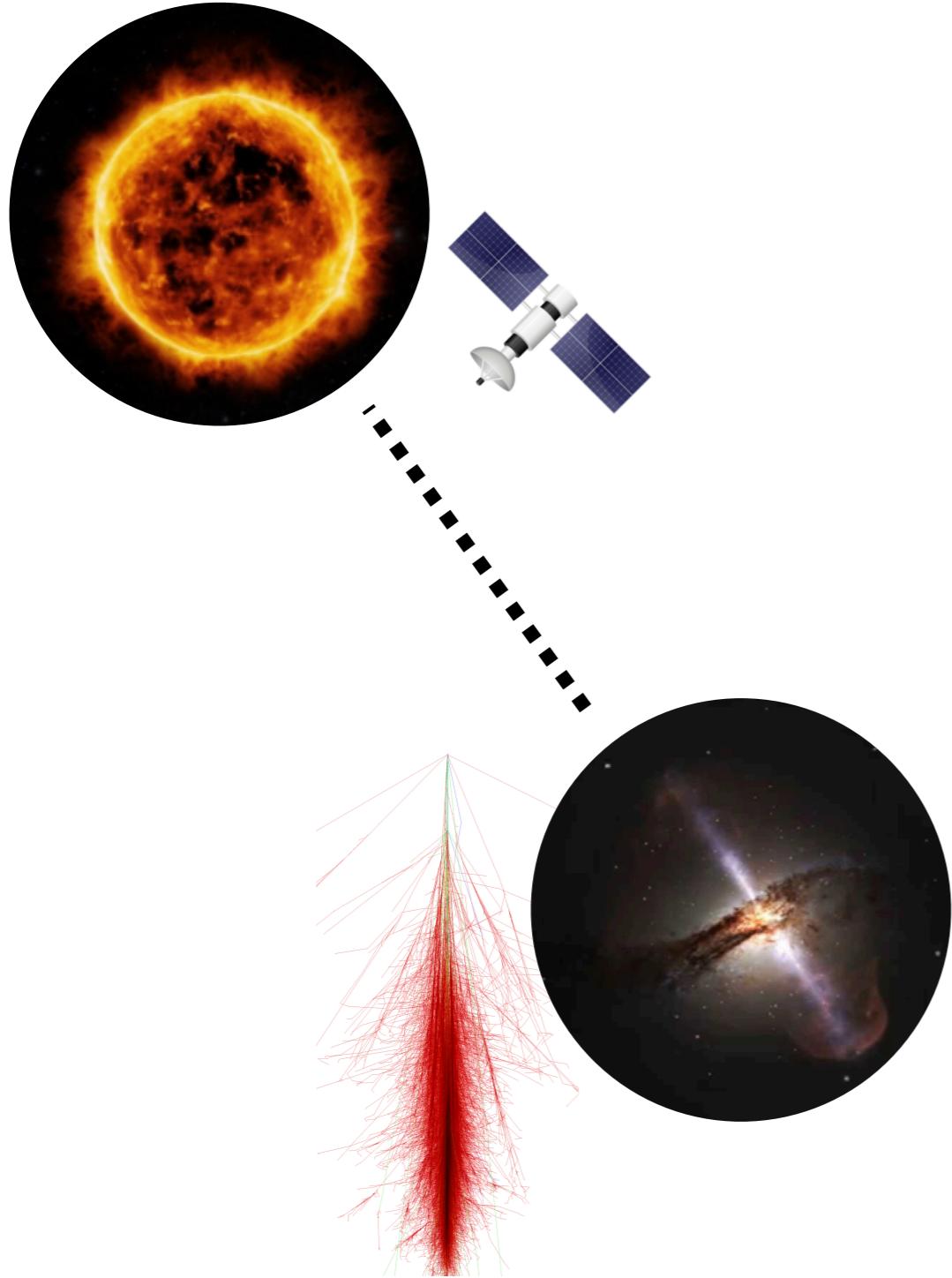


*kmulrey@vub.be

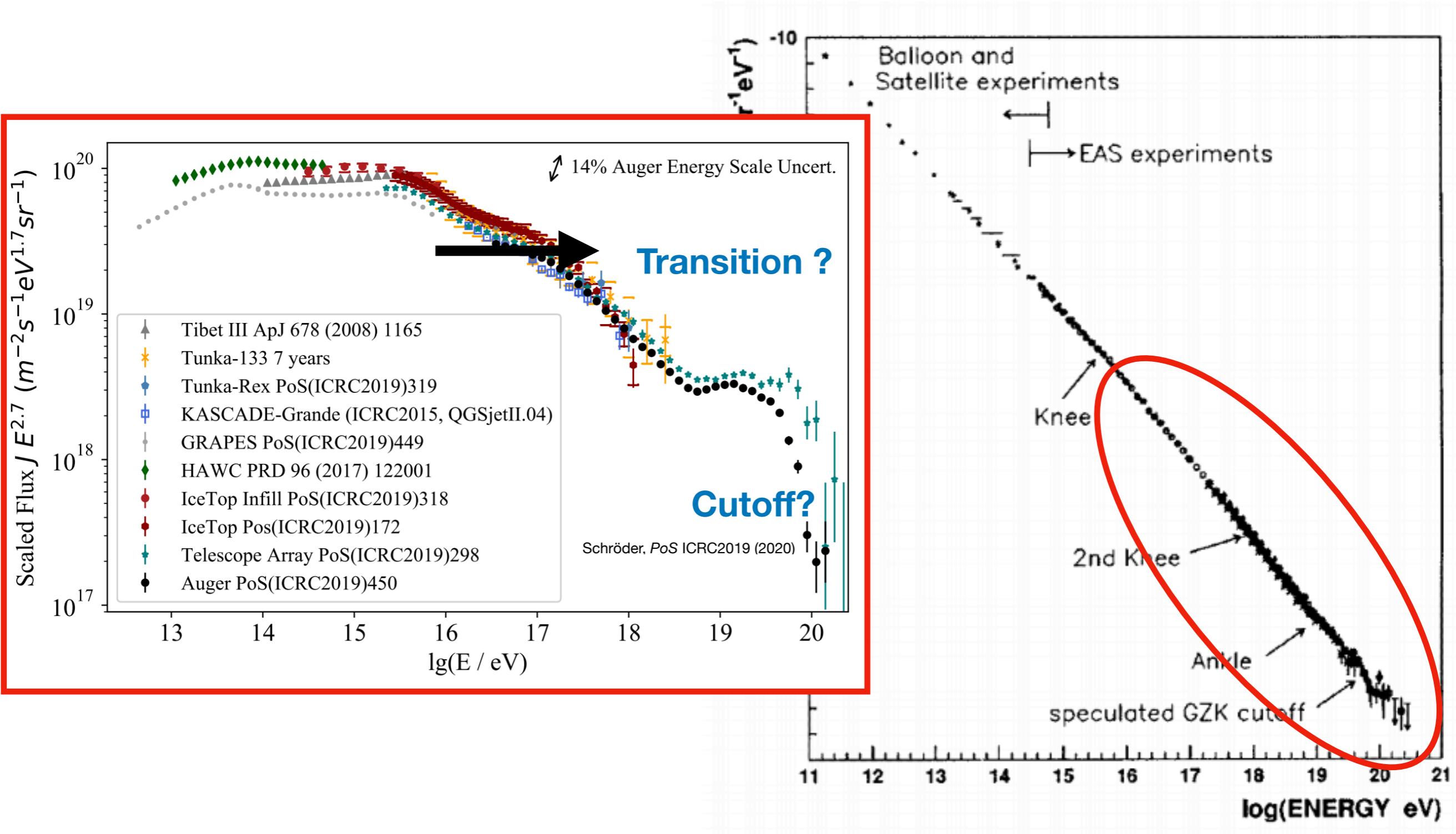
Cosmic Rays and Multi-Messenger Astronomy



Where do cosmic rays come from?

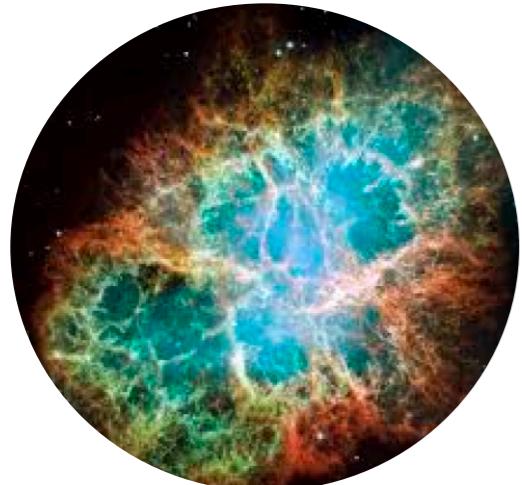


Where do cosmic rays come from?



Where do cosmic rays come from?

Galactic: SNR ?



Extragalactic: AGN ?

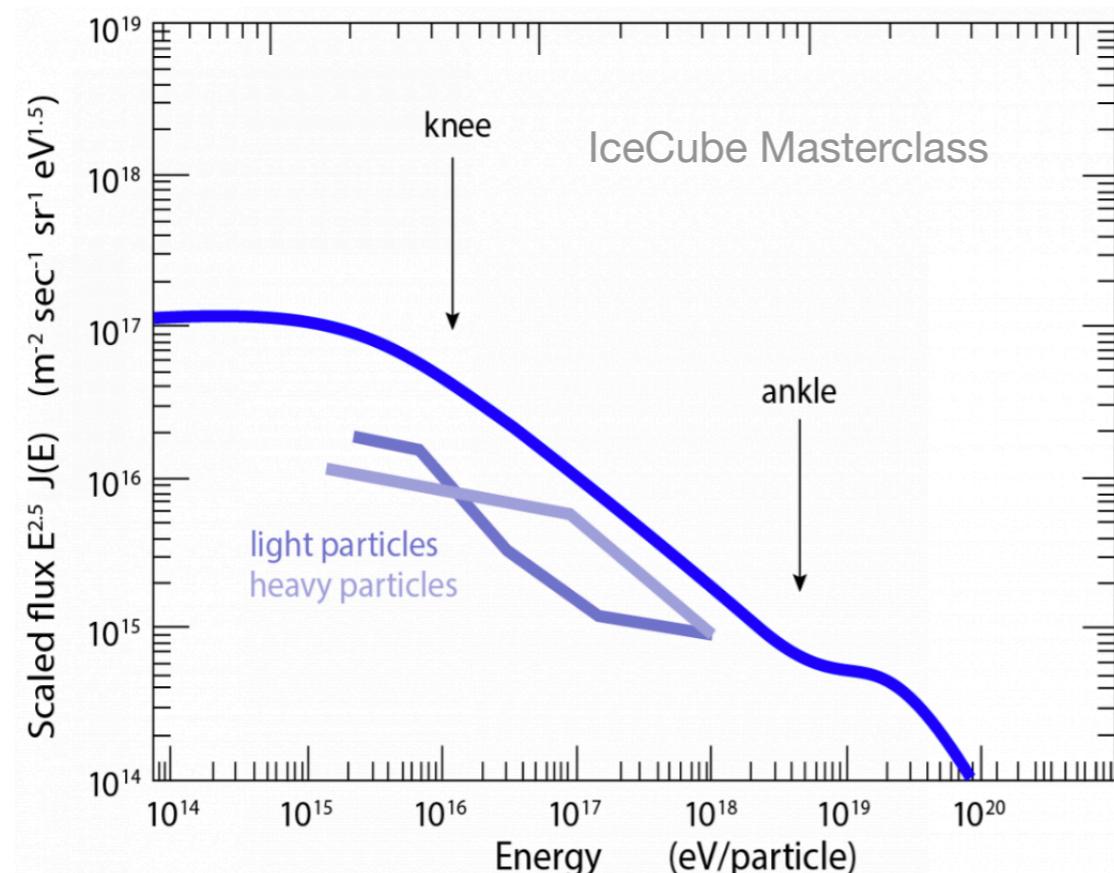


Hillas criterion:
 $E_{max} \propto Z e B r$

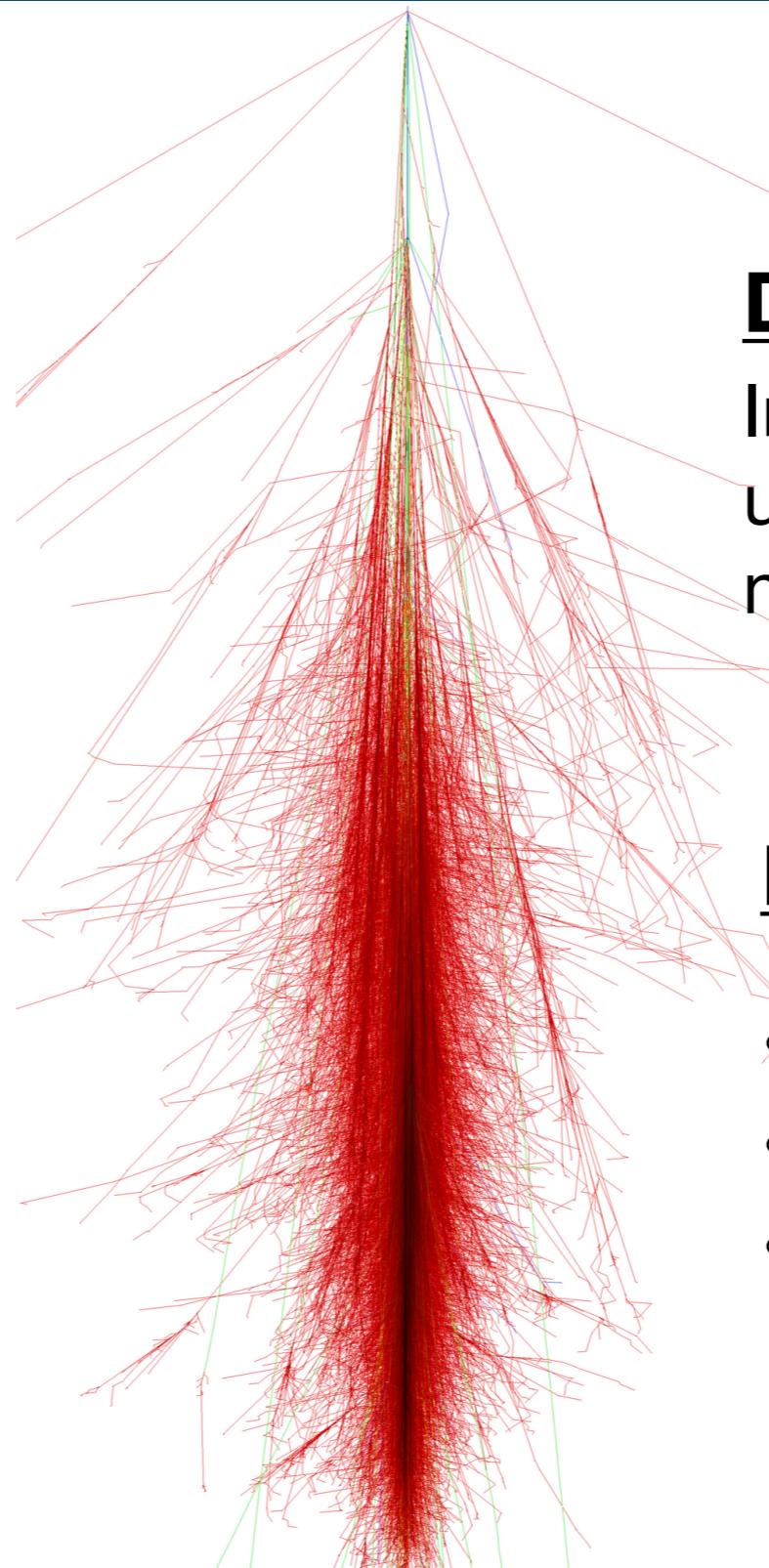
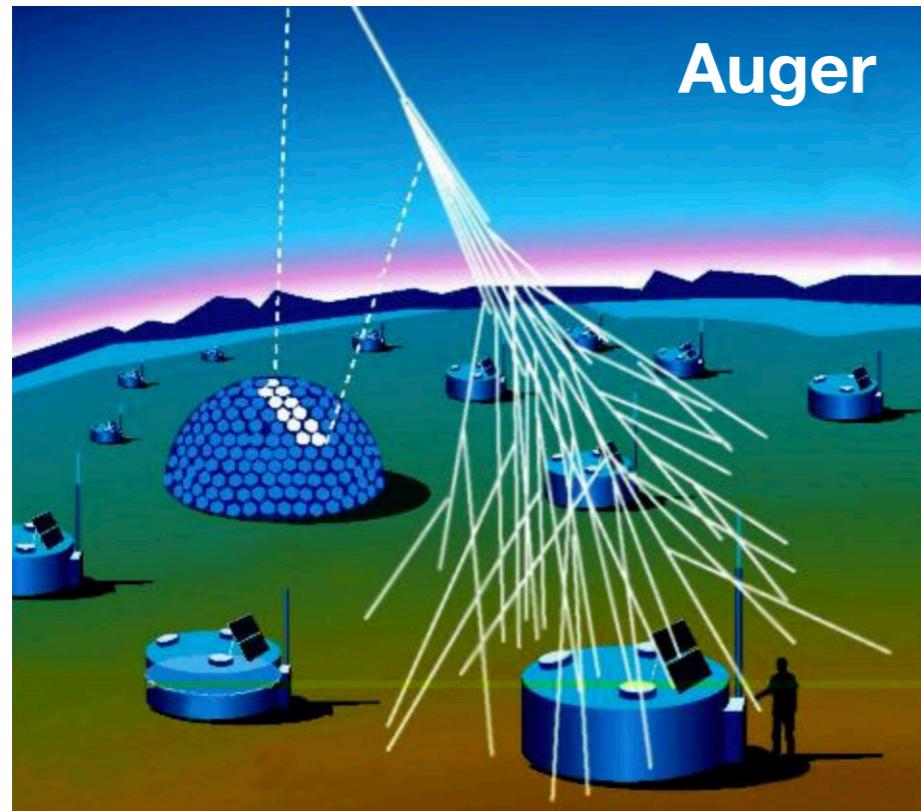
$$E_{Fe, max} = 26 \times E_{p,max}$$

- Below 10^{19} eV, can't point directly to sources
- Transition to heavier composition indicates the maximum source energy is reached

To answer this question, we need to determine the **energy** and **composition** of cosmic rays.



Detecting cosmic-ray air showers



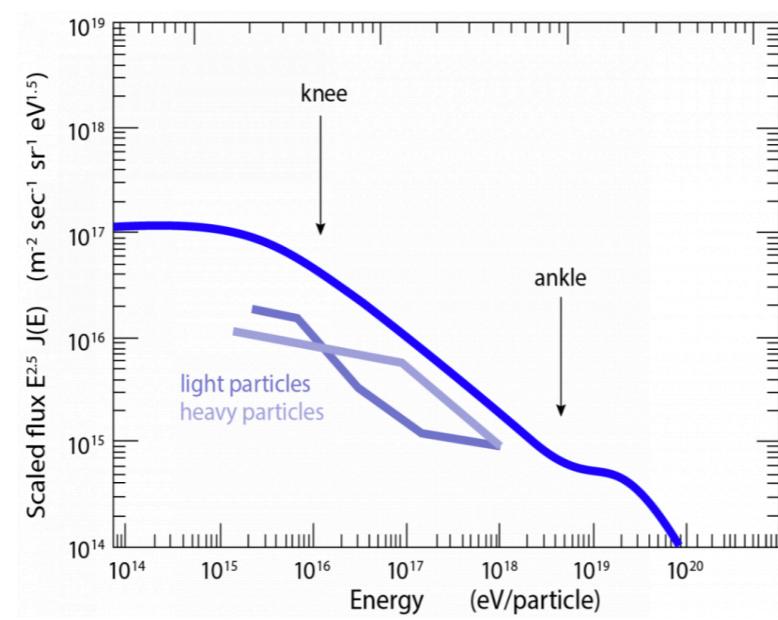
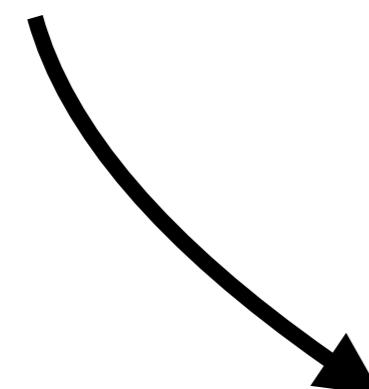
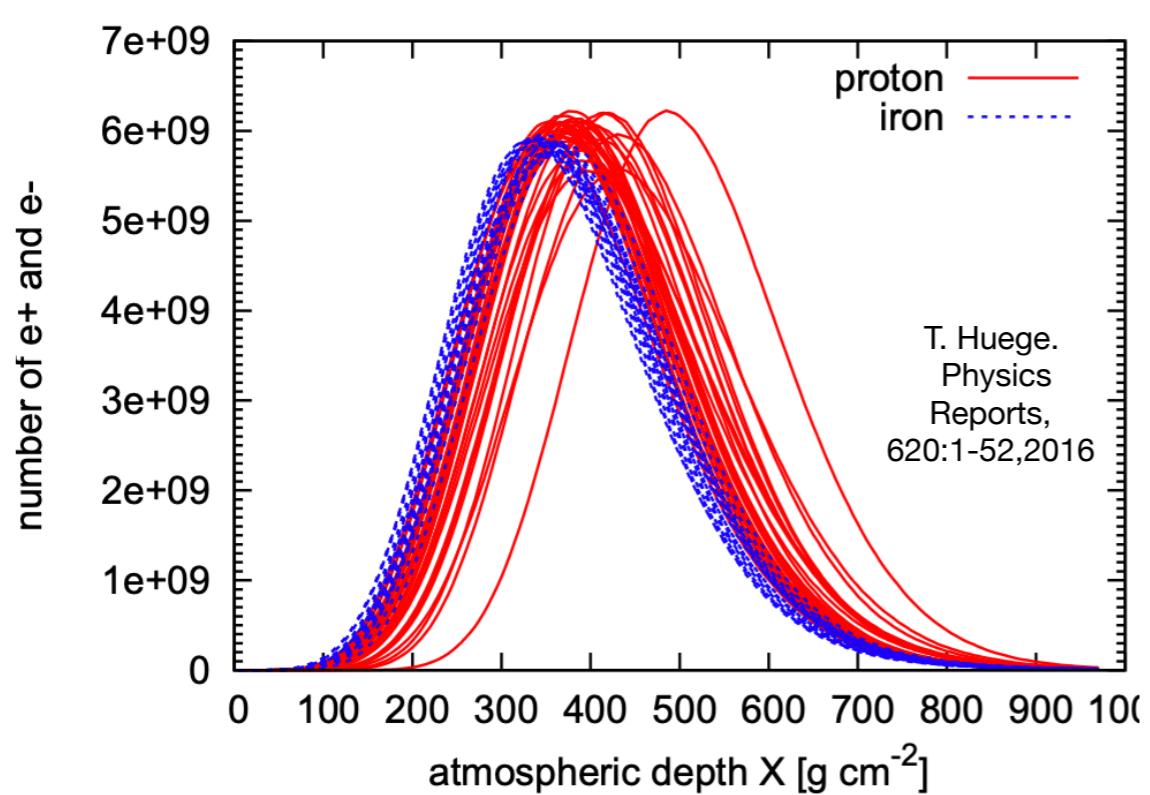
Detection Strategy

Instrument a wide area or use a large target to maximize effective area.

Detection Methods

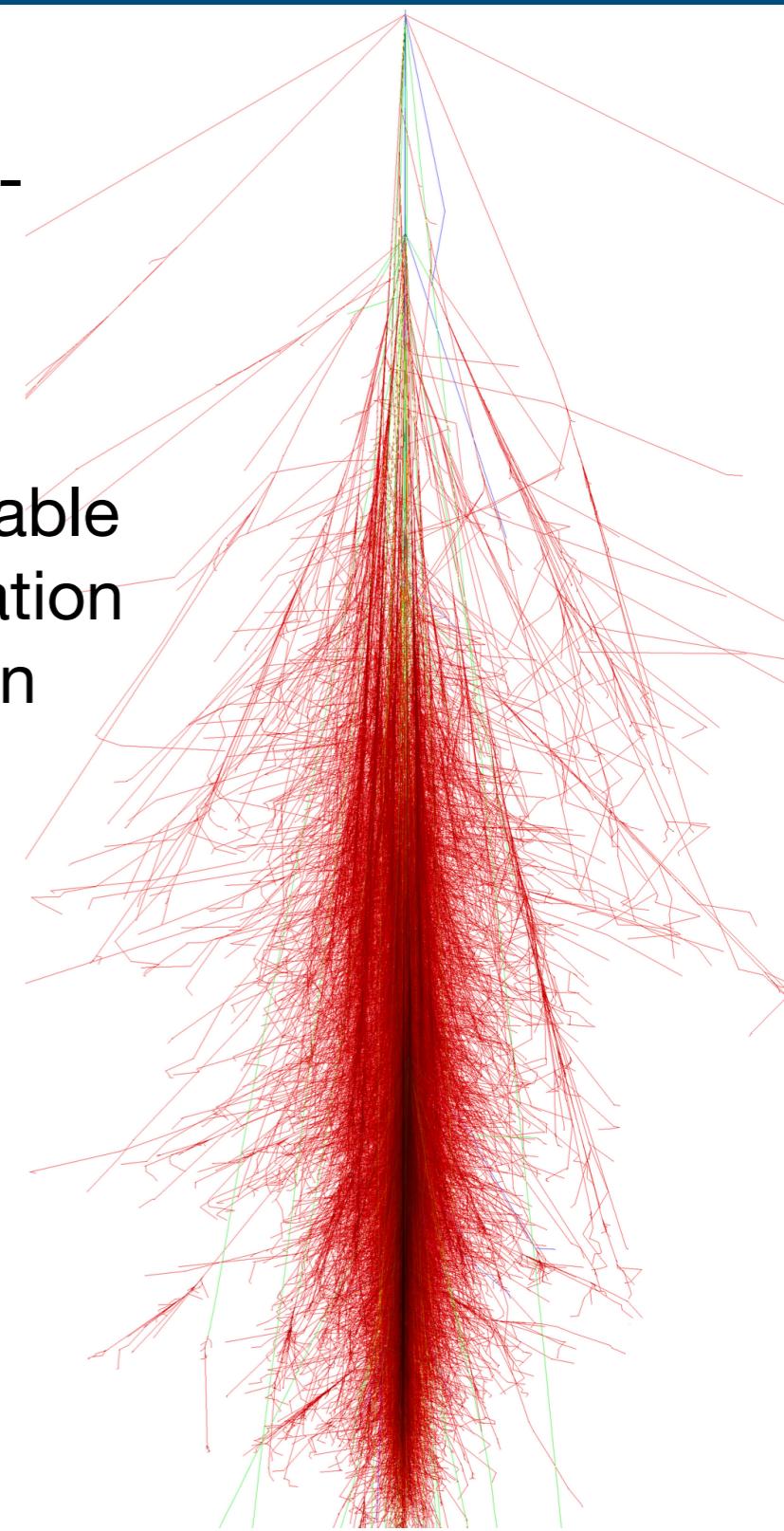
- Particles
- Fluorescence
- Cherenkov light
- **Radio**

Detecting cosmic-ray air showers

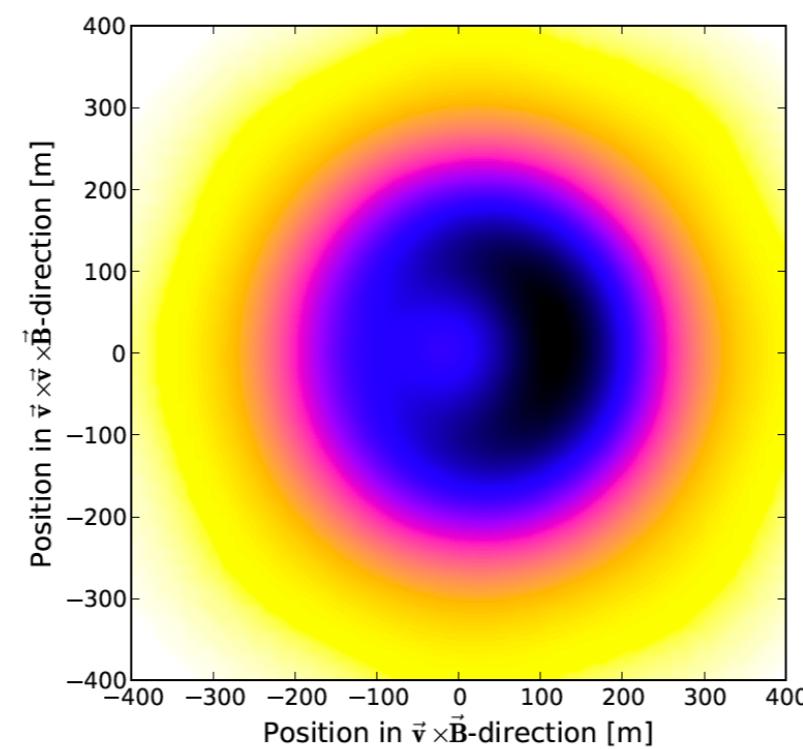
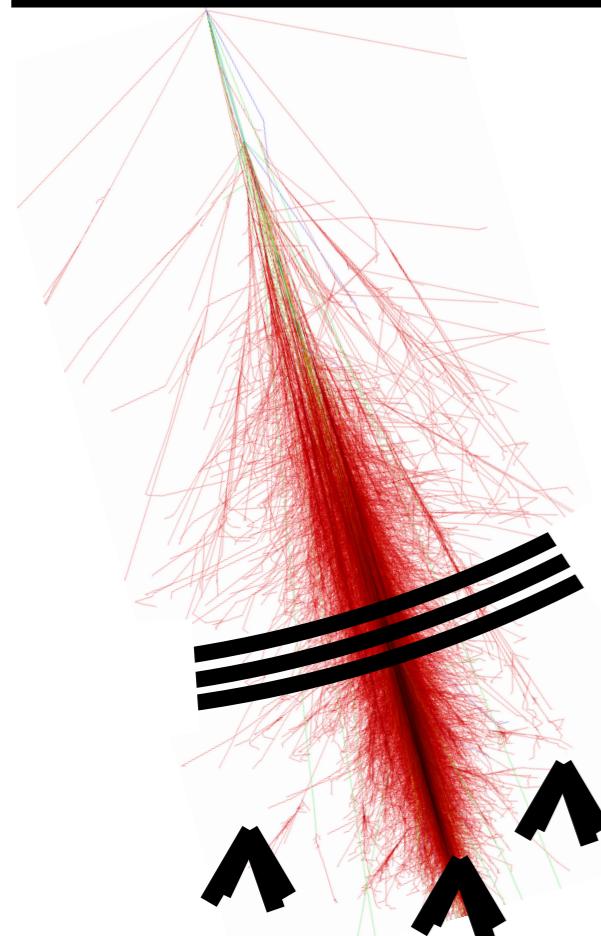
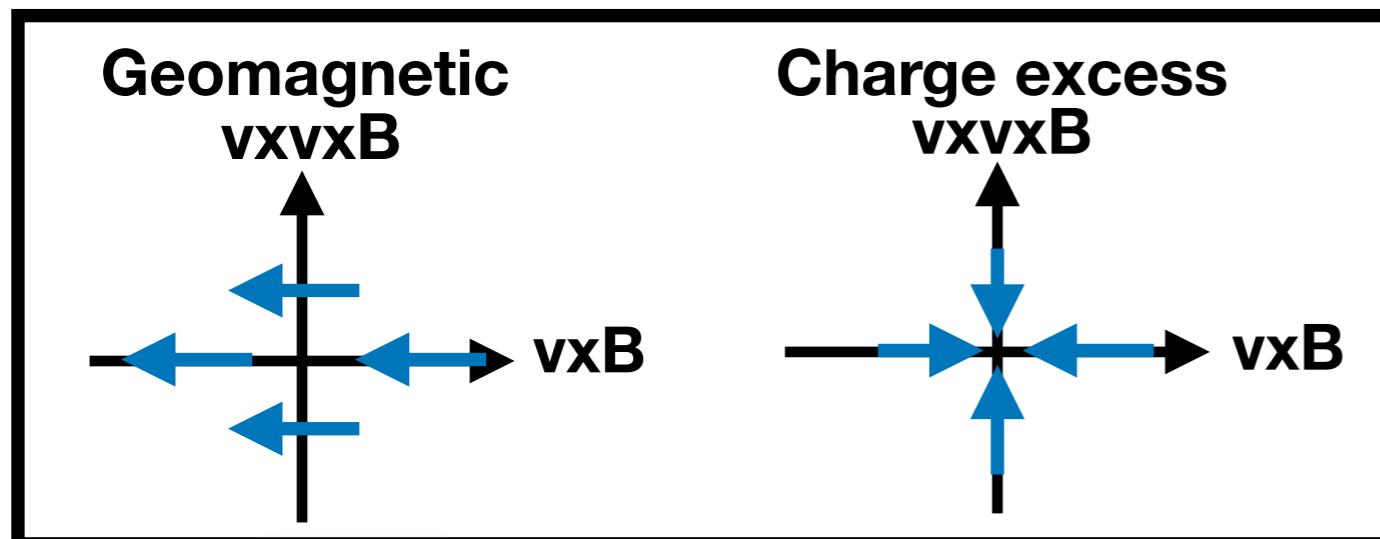


- Indirect detection- can't determine composition

- X_{\max} is an observable that gives information about composition



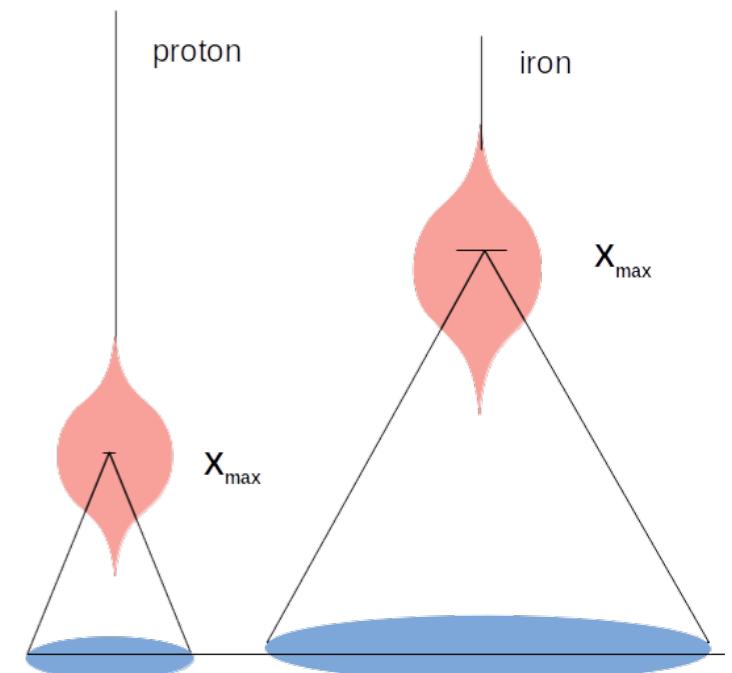
Radio Emission



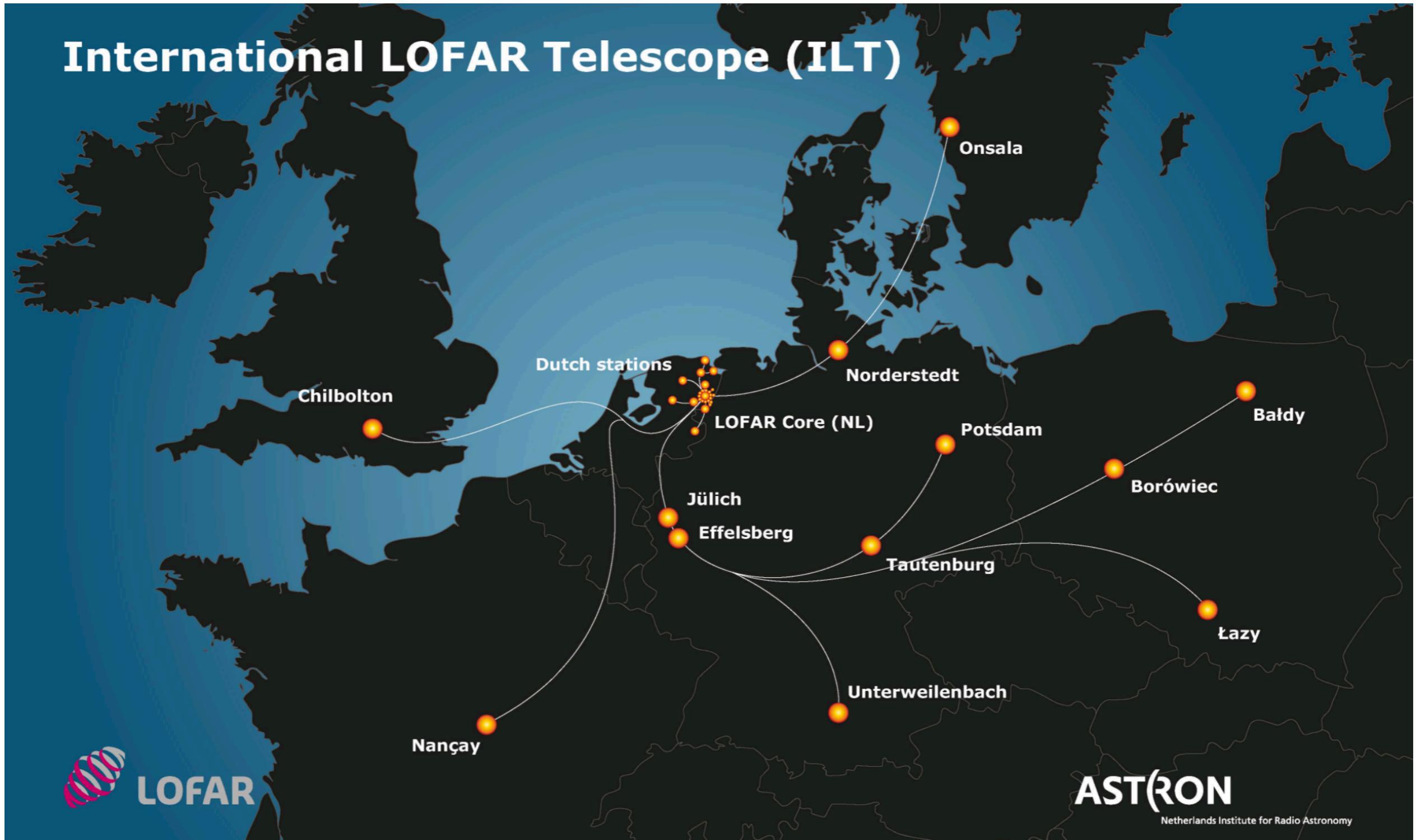
A. Nelles et al., Astropart. Phys. 60, 13 (2015)

- Generated in the electromagnetic components of the air shower
- Radiation pattern, signal strength, and pulse shapes contain information about shower development

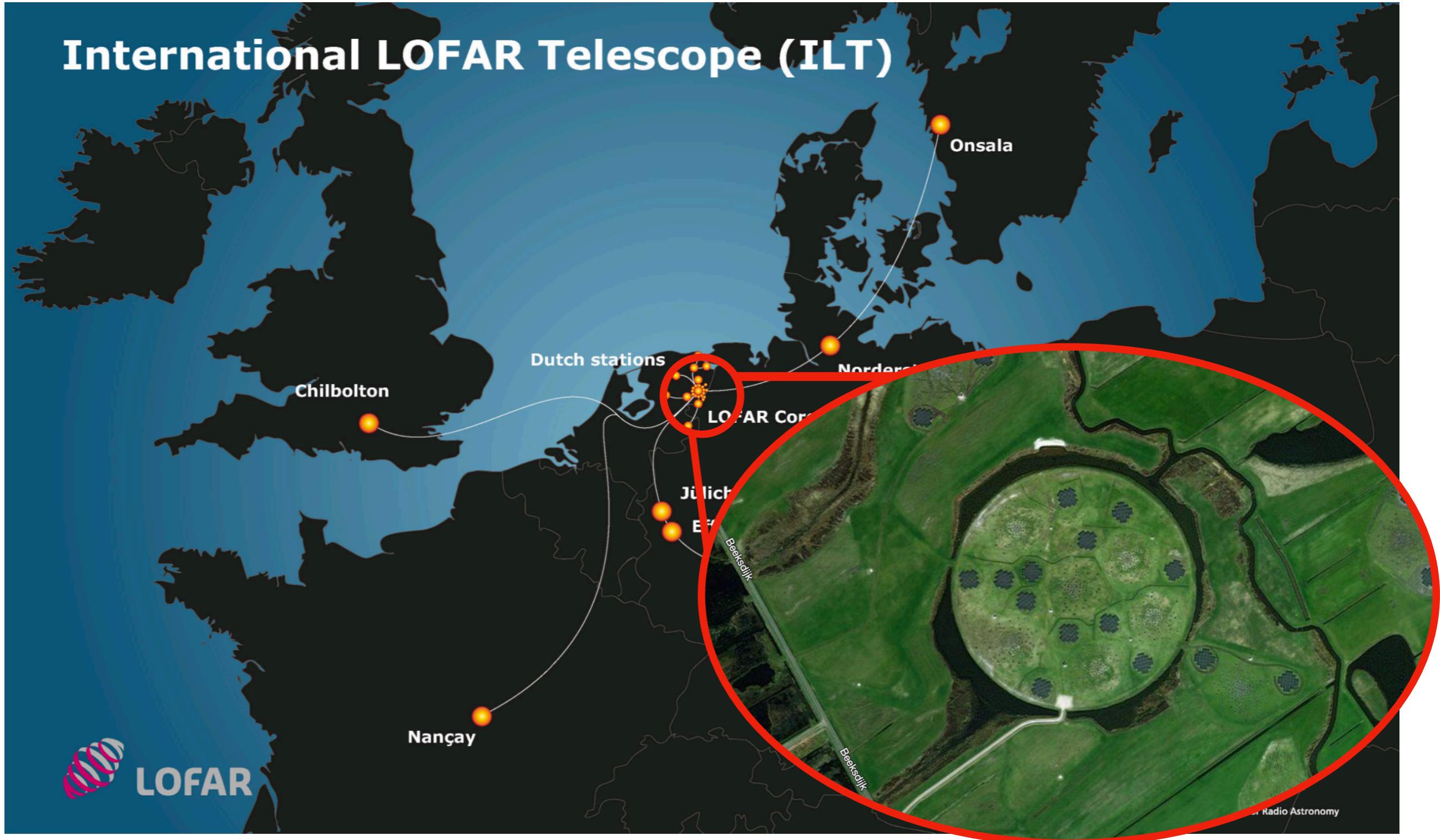
X_{max} & energy



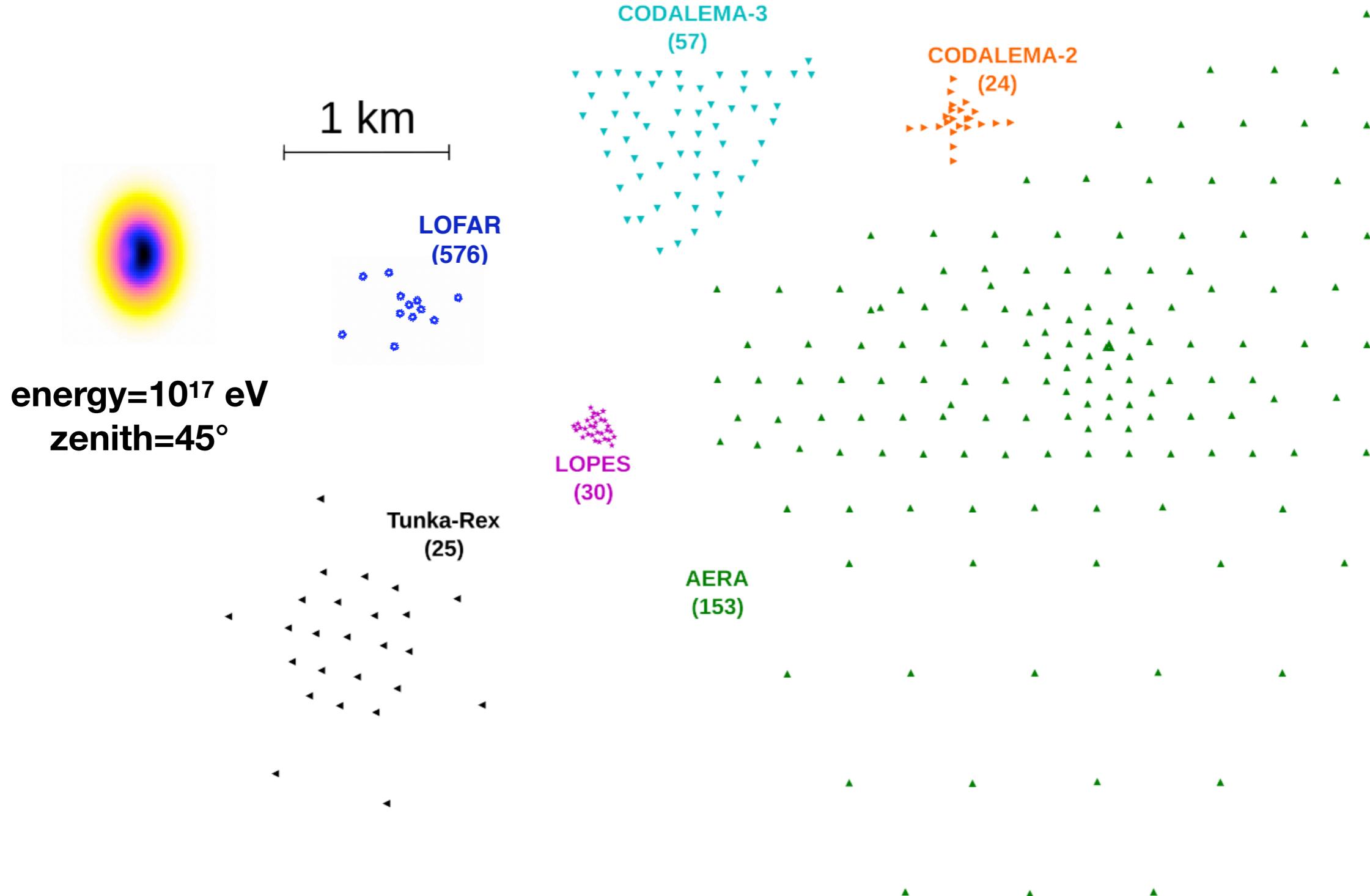
Low Frequency ARray



Low Frequency ARray

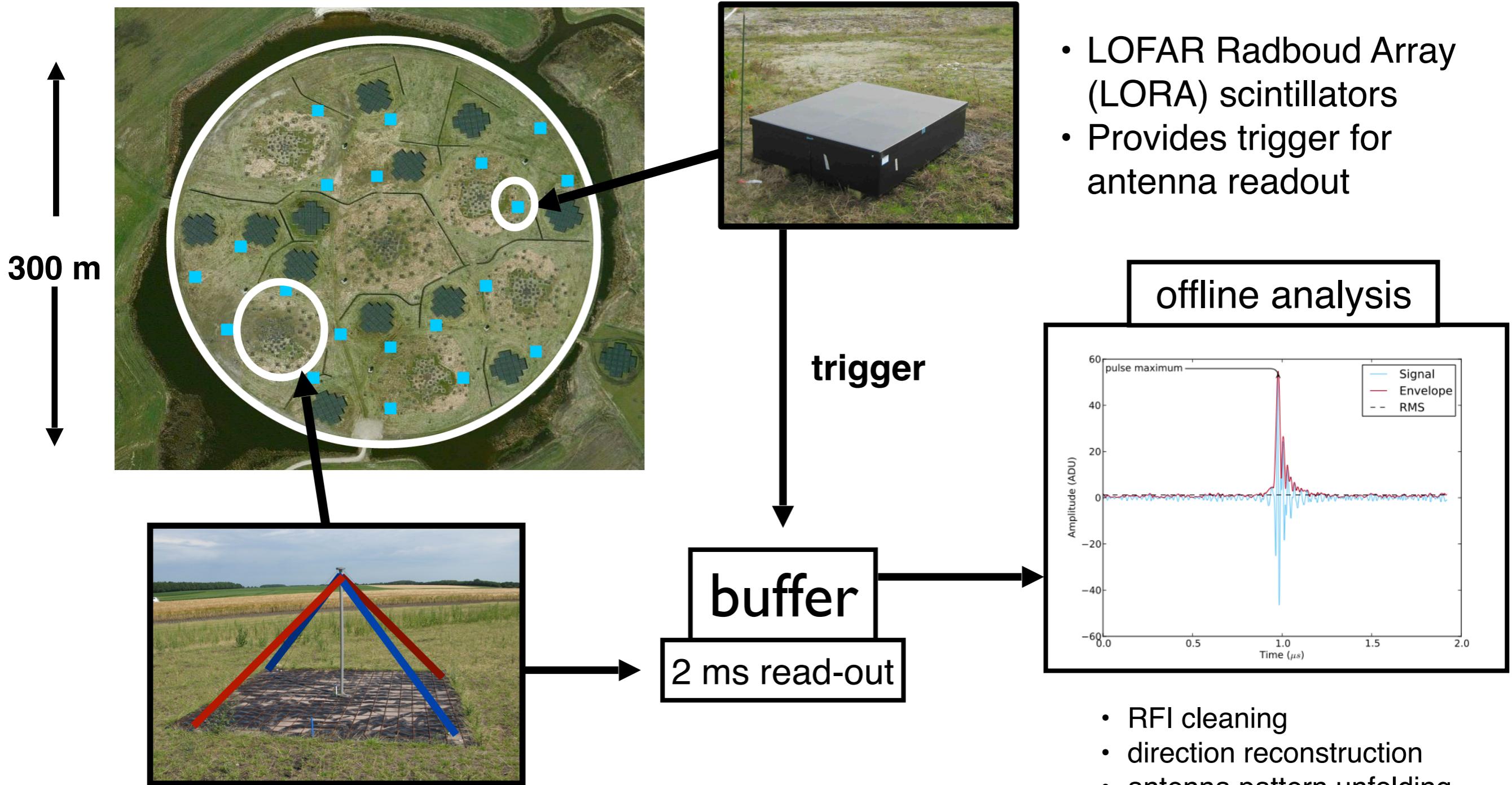


Radio Detection Experiments



T. Huege. Physics Reports, 620:1-52, 2016.

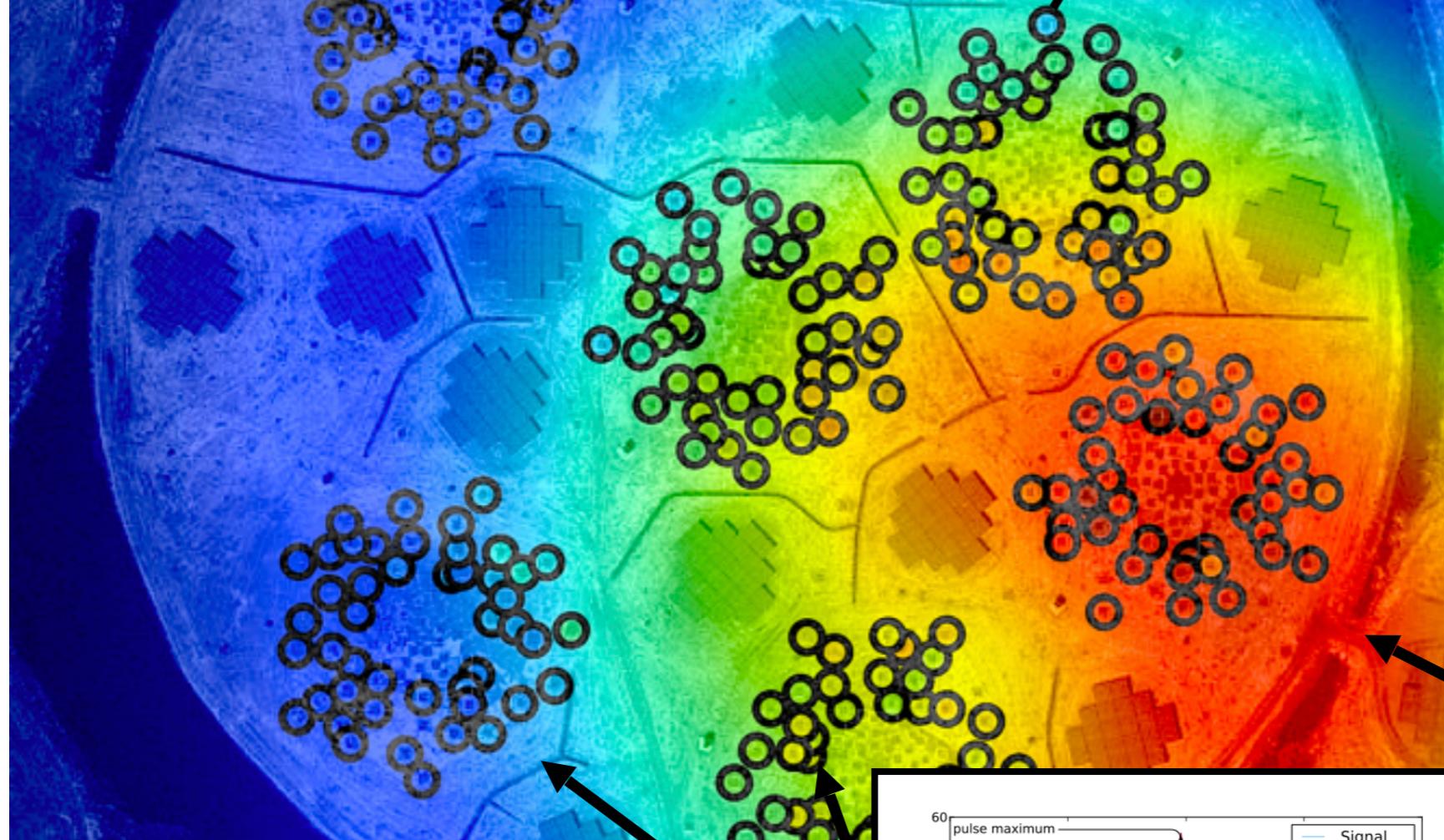
Cosmic Ray Detection at LOFAR



- RFI cleaning
- direction reconstruction
- antenna pattern unfolding
- calibration

P. Schellart et al., A&A 560, 98 (2013)

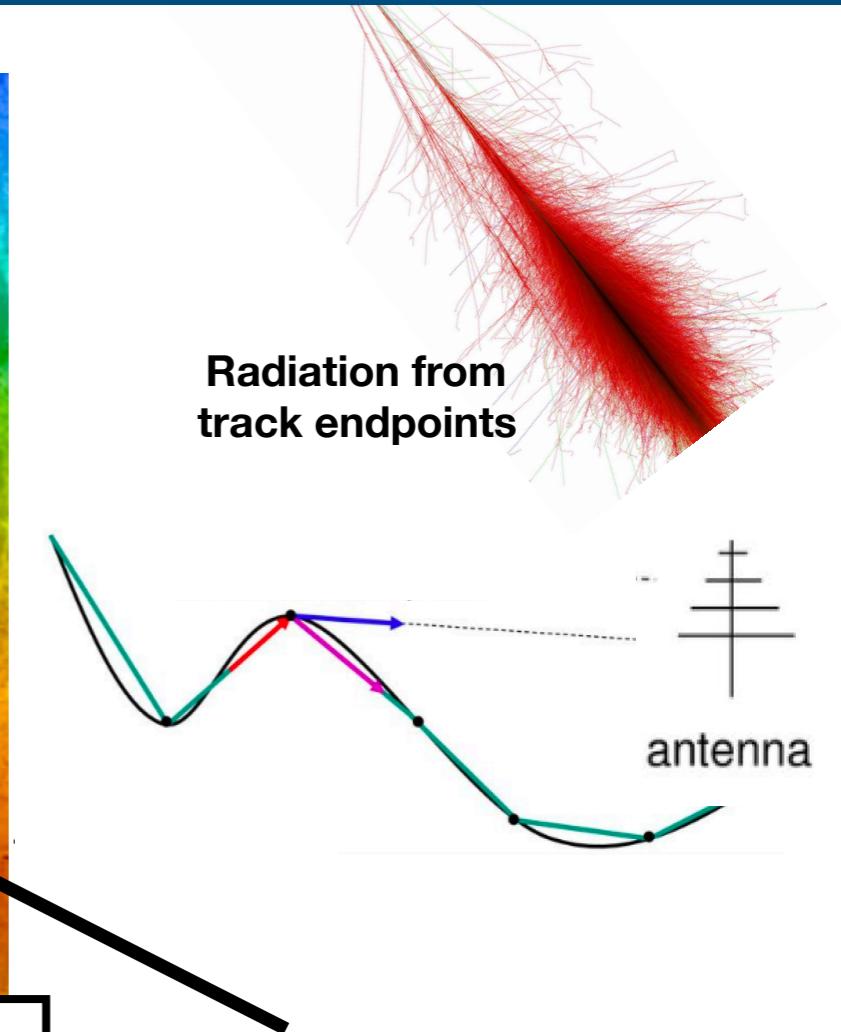
Event Analysis



SB et al. PRD 90 082003 (2014).

LOFAR data

- 200-450 antennas / event
- Total power within 55ns of peak emission



CoREAS simulation

- no assumptions about emission
- independent of hadronic models

T. Huege et al. AIP Conf. Proc. 1535 (2013) no.1, 128

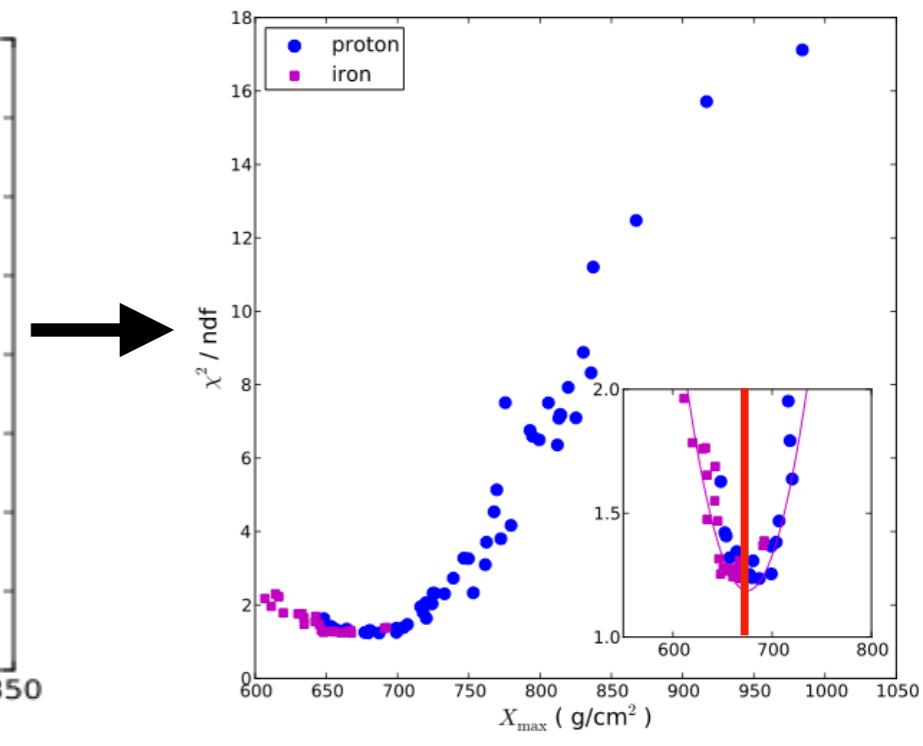
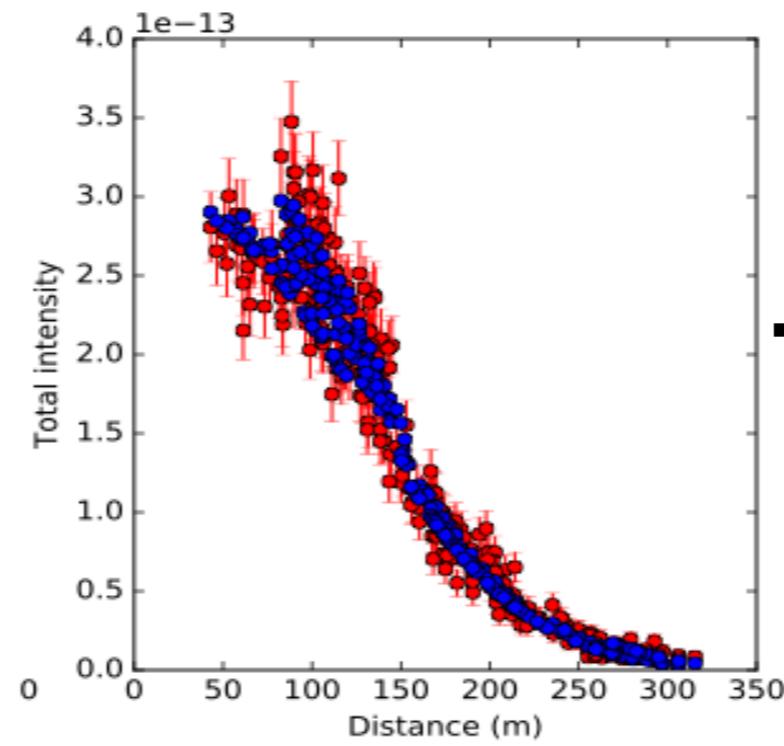
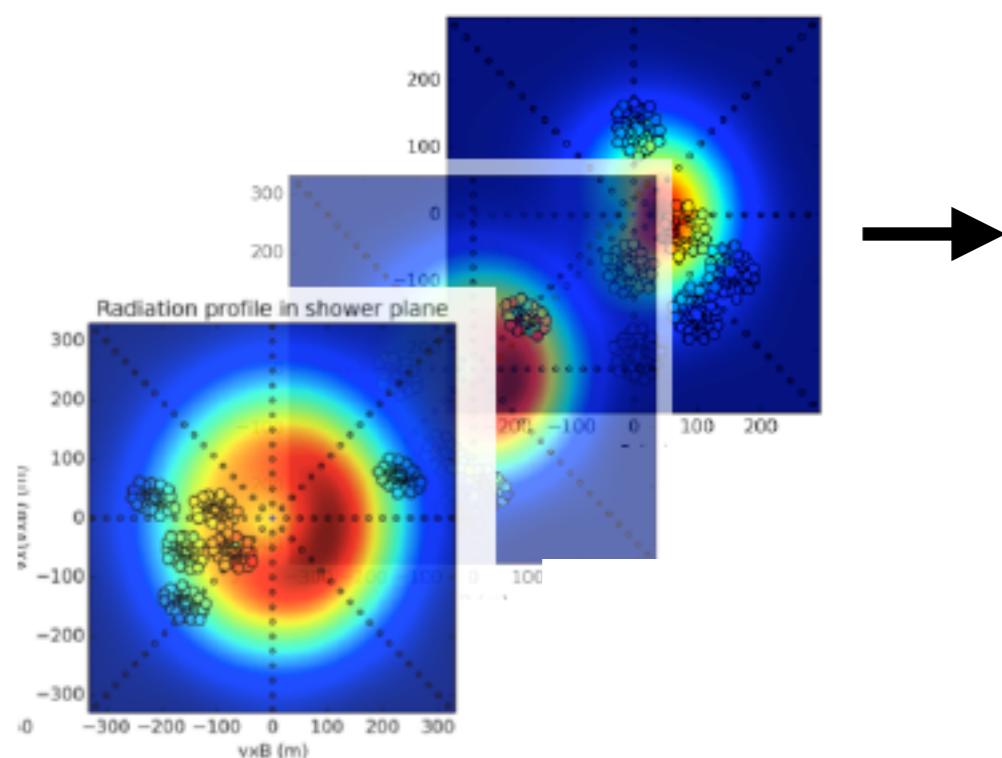
Event Analysis

- Simulate ~30 P and Fe showers with realistic atmosphere and known arrival direction (natural distribution of X_{\max})
- Calculate reduced χ^2 for each simulation
- Parabola fit determines event X_{\max}
- Resolution < 20 g/cm²
- Systematic uncertainties < 9 g/cm²

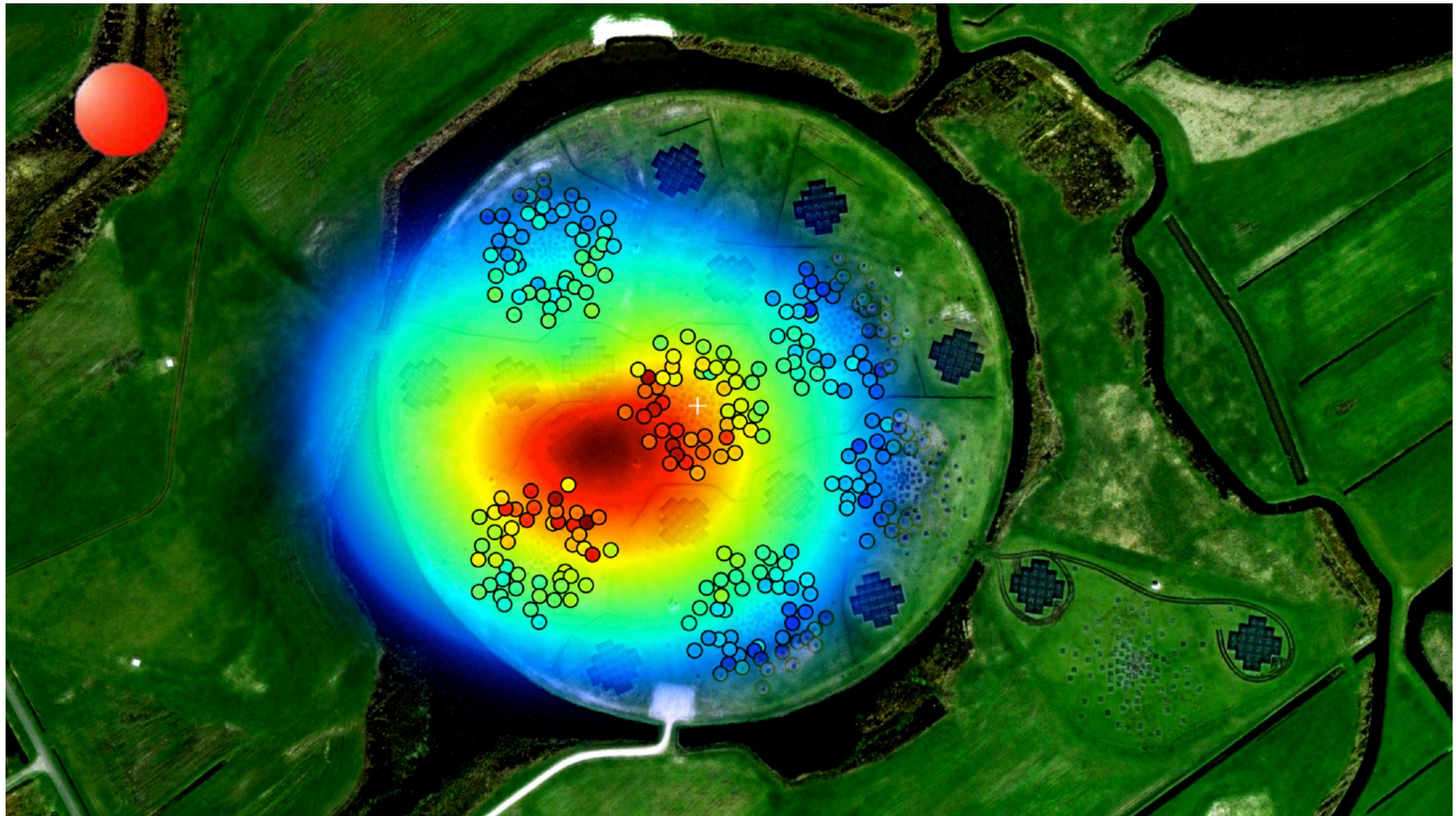
$$\chi^2_{\text{radio}} = \sum_{\text{antennas}} \left(\frac{P_{\text{ant}} - f_r^2 P_{\text{sim}}(x_{\text{ant}} - x_0, y_{\text{ant}} - y_0)}{\sigma_{\text{ant}}} \right)^2$$

$$E_{\text{radio}} = f_r \times E_{\text{sim}}$$

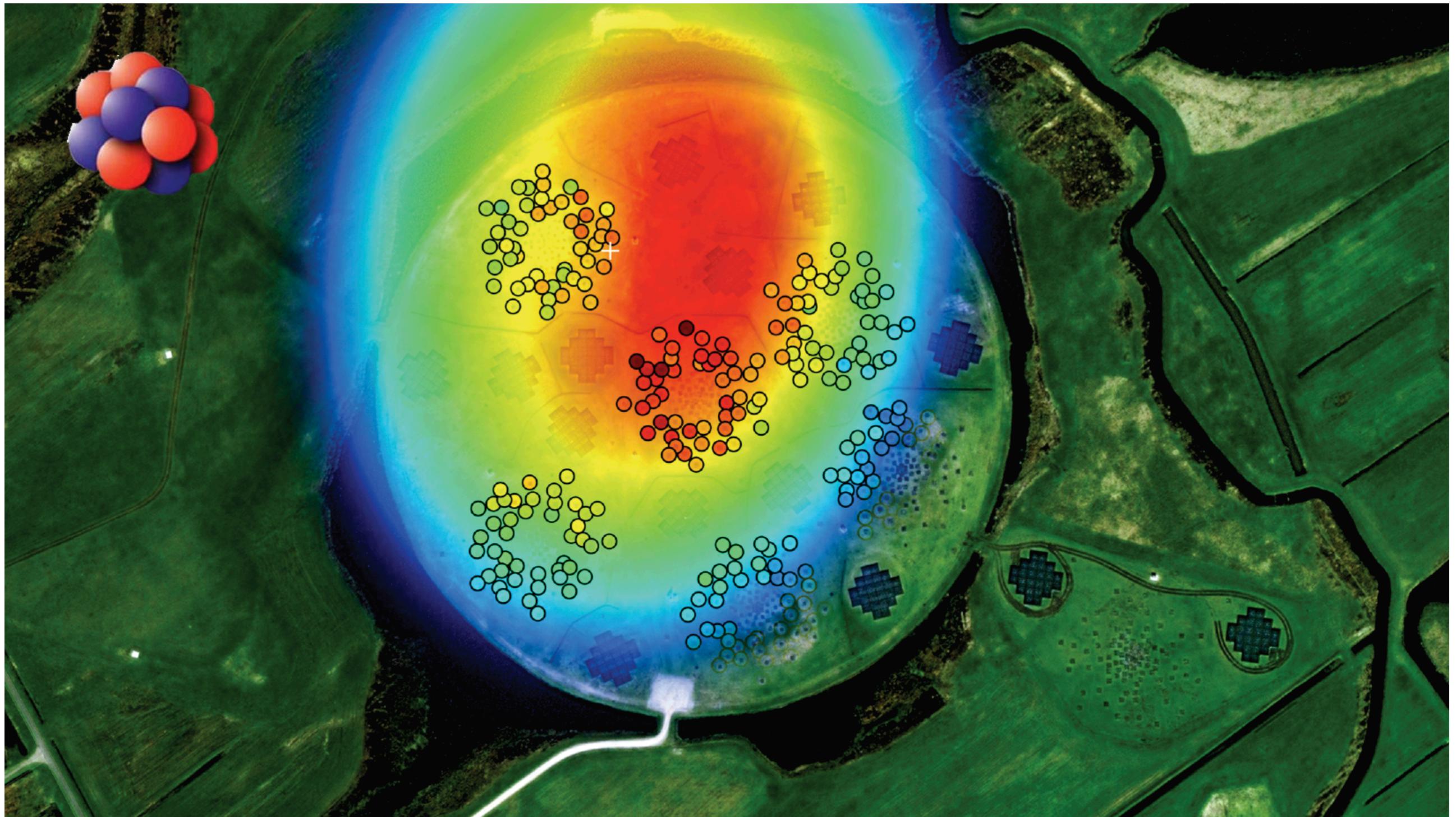
Free parameters: energy and core position



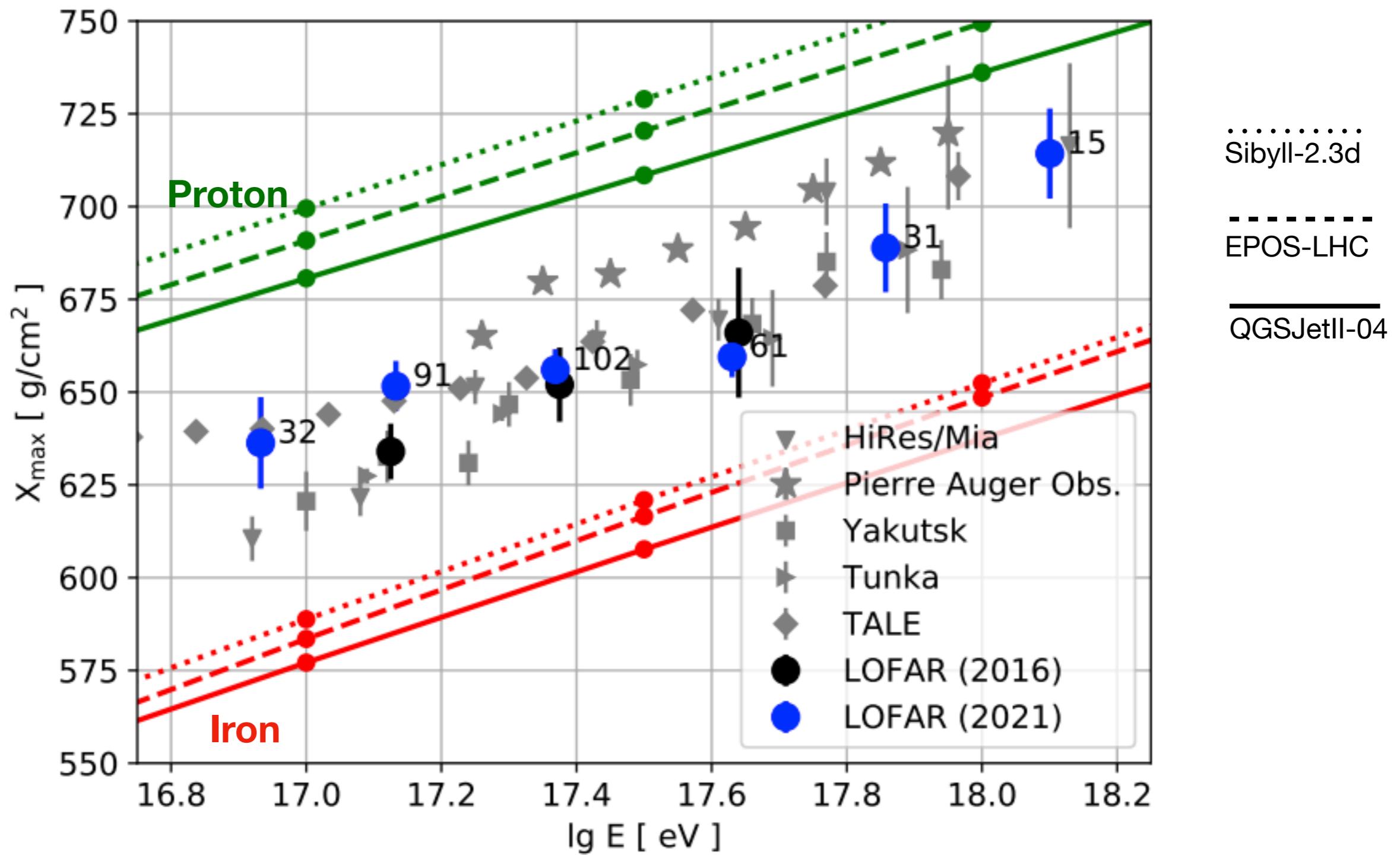
Event Analysis



Event Analysis

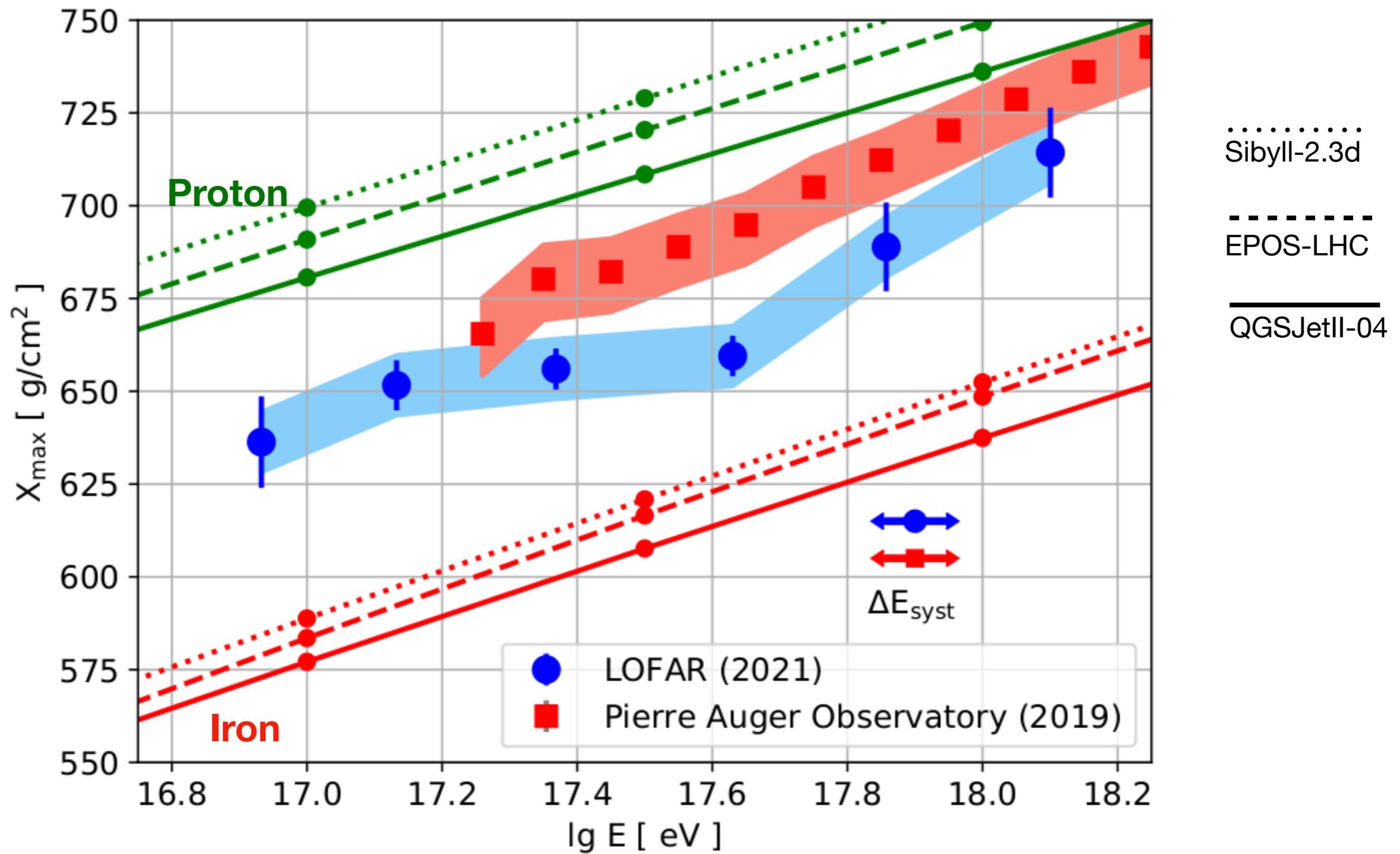


Composition Results



Corstanje et al. 2021. arXiv:2103.12549v1

Composition Results

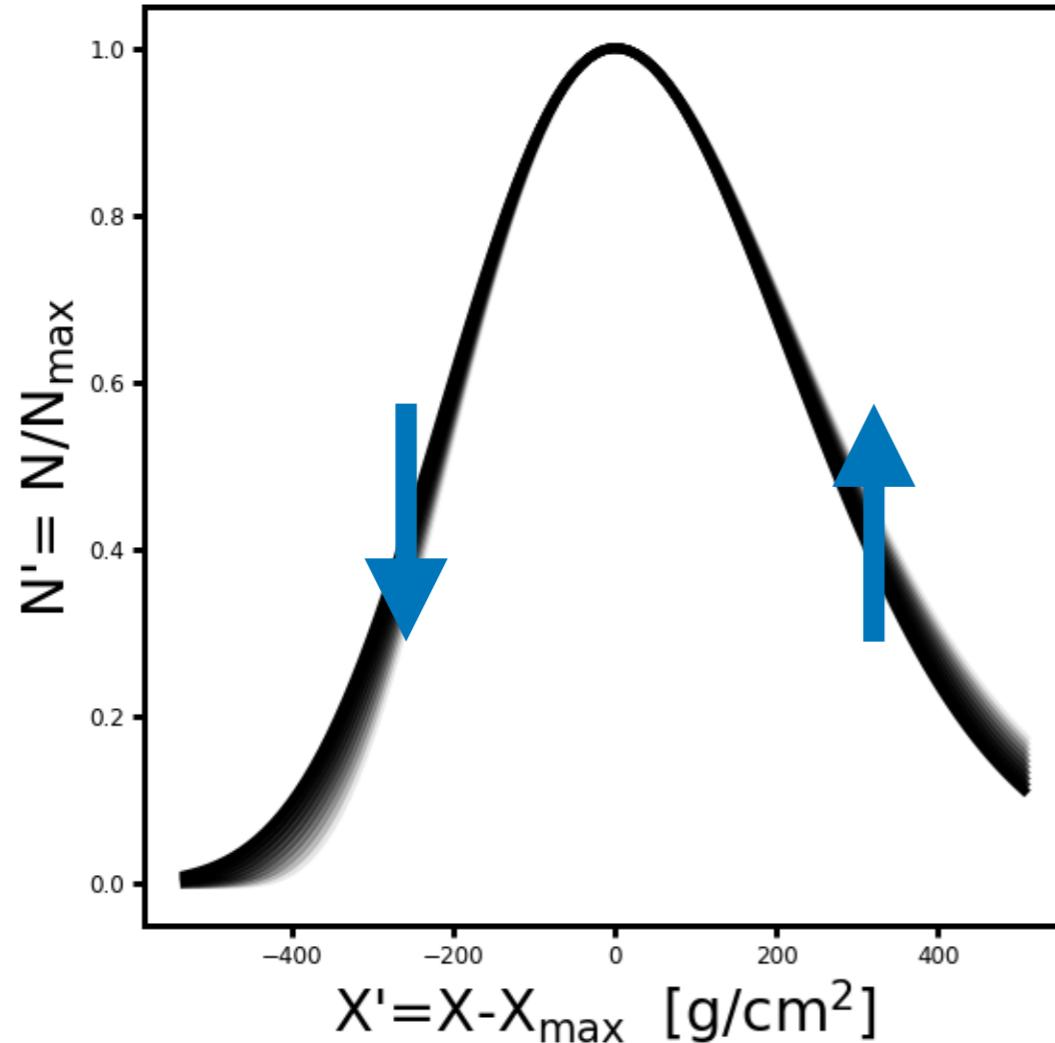


Corstanje et al. 2021. arXiv:2103.12549v1

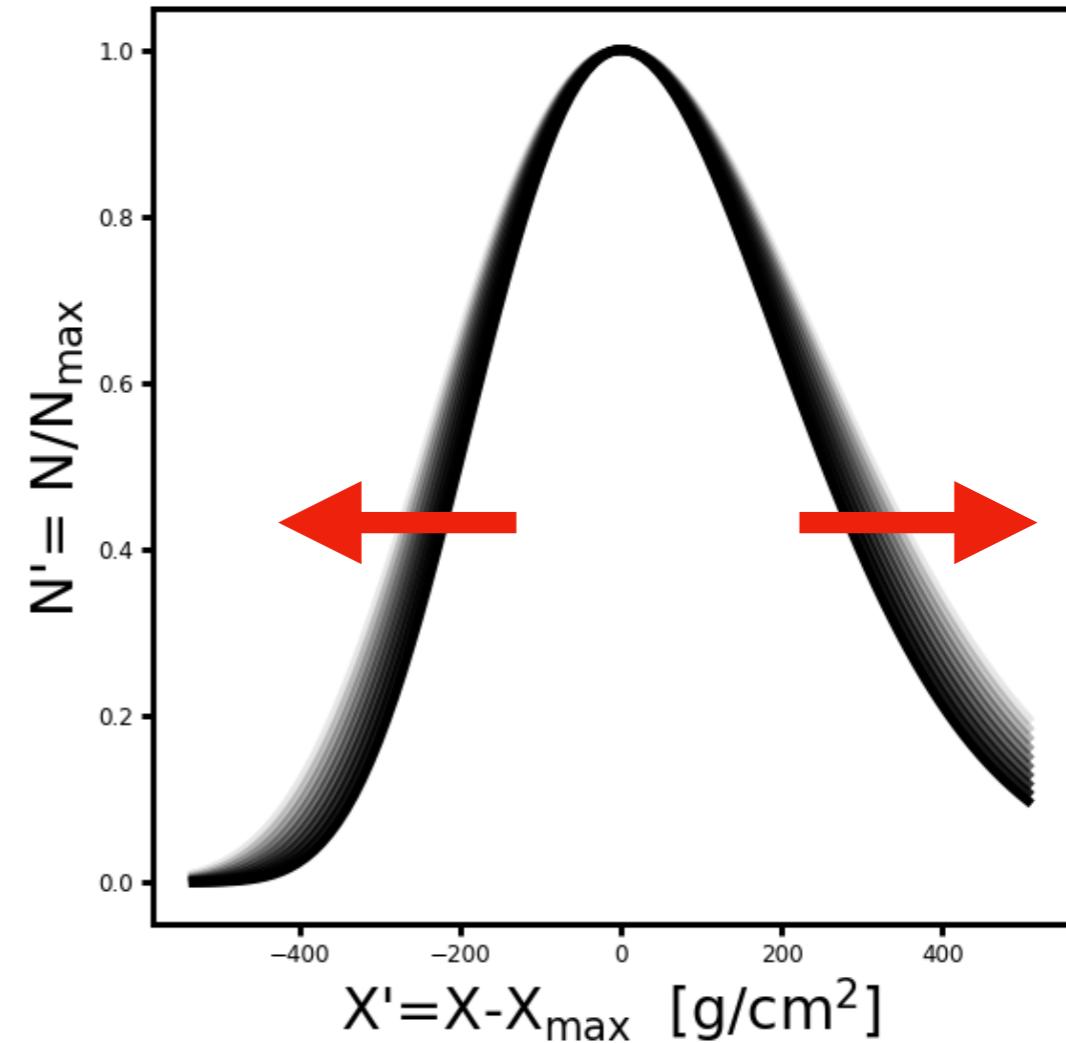
Beyond X_{max}

$$N' = \left(1 + \frac{RX'}{L}\right)^{R-2} \exp\left(\frac{-X'}{LR}\right)$$

Changing R: asymmetry

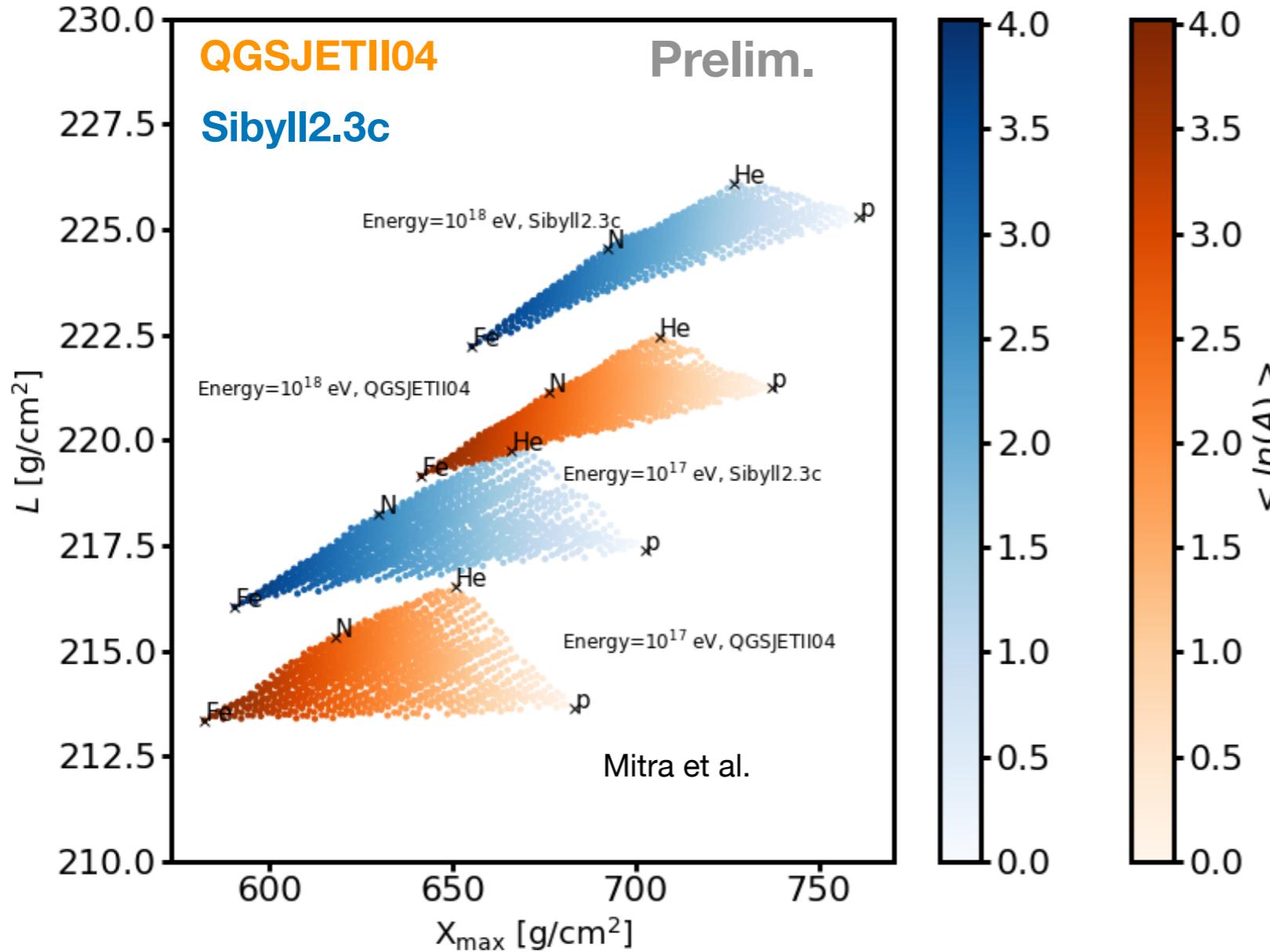


Changing L: width



From P. Mitra

Beyond X_{max}



$$\langle \ln(A) \rangle = f_p \ln(1) + f_{He} \ln(4) + f_N \ln(14) + f_{Fe} \ln(56)$$

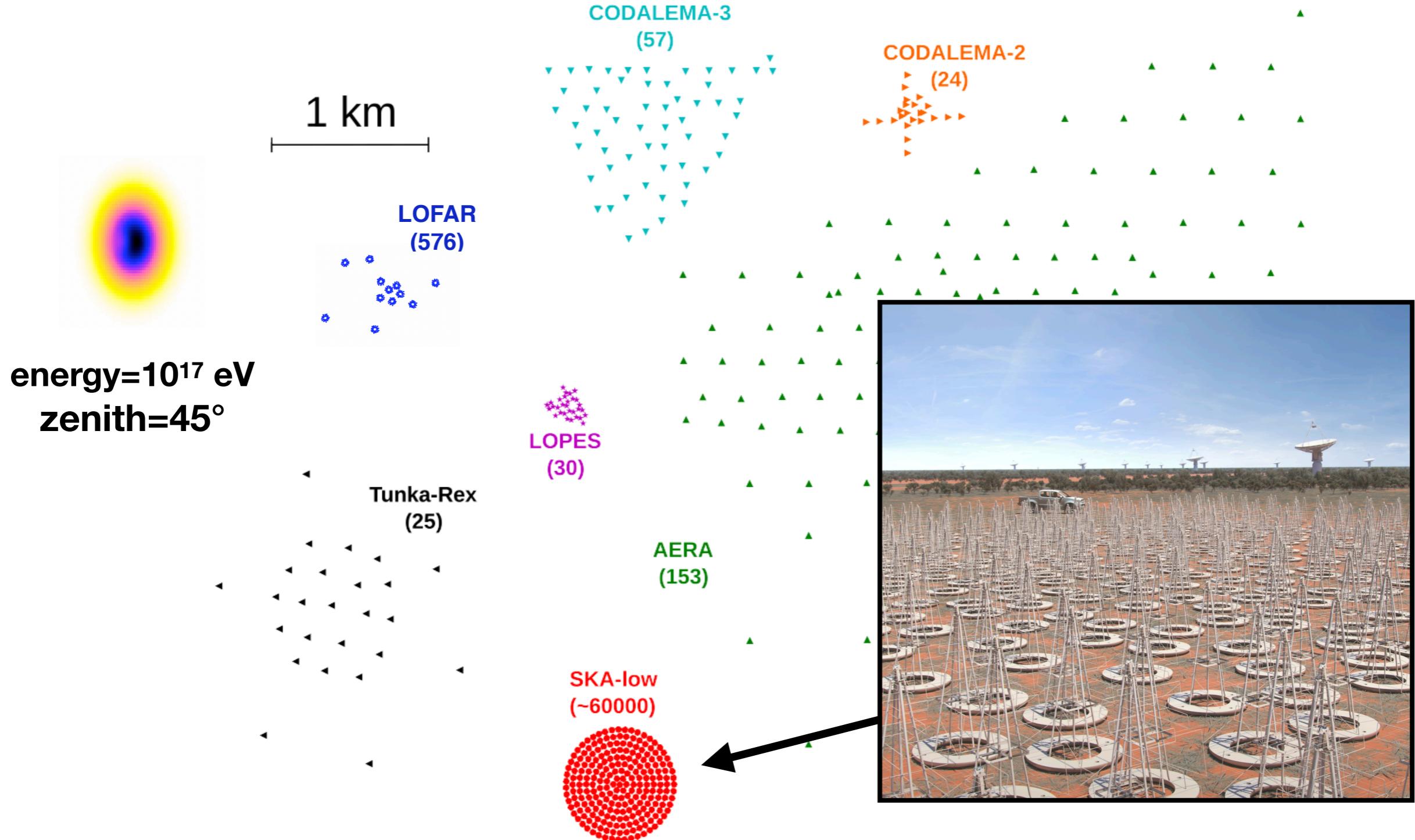
- 5000 CONEX showers for each combination
- Studying L and X_{max}/R together yields more info about composition and hadronic interaction model

Can the composition be better determined by including L in the fit?

- Determining L requires sensitive measurements

From P. Mitra

Radio Detection Experiments

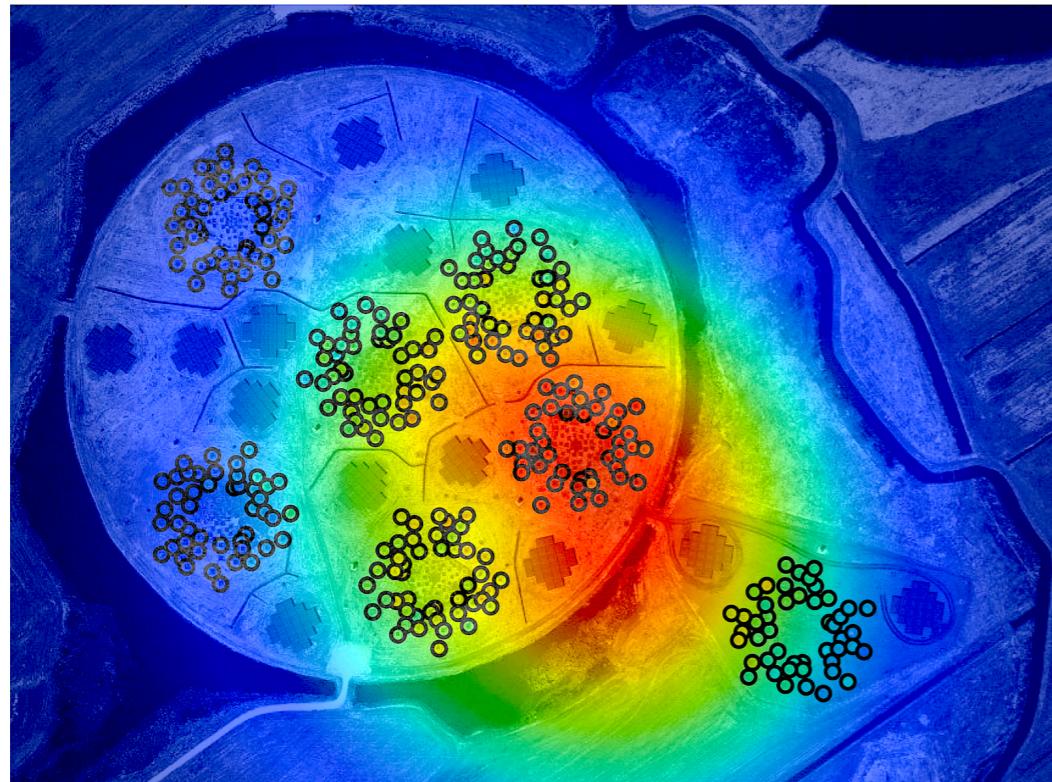


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Radio Detection Experiments

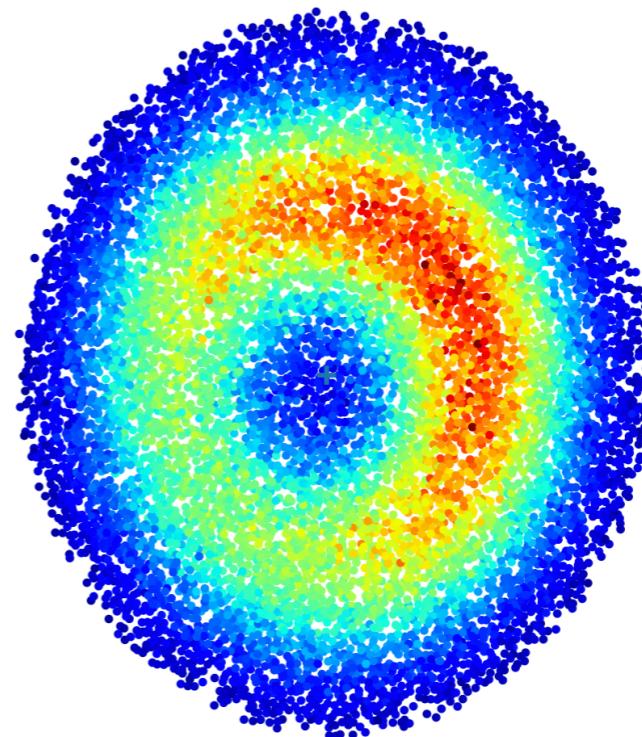
LOFAR

- X_{\max} resolution: 20 g/cm²
- Energy resolution: 9%
- Core resolution: 3-10 m
- Northern hemisphere



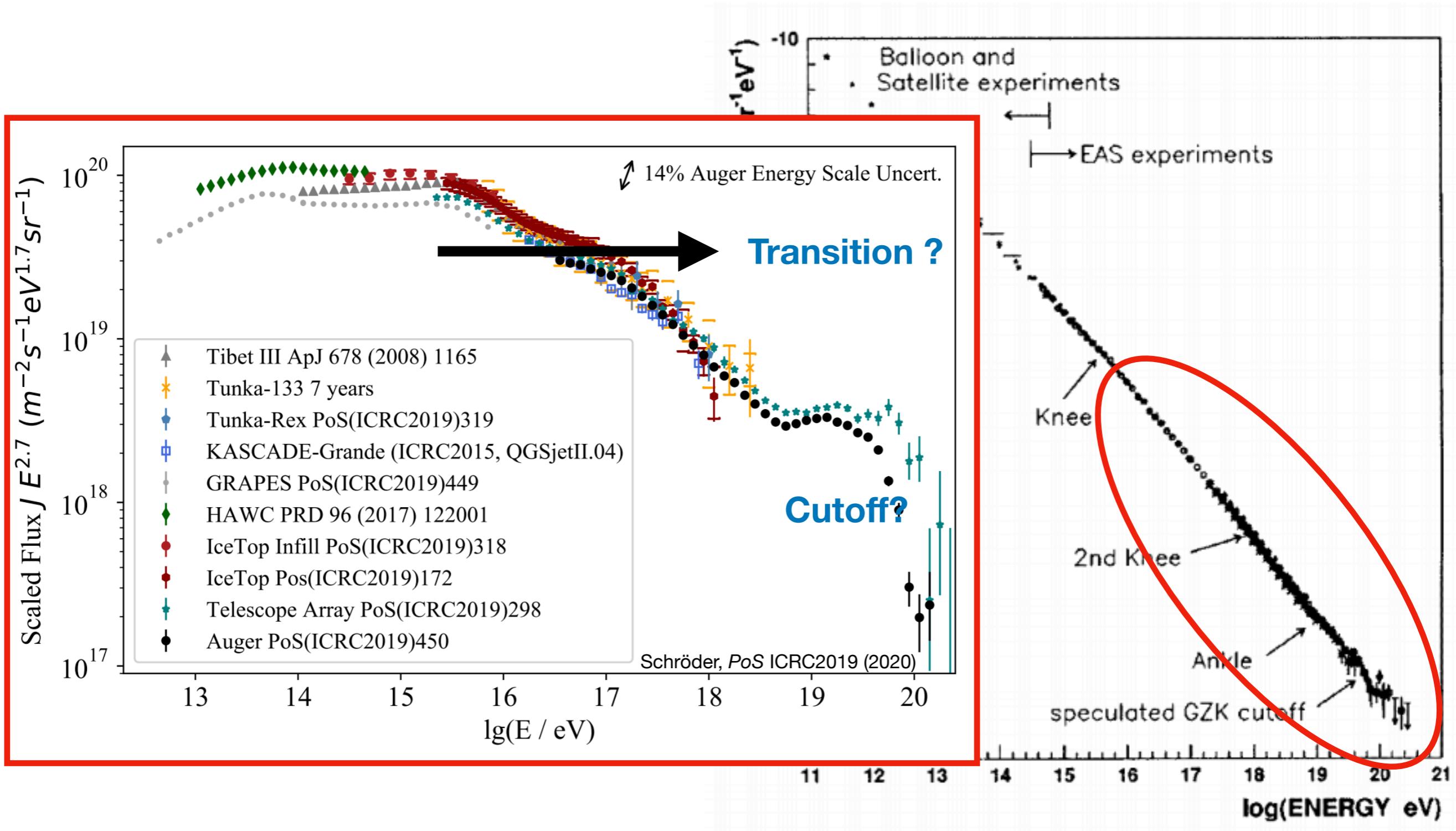
SKA

- X_{\max} resolution: 6-8 g/cm²
- Energy resolution: 3%
- Core resolution: 50 cm
- Southern hemisphere

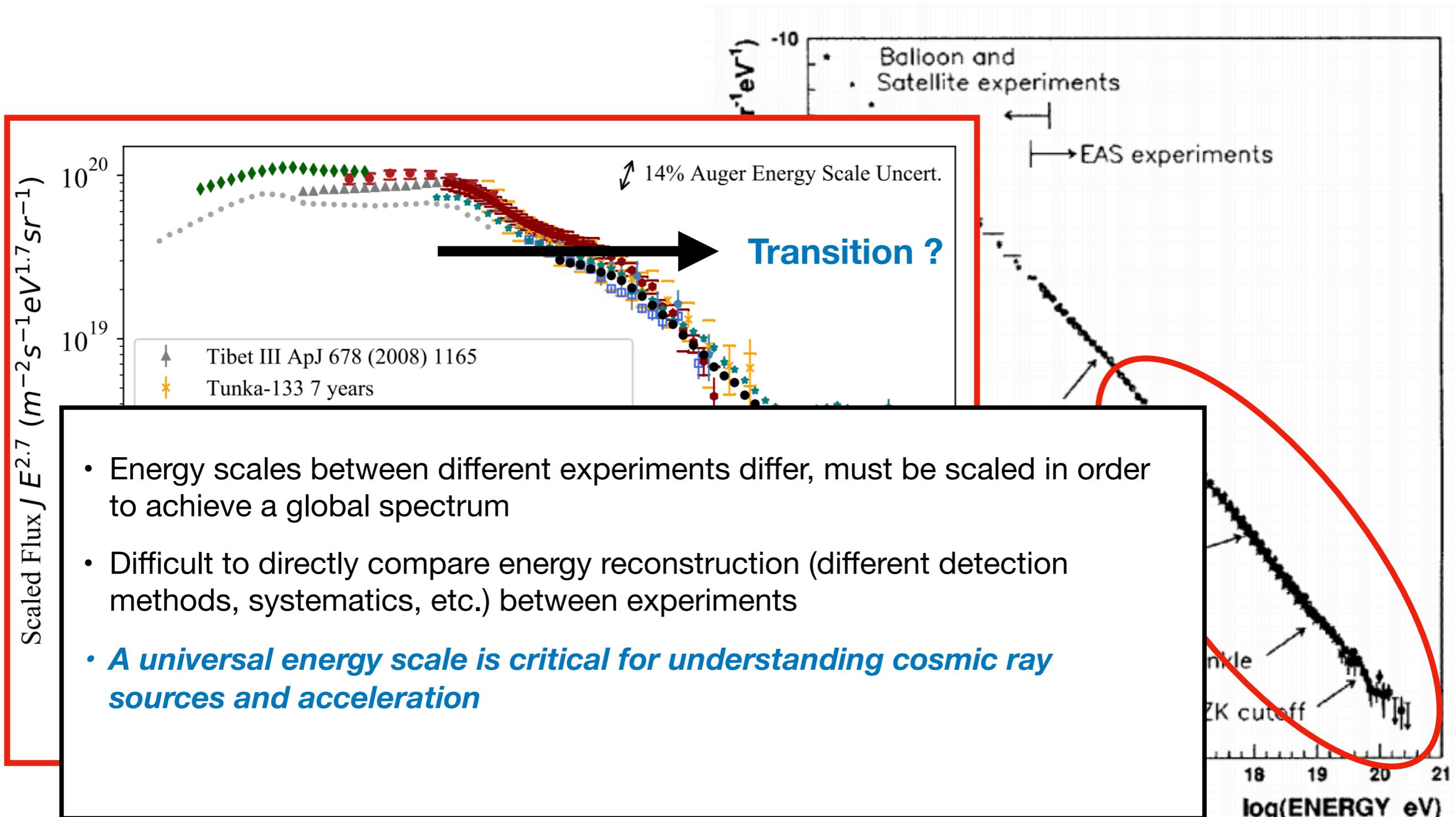


Coming online soon ...

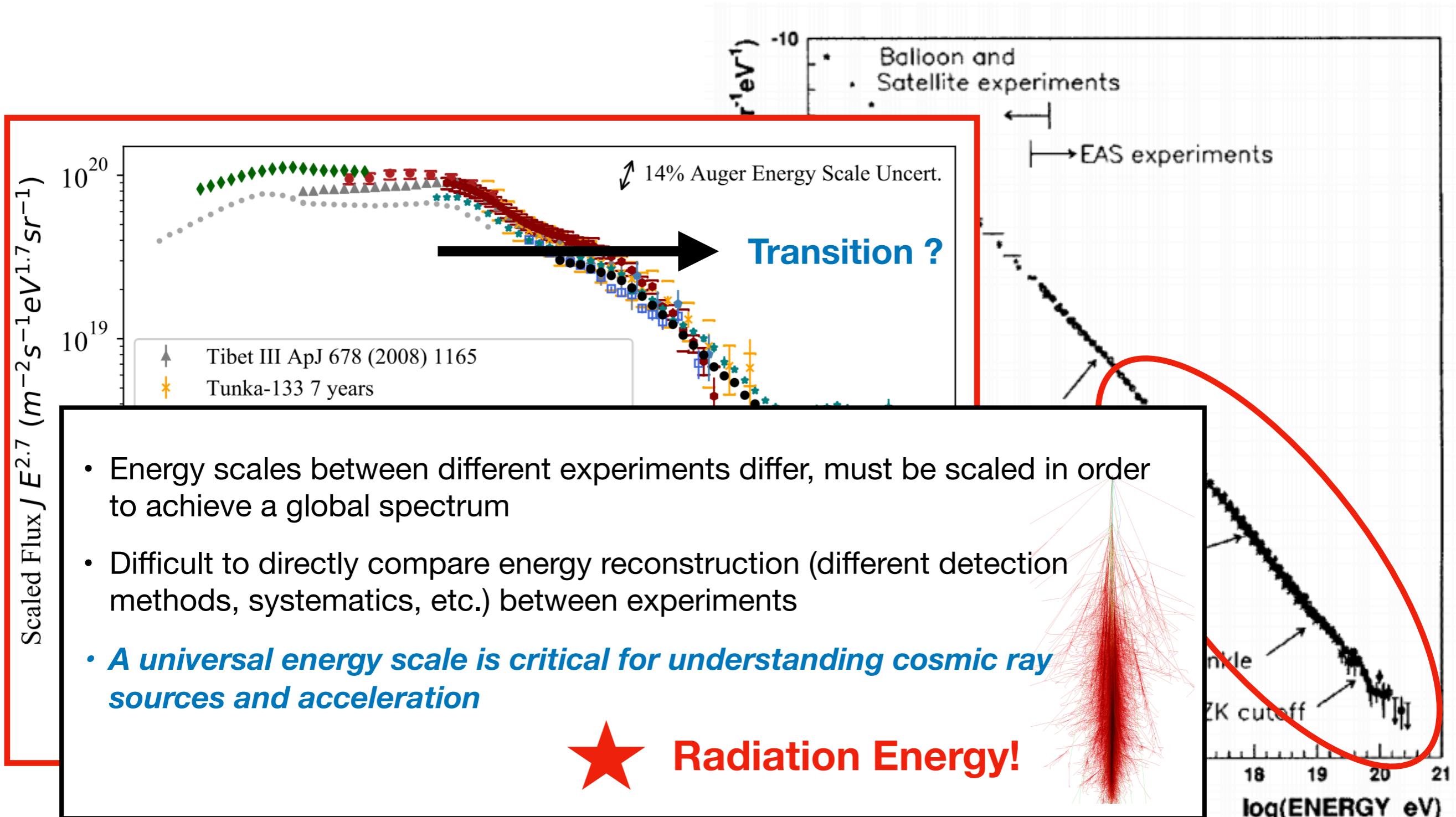
Where do cosmic rays come from?



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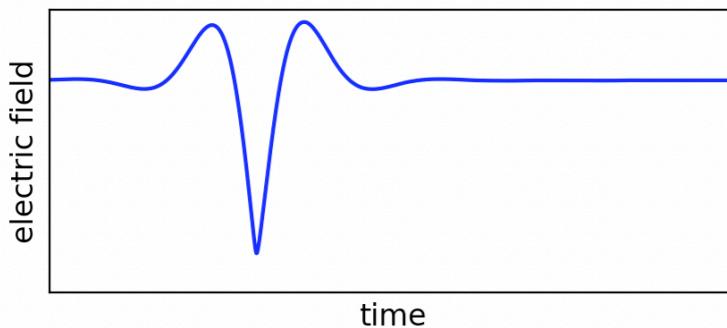


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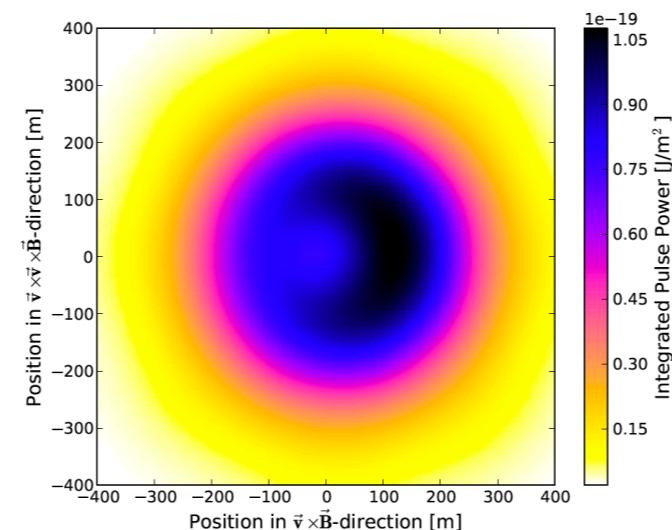


Radiation Energy

electric field → fluence

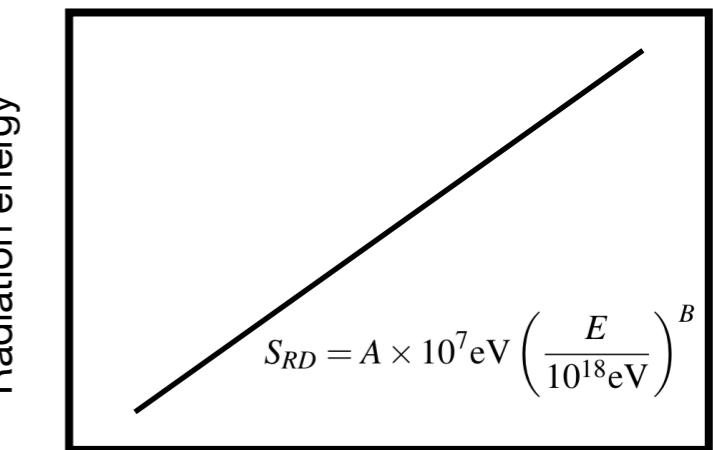


fluence → radiation energy



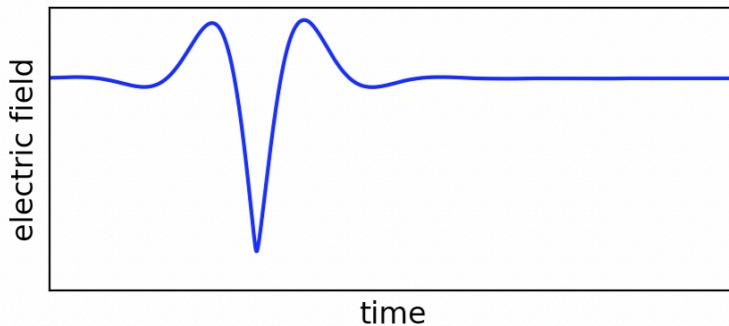
$$f_{\vec{v} \times \vec{B}}(\vec{r}) = \epsilon_0 c \Delta t \sum_i E_{\vec{v} \times \vec{B}}^2(\vec{r}, t_i)$$

radiation energy → EM energy

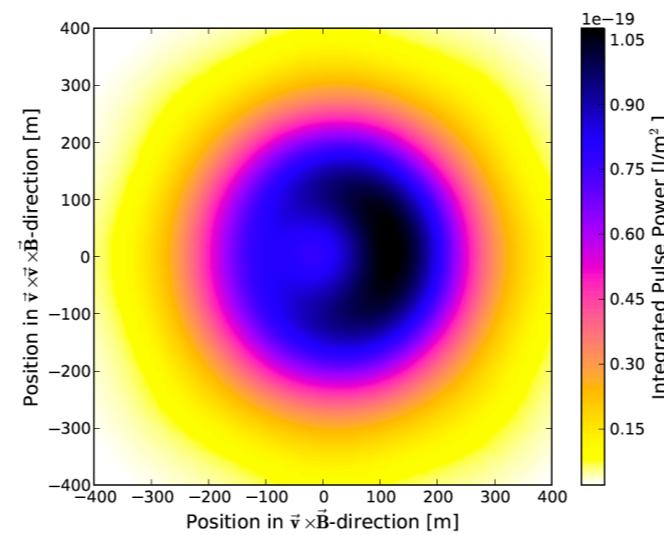


Radiation Energy

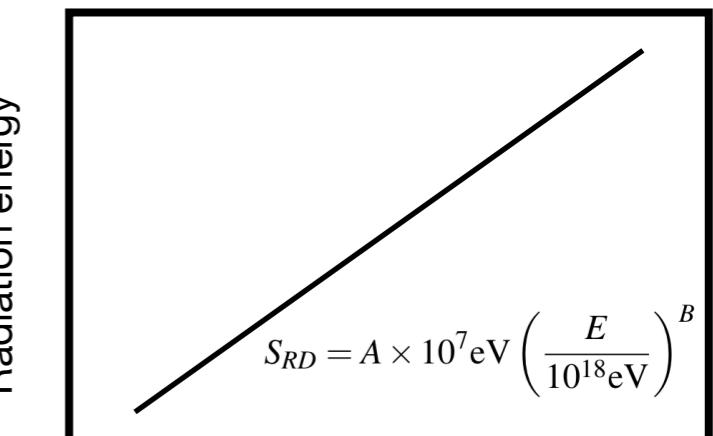
electric field → fluence



fluence → radiation energy



radiation energy → EM energy



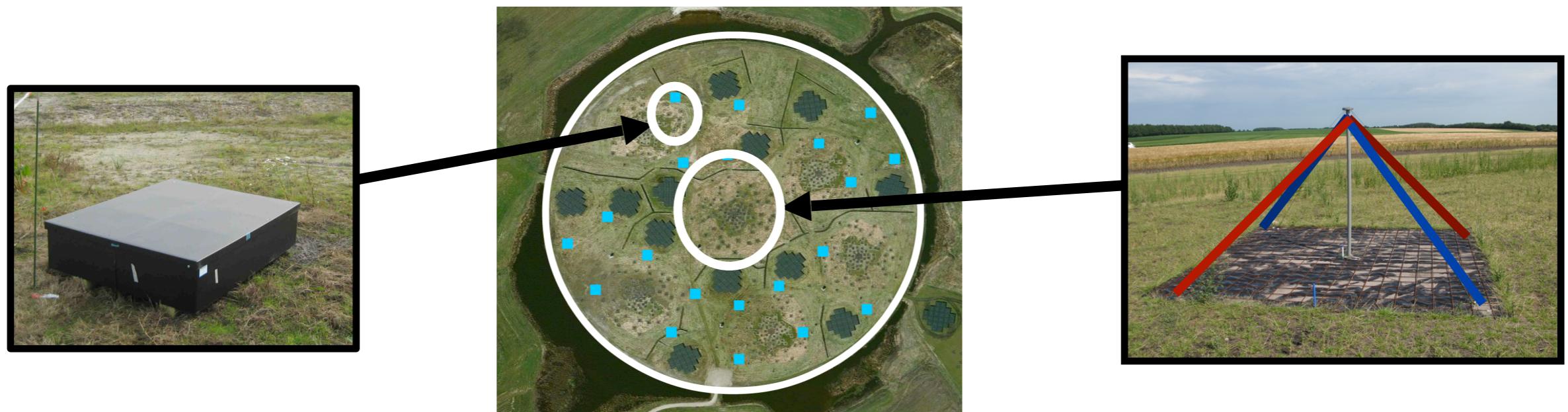
$$S_{RD} = \frac{E_{\text{rad}}}{(a'^2 + (1 - a'^2)) \sin^2 \alpha \left(\frac{B_{\text{Earth}}}{0.243 \text{ G}}\right)^{1.8}}$$

Corrected for local magnetic field
 a = parametrization of the charge-excess fraction

Method from:
 C. Glaser, et al. *JCAP*, 1609(09):024, 2016

Corrected radiation energy is a universal quantity that can be directly compared between experiments

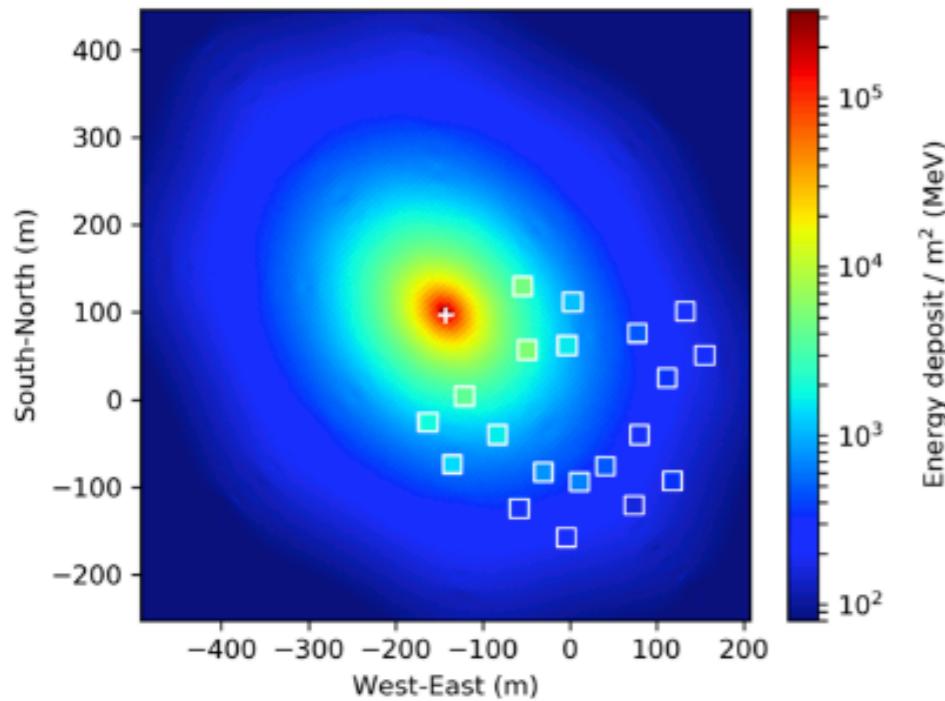
Energy Measurements



Energy Measurements



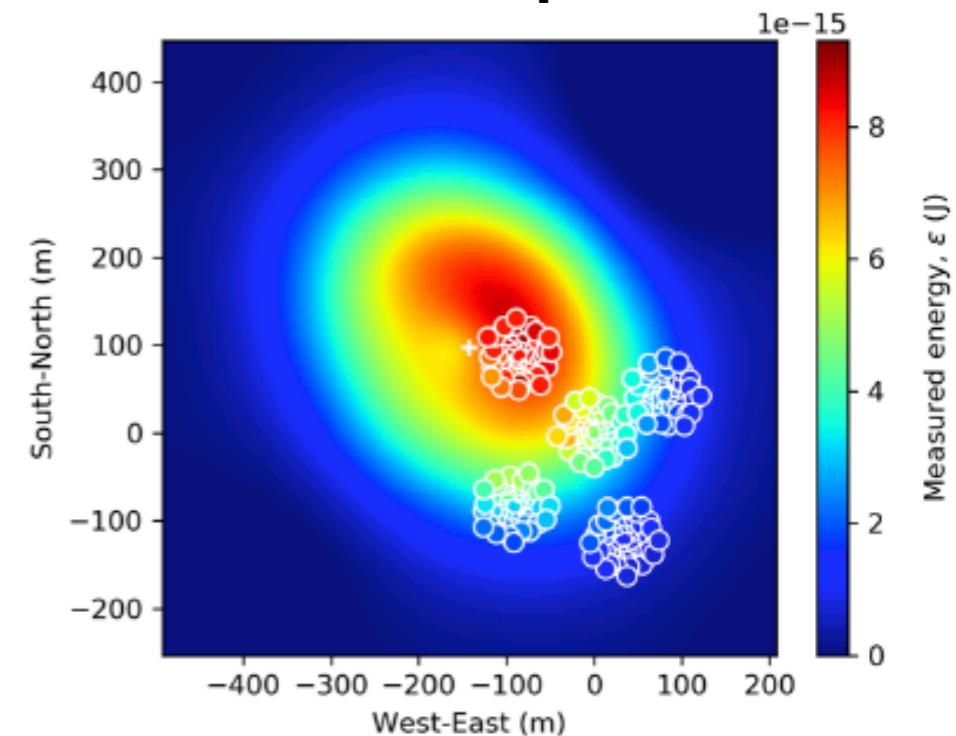
Particle footprint



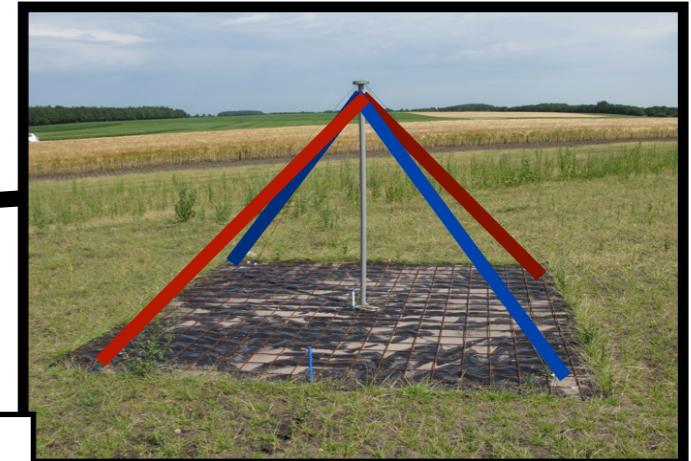
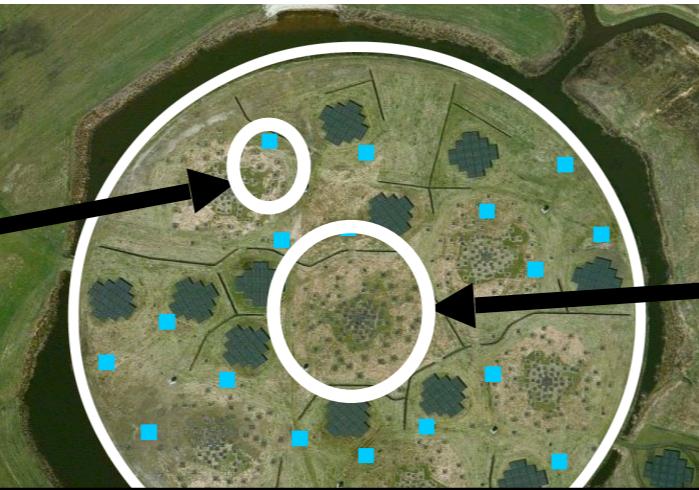
$$\chi^2_{\text{particle}} = \sum_{\text{particle detectors}} \left(\frac{d_{\text{det}} - f_p d_{\text{sim}}}{\sigma_{\text{det}}} \right)^2$$

$$E_{\text{particle}} = f_p \times E_{\text{sim}}$$

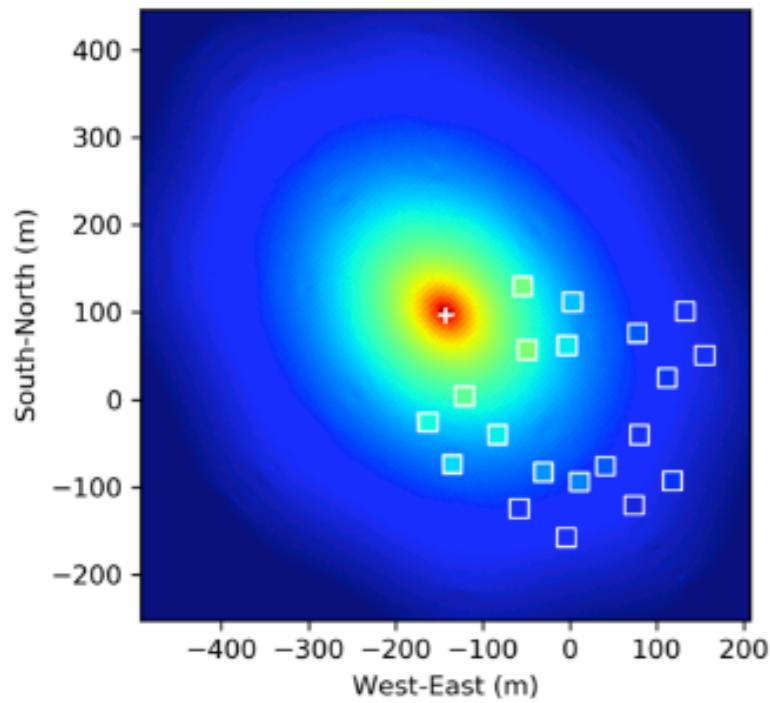
Radio footprint



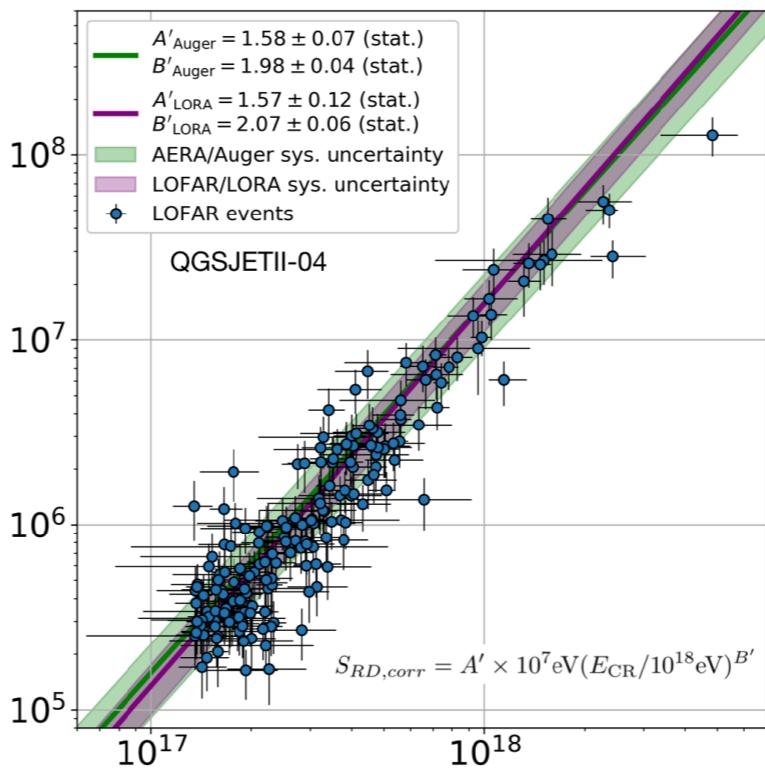
Energy Measurements



Particle footprint



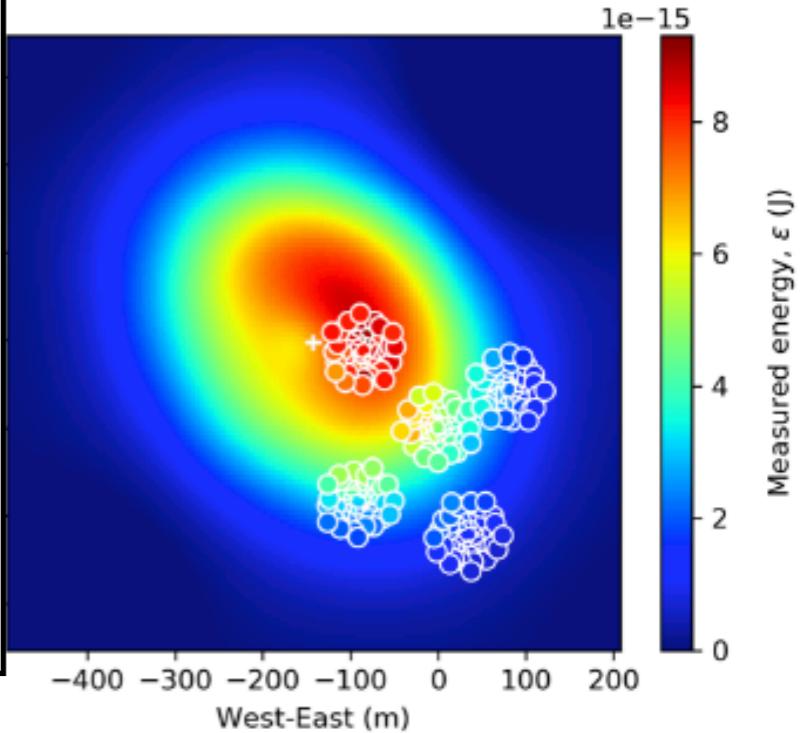
LOFAR Corrected
Radiation Energy



LORA CR Energy

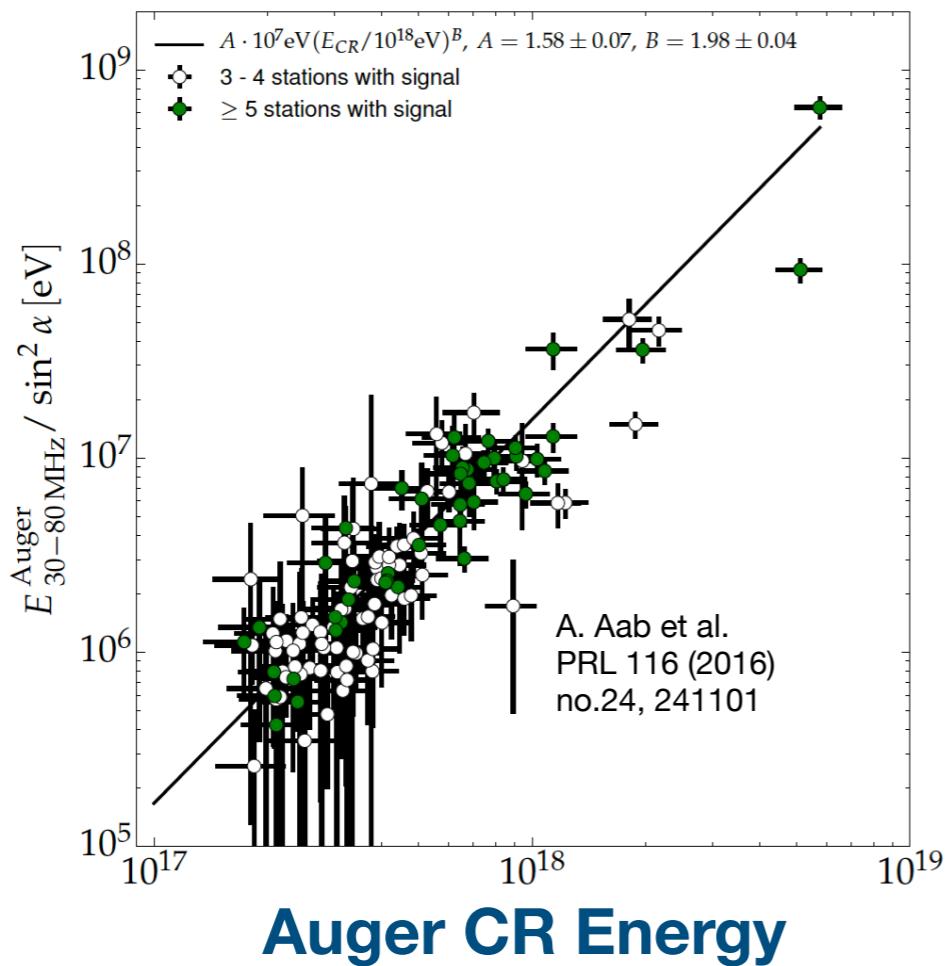
Mulrey et al. JCAP 2020

Radio footprint

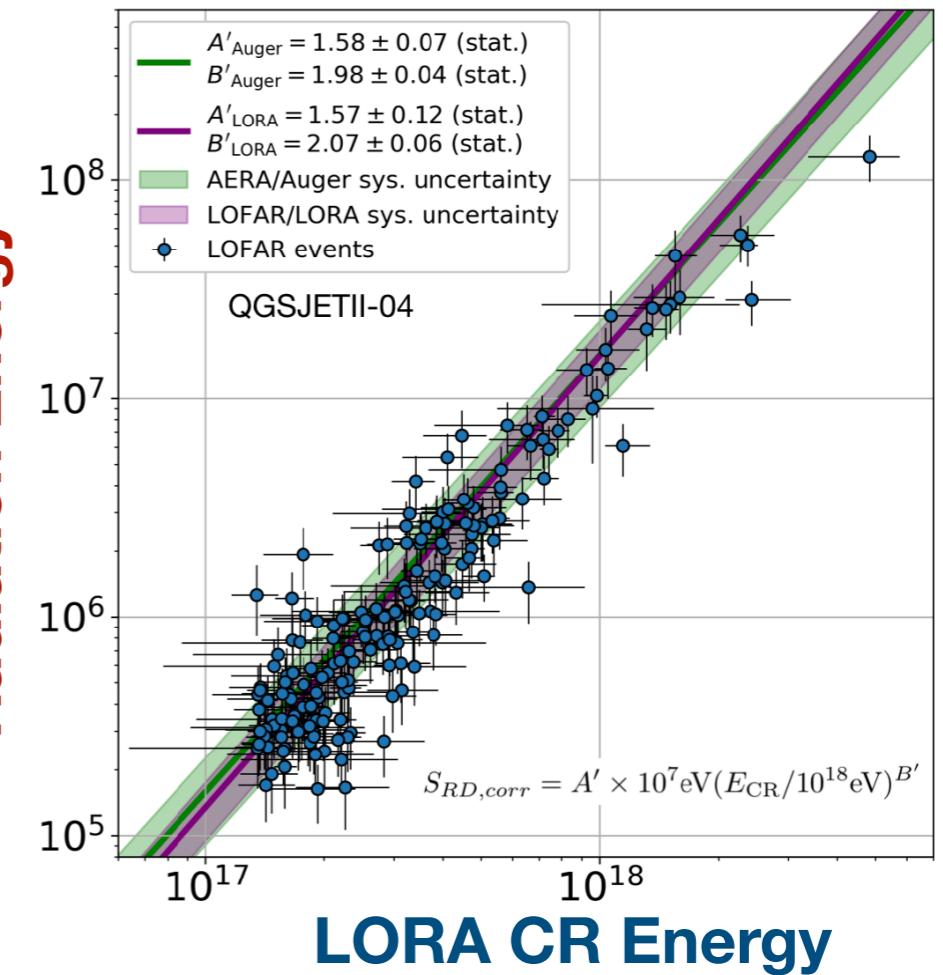


Radiation Energy

AERA Corrected Radiation Energy



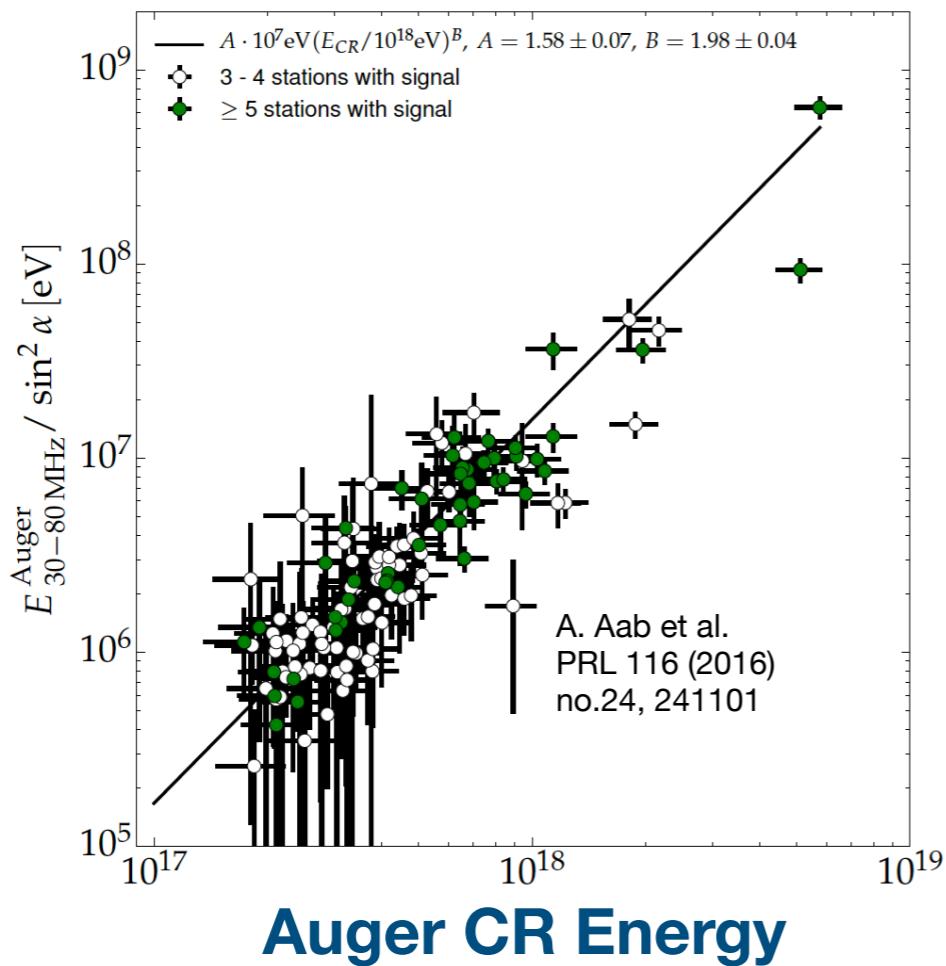
LOFAR Corrected Radiation Energy



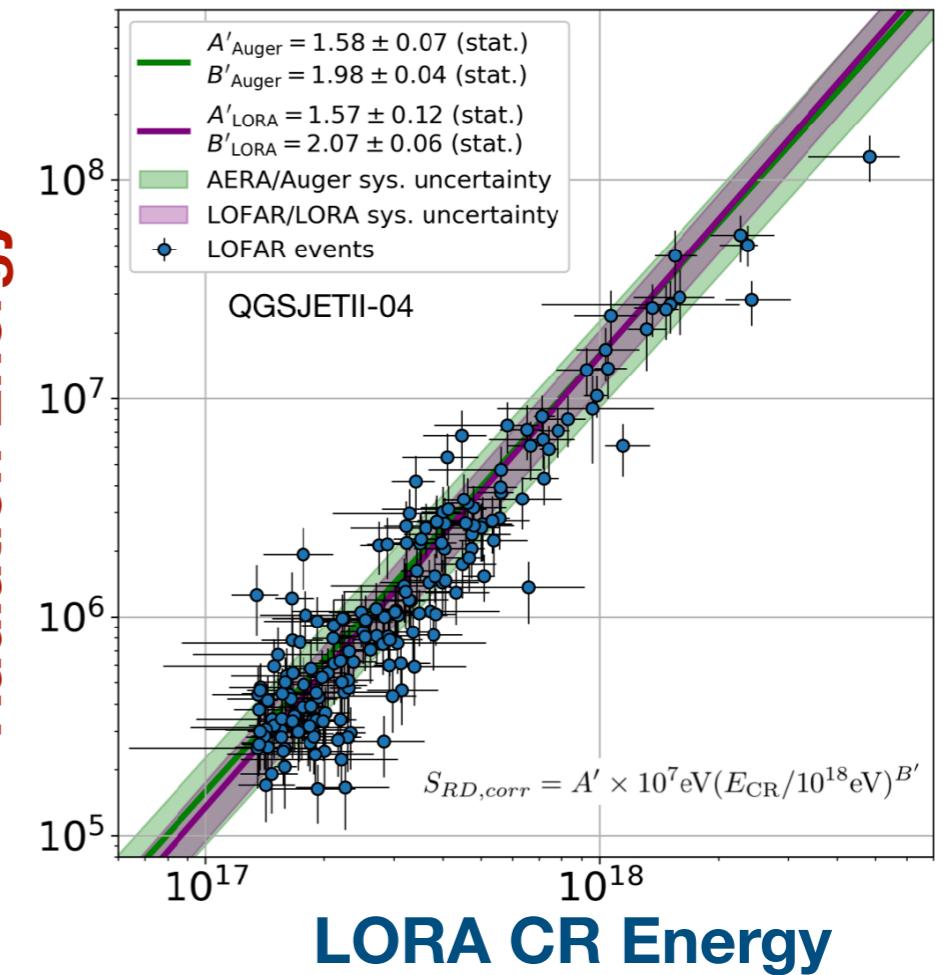
At a radiation energy of 1 MeV, the energy scales of Auger and LORA agree to within $6 \pm 20\%$

Radiation Energy

AERA Corrected Radiation Energy



LOFAR Corrected Radiation Energy

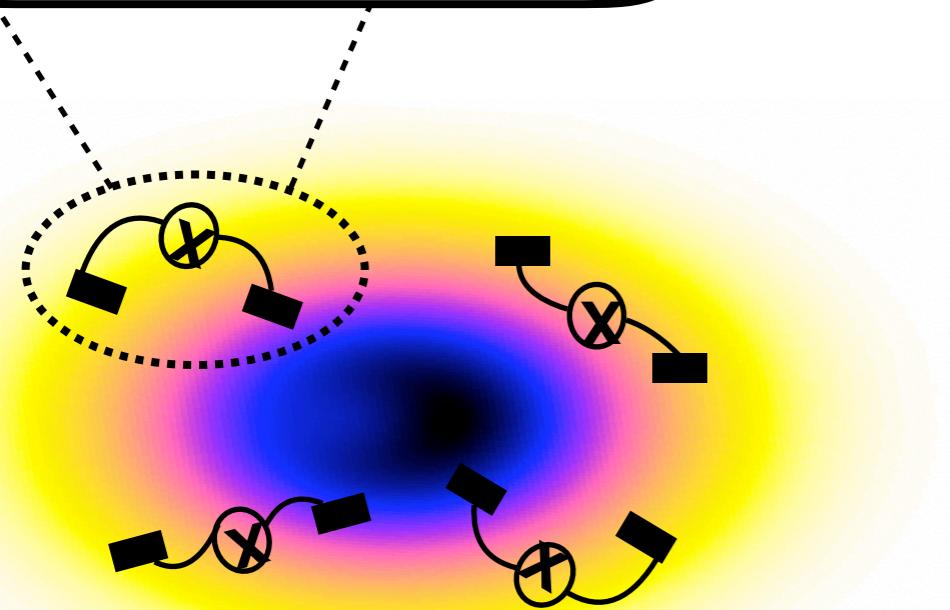
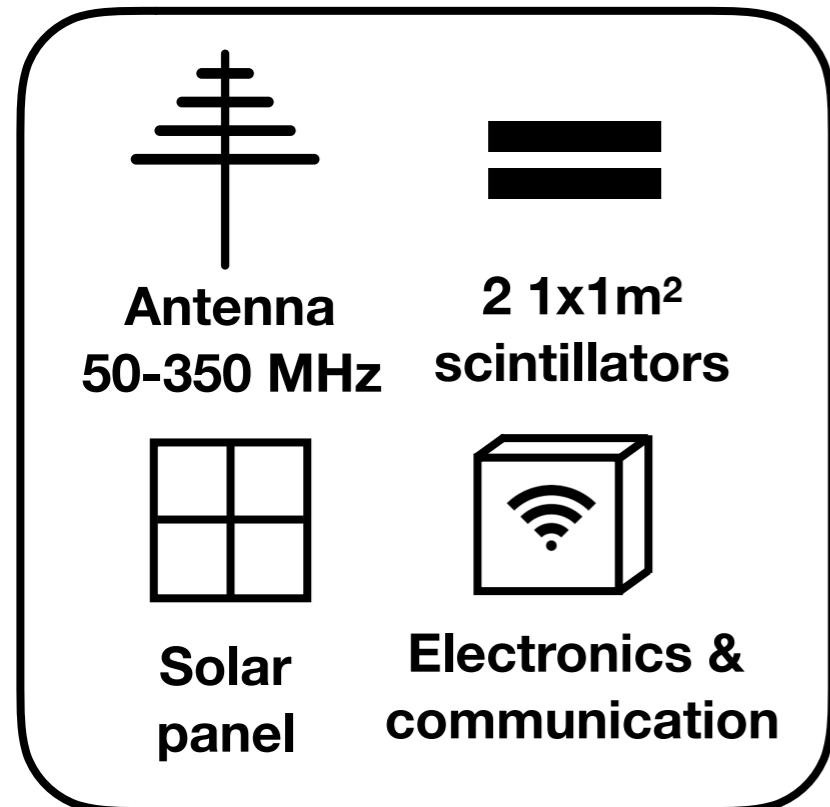


At a radiation energy of 1 MeV, the energy scales of Auger and LORA agree to within $6 \pm 20\%$

*Dominated by uncertainty on calibration / antenna.
How can we improve this?*

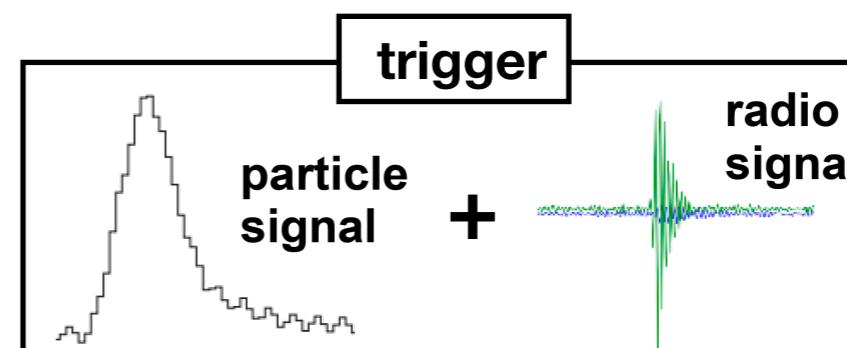


Cross-calibration array



Measure the radiation energy with the same antenna array!

- **Autonomous**: self triggering, independent energy measurement, no interference with main experiment
- **Portable**: can be deployed at different sites, spacing can be adjusted to probe different energy regimes
- **Result**: Quantify systematic differences between energy scales of the different experiments

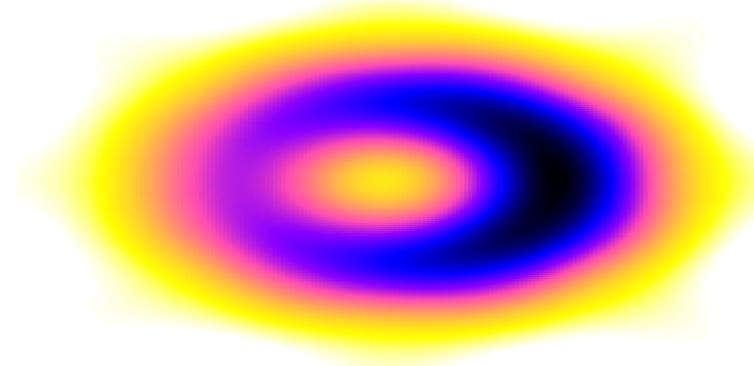


Ensures a cosmic ray ✓
Strong radio signal ✓



Energy Reconstruction

1. Integrate fluence footprint to get radiation energy (2D LDF)

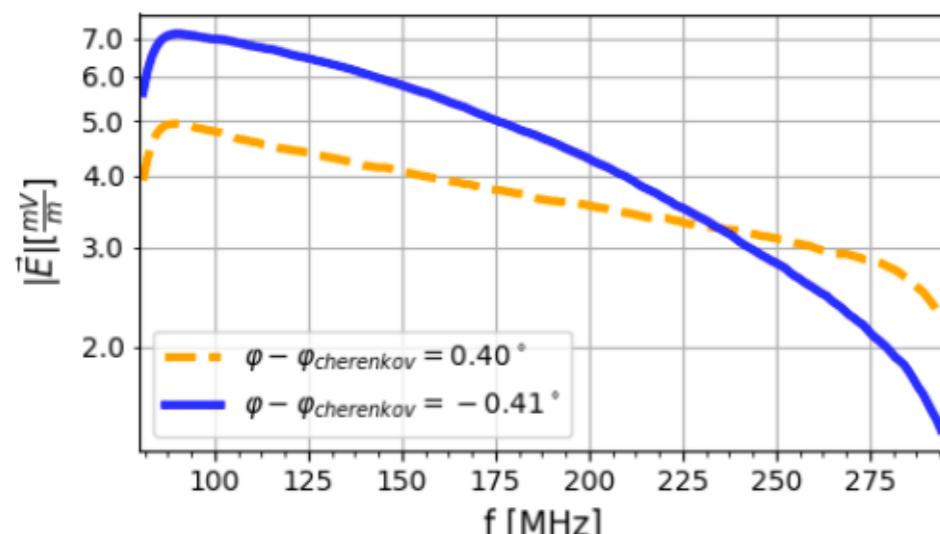


$$f = \varepsilon_0 c \left(\Delta t \sum_{t_1}^{t_2} |\vec{E}(t_i)|^2 - \Delta t \frac{t_2 - t_1}{t_4 - t_3} \sum_{t_3}^{t_4} |\vec{E}(t_i)|^2 \right)$$

A. Aab et al.
PRL 116 (2016)
no.24, 241101

- Only 5 stations- use direction/core info from host experiment
- Resolution ~20%

2. Use broadband spectral information (ARIANNA style)



$$\begin{pmatrix} \mathcal{E}_\theta \\ \mathcal{E}_\phi \end{pmatrix} = \begin{pmatrix} A_\theta \\ A_\phi \end{pmatrix} 10^{f \cdot m_f} \exp(\Delta j)$$

Corrected radiation energy

$$\frac{\sqrt{\Phi'_E}}{E_{shower}} = A \cdot \exp(-s \cdot (|m_f| \cdot \text{GHz})^{0.8})$$

Welling et al. JCAP 10 (2019) 075

- Make use of spectral information to determine where you are w.r.t the Cherenkov cone
- Resolution ~15%



Cross-calibration array

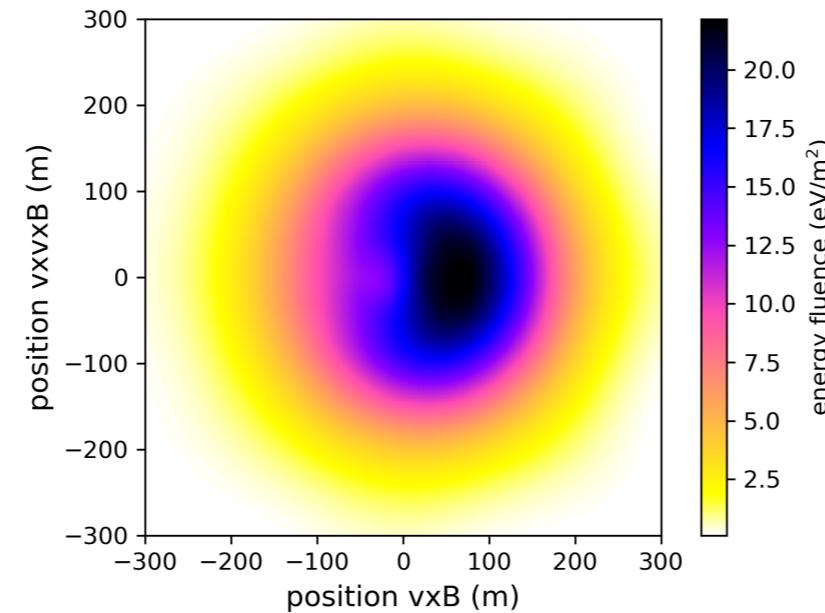
$$E = 3.5 \times 10^{17} \text{ eV}$$

$$X_{\max} = 640 \frac{\text{g}}{\text{cm}^2}$$

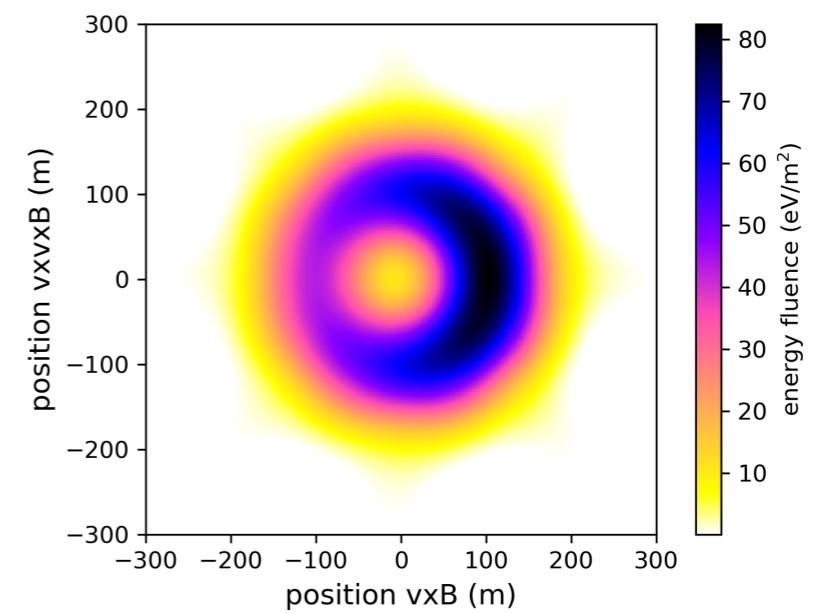
$$\theta = 33^\circ$$

$$D_{\max} = 604 \frac{\text{g}}{\text{cm}^2}$$

30-80 MHz



50-350 MHz

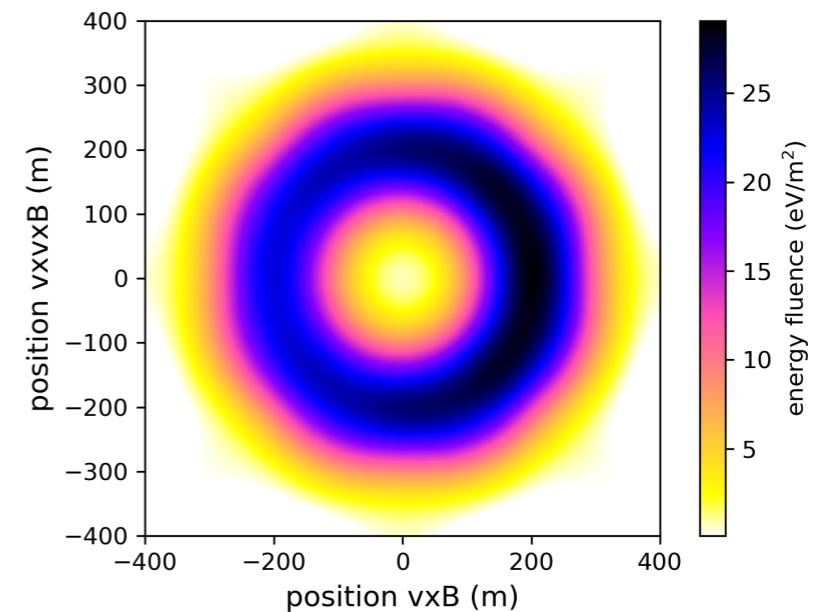
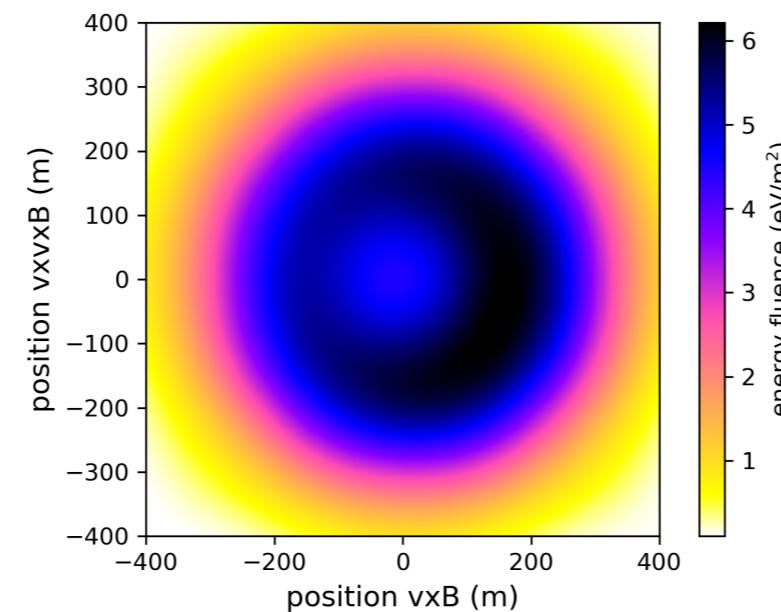


$$E = 2.1 \times 10^{17} \text{ eV}$$

$$X_{\max} = 673 \frac{\text{g}}{\text{cm}^2}$$

$$\theta = 54^\circ$$

$$D_{\max} = 1159 \frac{\text{g}}{\text{cm}^2}$$





Cross-calibration array

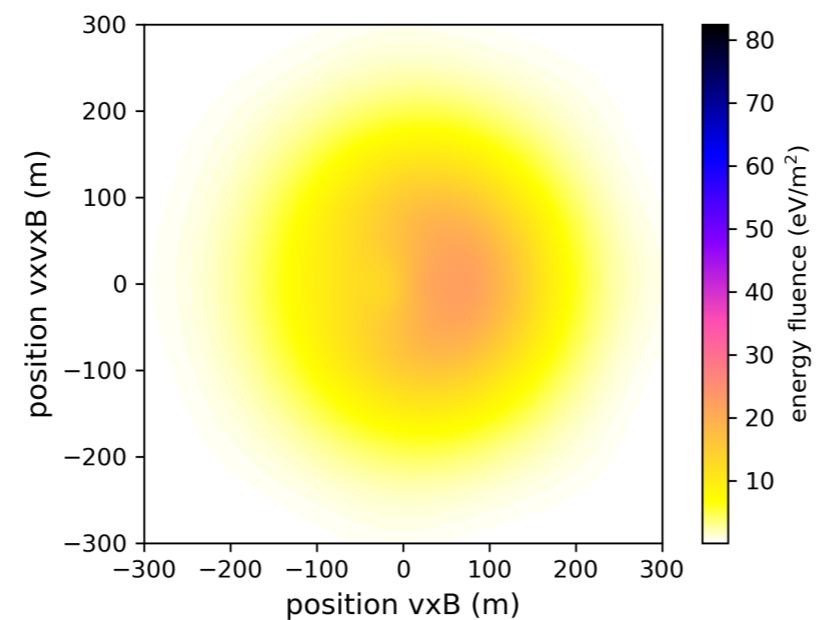
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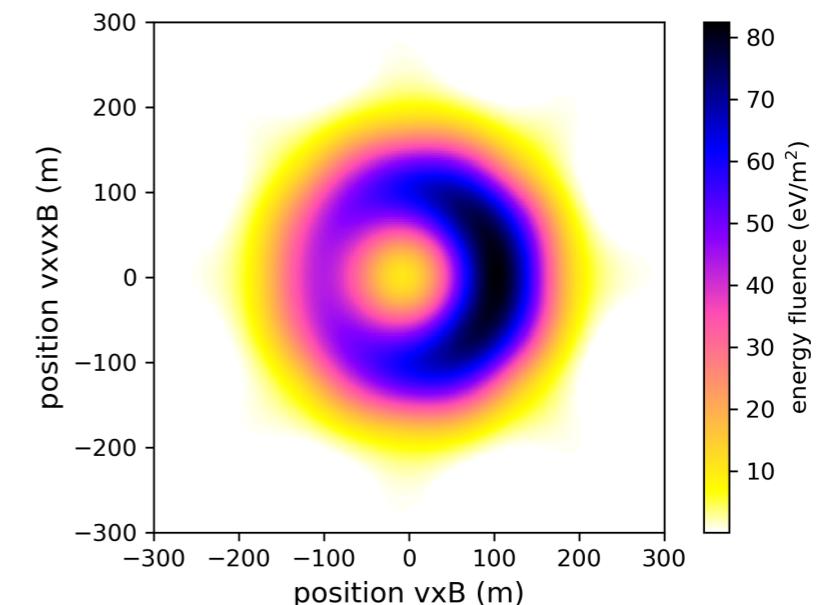
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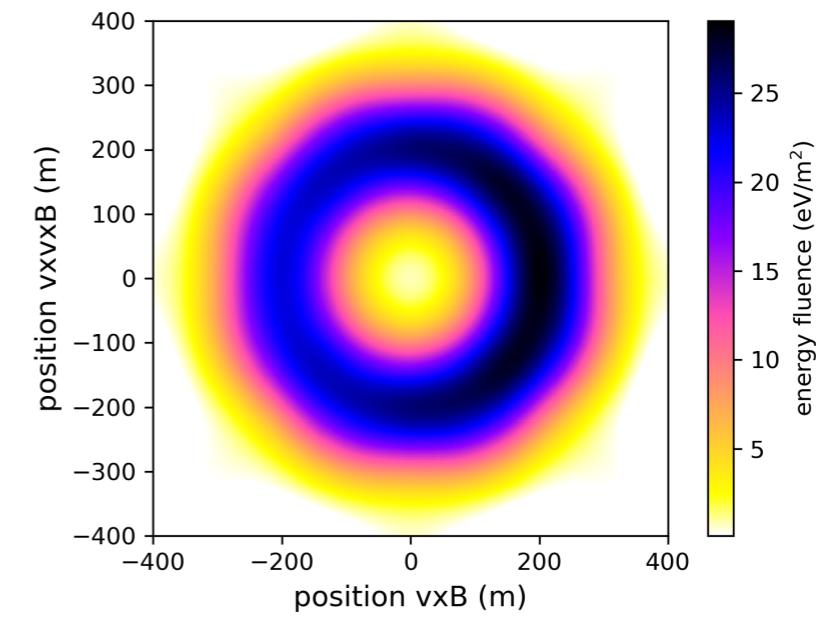
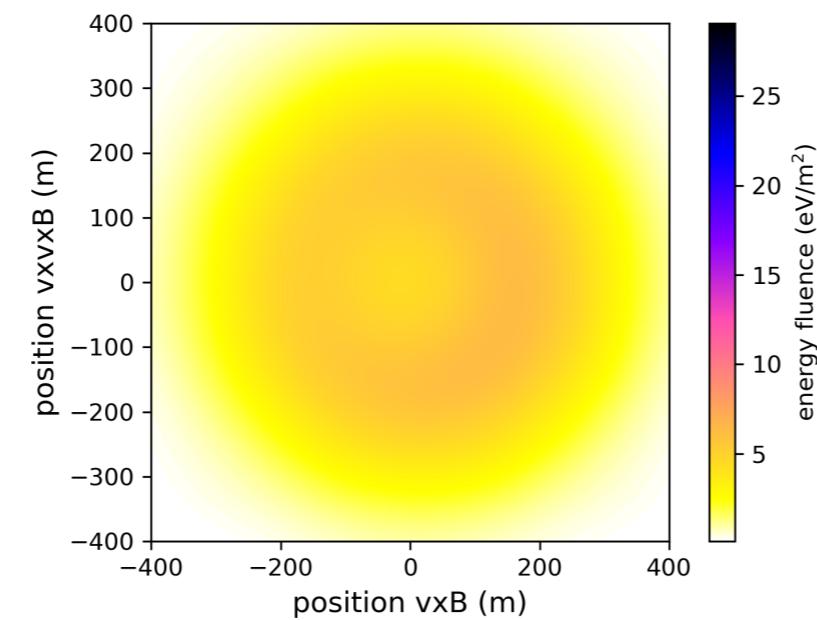


$$E = 2.1 \times 10^{17} \text{ eV}$$

$$X_{\max} = 673 \frac{\text{g}}{\text{cm}^2}$$

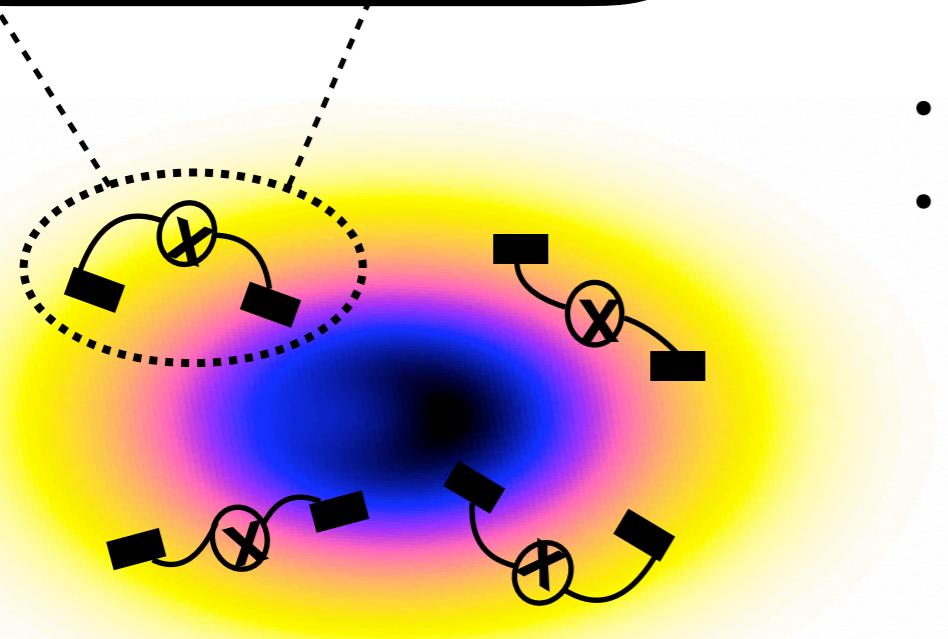
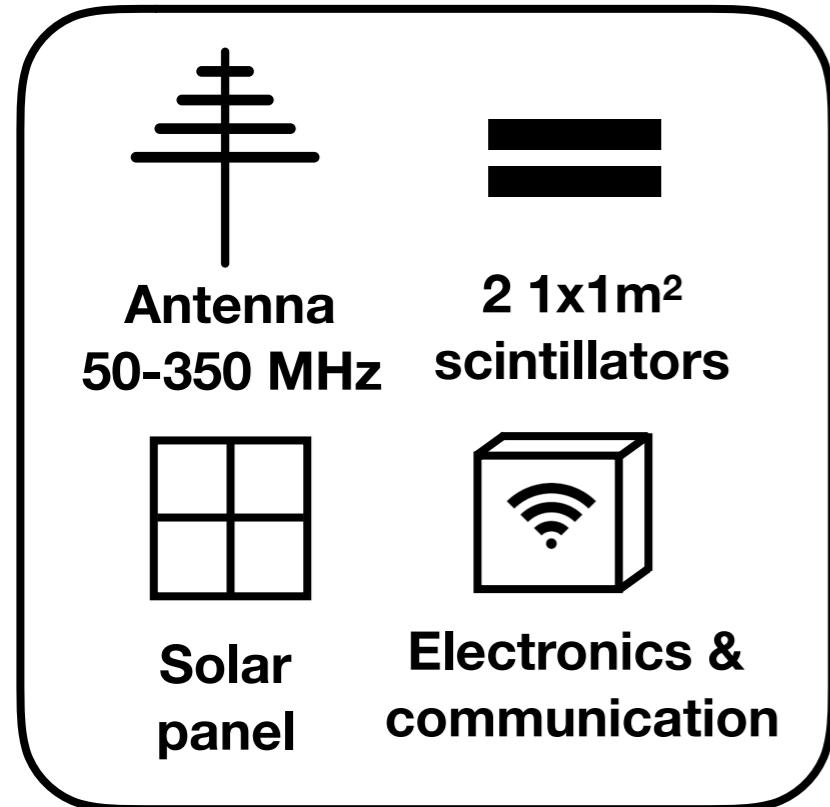
$$\theta = 54^\circ$$

$$D_{\max} = 1159 \frac{\text{g}}{\text{cm}^2}$$



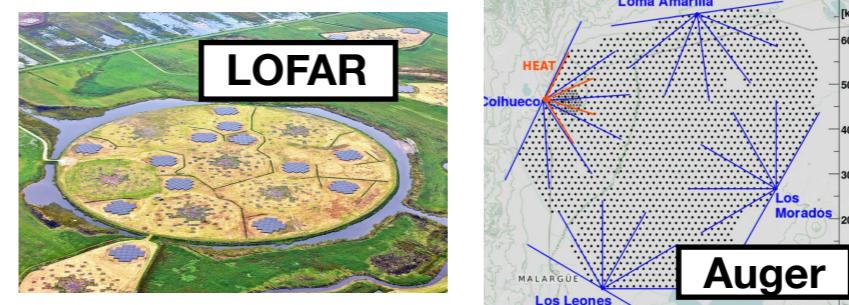


Cross-calibration array



Short Term

- Develop and deploy prototype array
- Develop techniques for broadband event reconstruction



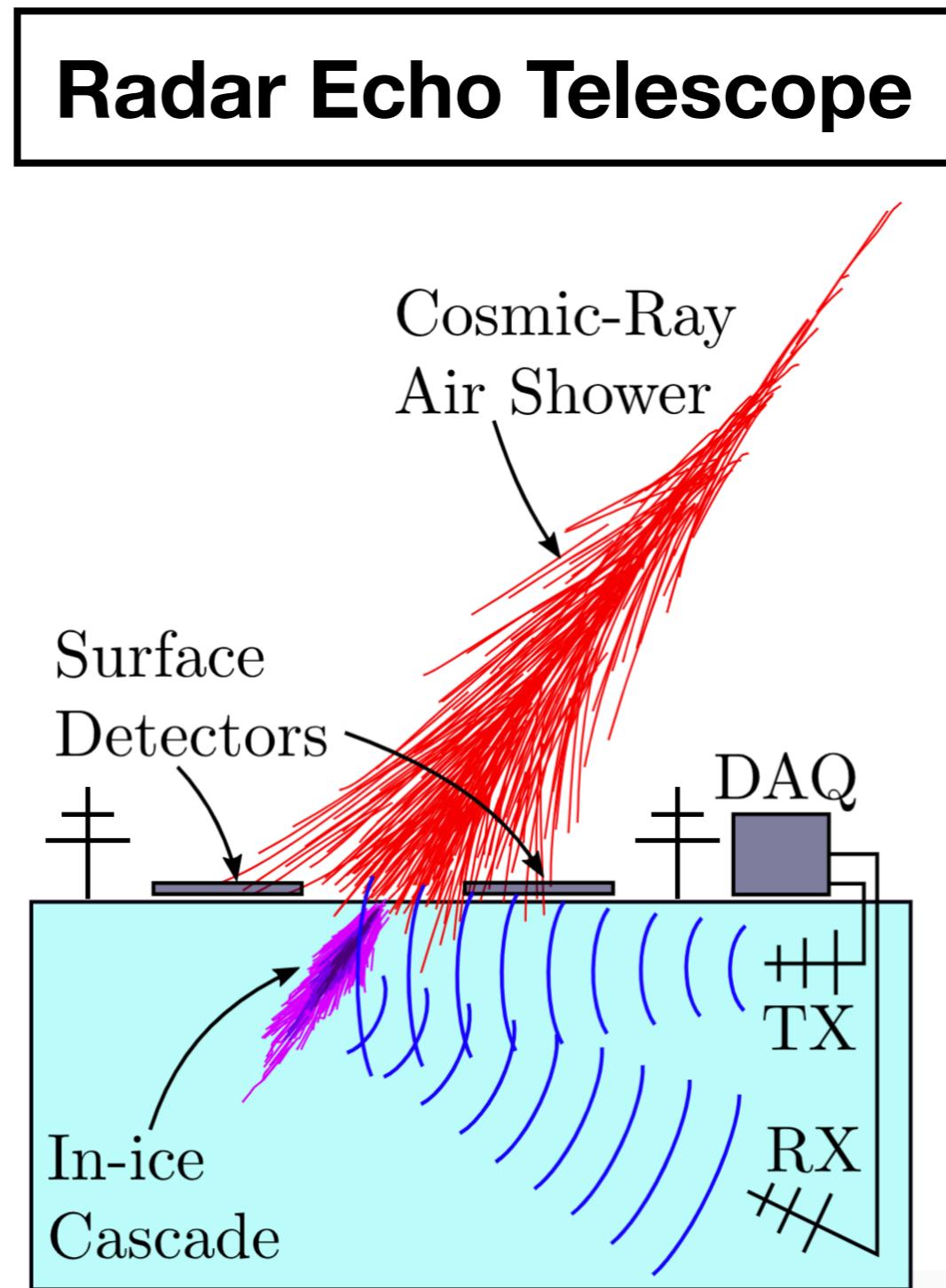
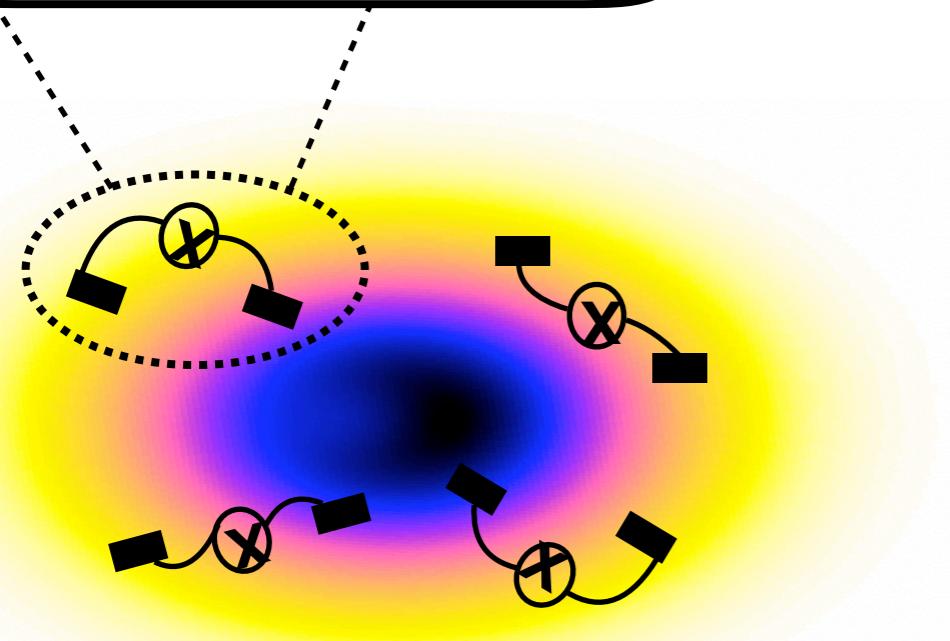
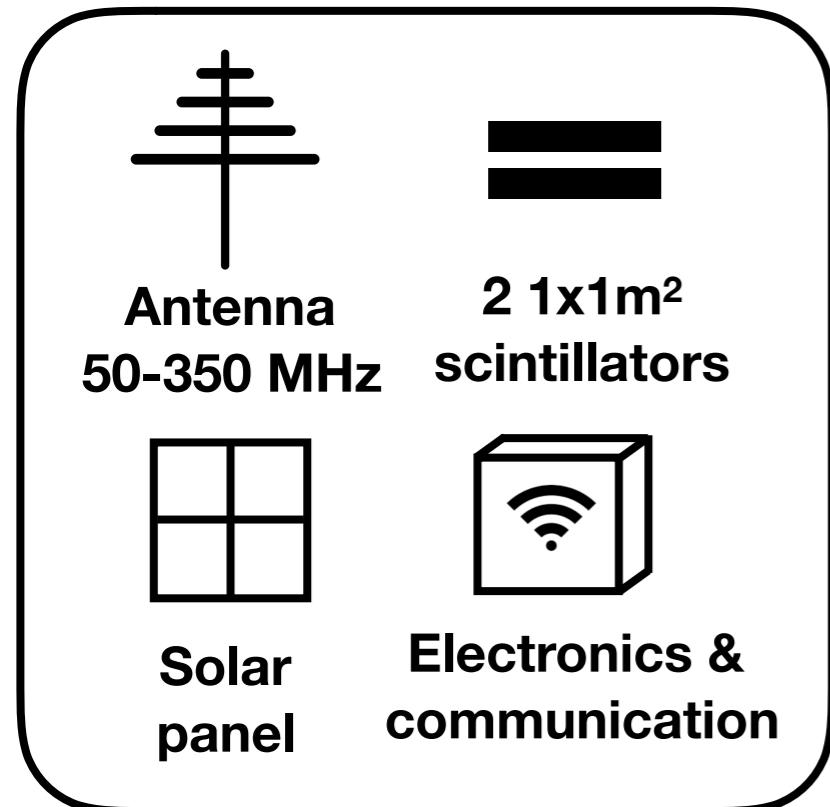
Long Term

- Include more stations to reach higher energies
- **Self-sustaining** program for use by other experiments





RET-CR Surface array



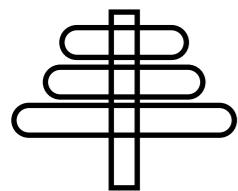
RET-CR
K. de Vries,
S. Prohira
et al.

VUB prototype

Energy Cross Calibration array



SKALA
antenna



CODELEMA
electronics

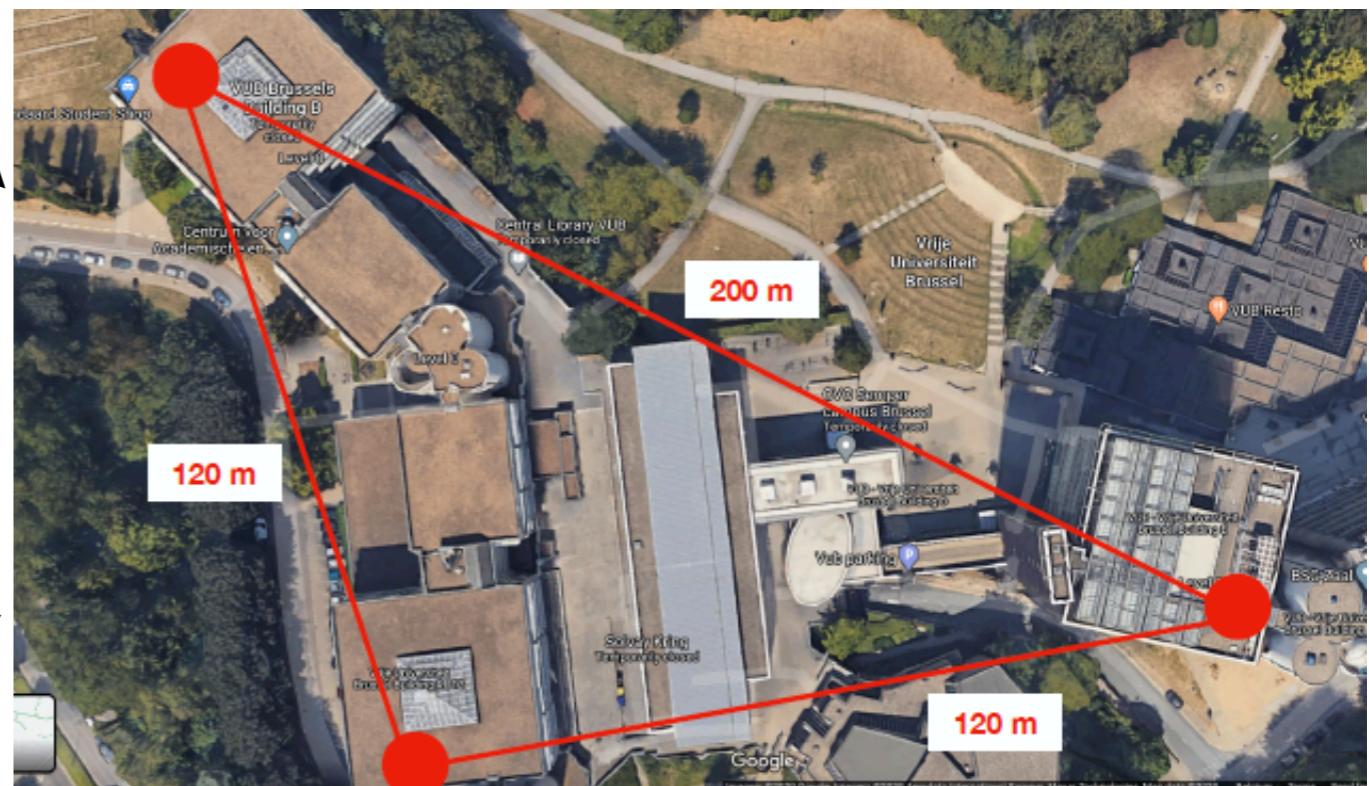


x 5 stations

KASCADE
scintillators

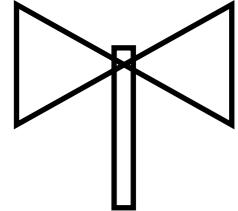


Prototype deployment at the VUB 2020-2021



RET-CR surface array

CODELEMA
antenna



CODELEMA
electronics



x 6 stations

IceTop
scintillators

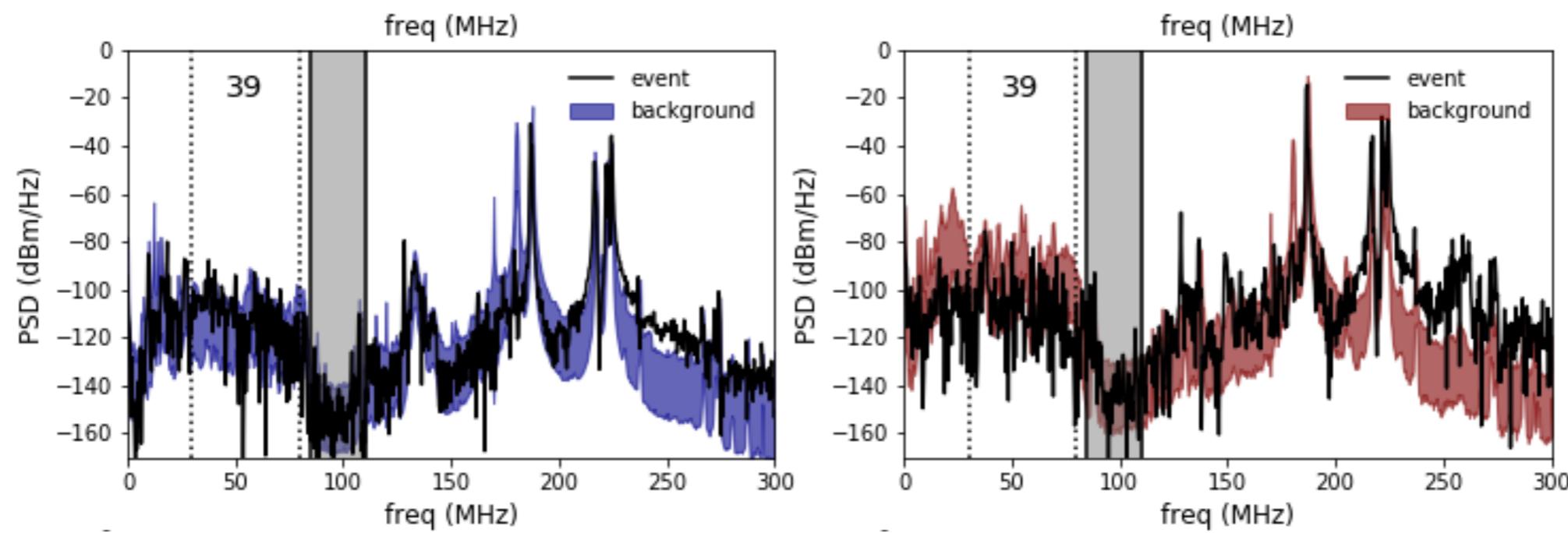


VUB prototype



Krijn, Rose, Quique

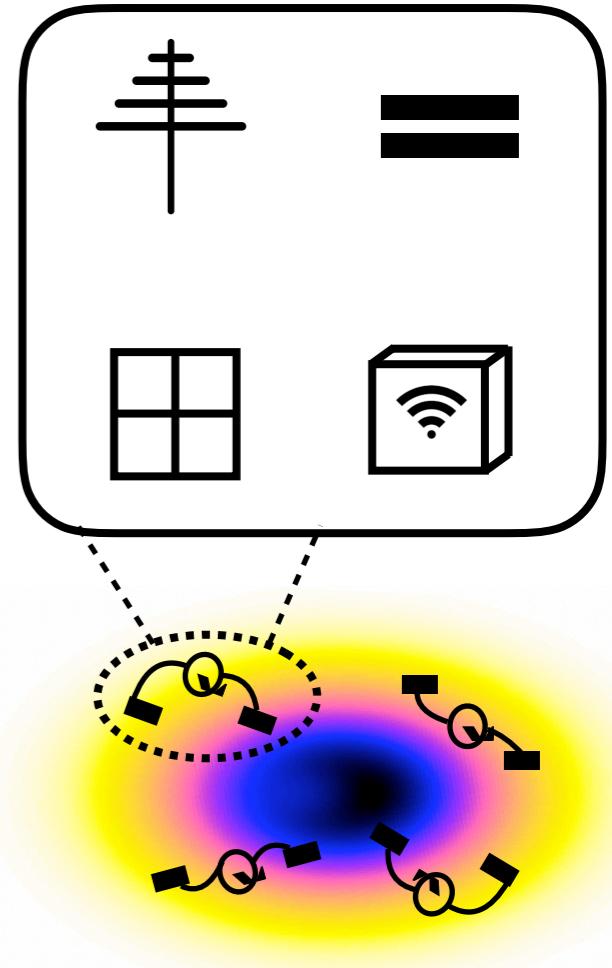
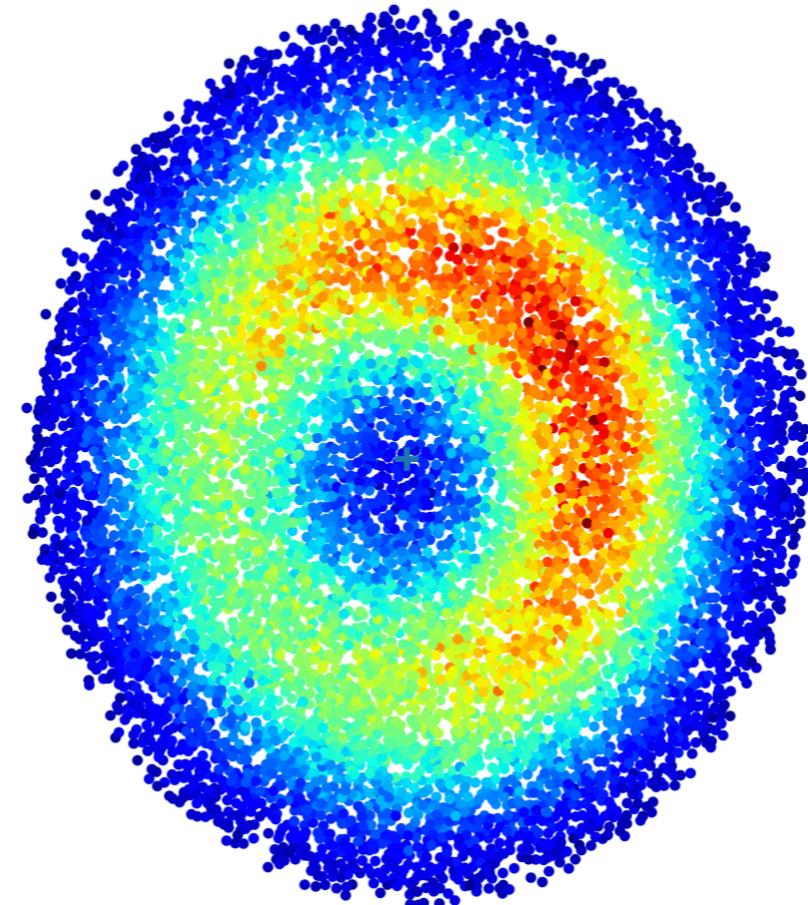
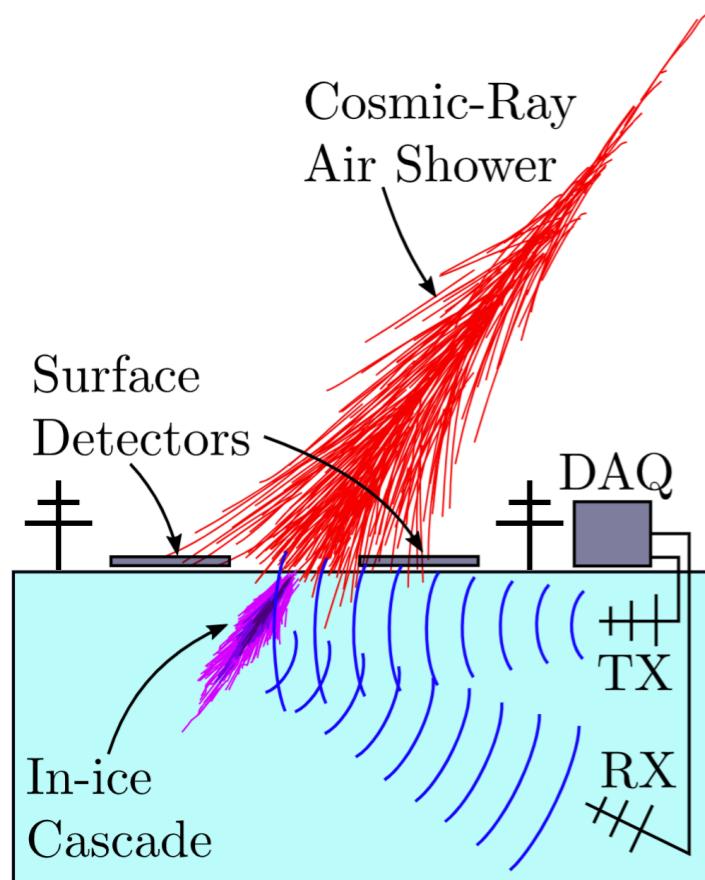
VUB prototype



First
CR data

Krijn, Rose, Quique

Radio detection of cosmic rays



Questions?

Extra



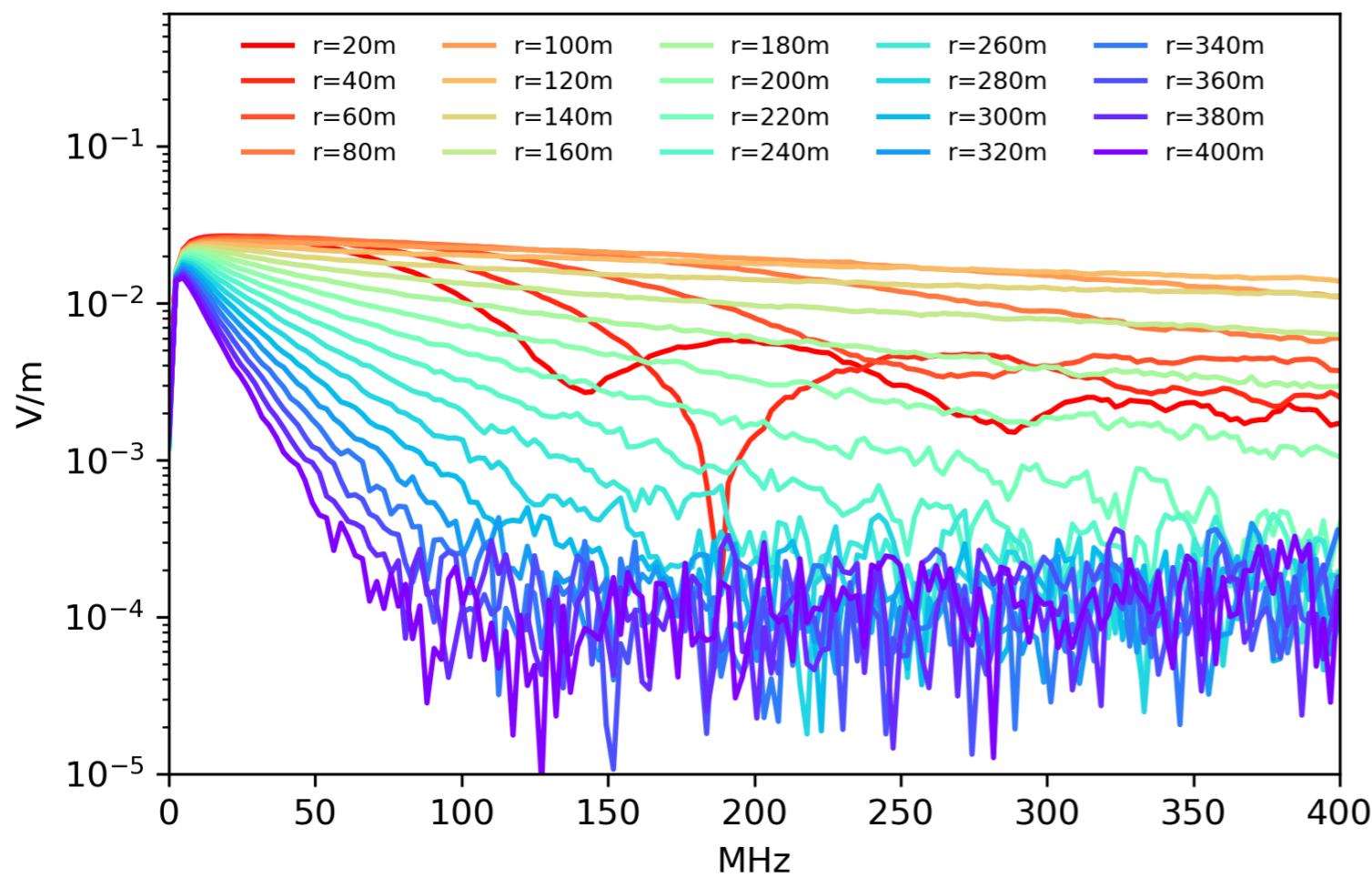
Energy Reconstruction

Geomagnetic signal on vxvx_B arm

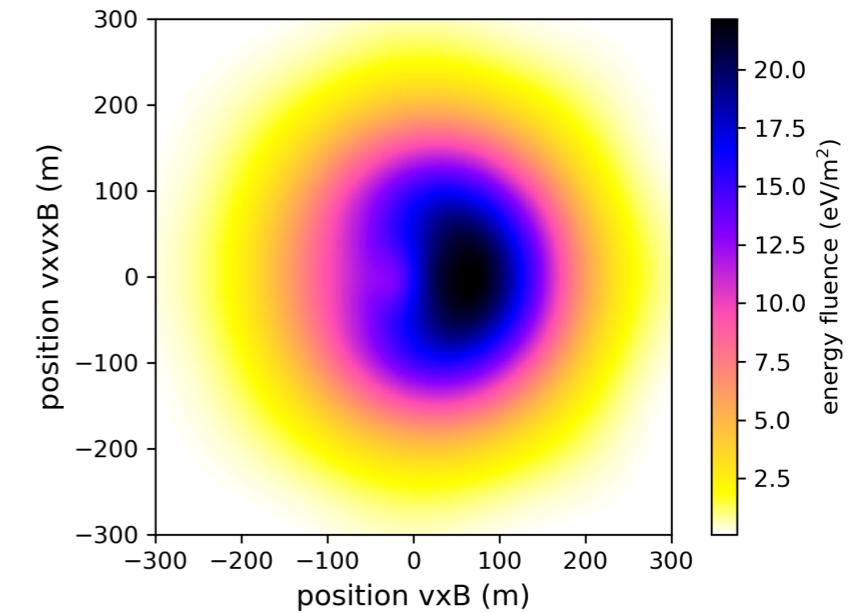
$E \sim 10^{17} \text{ eV}$

$X_{\text{max}} = 640 \text{ g/cm}^2$

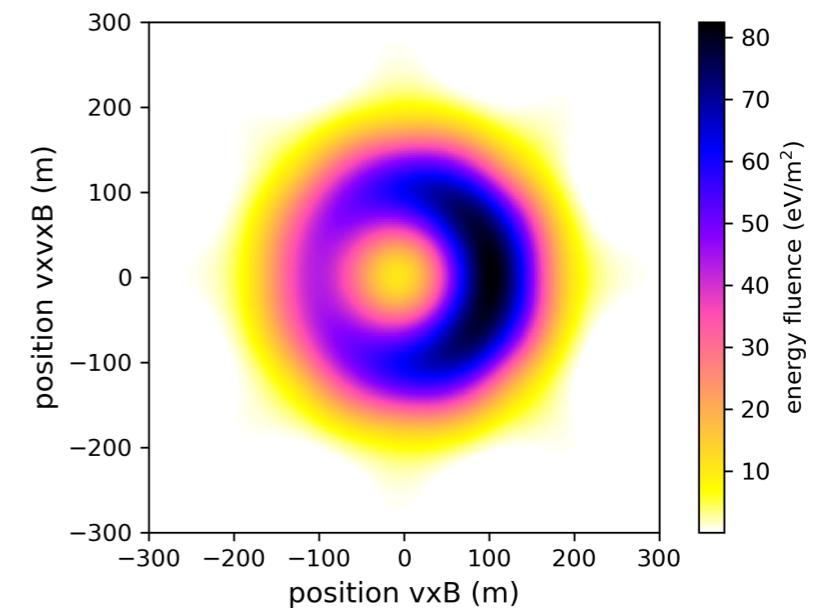
zenith = 33°



30-80 MHz



50-350 MHz





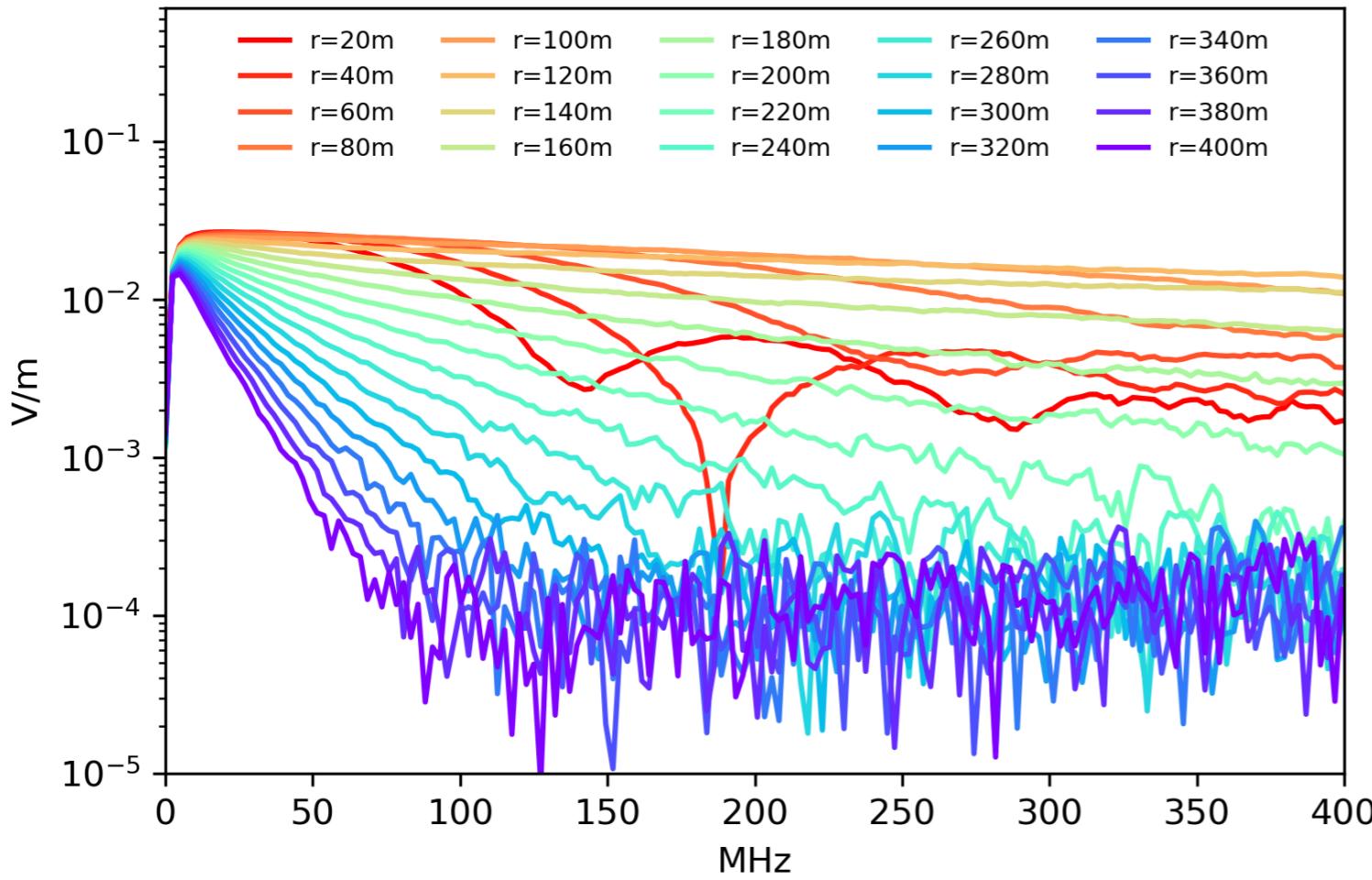
Energy Reconstruction

Geomagnetic signal on vxvx_B arm

$E \sim 10^{17} \text{ eV}$

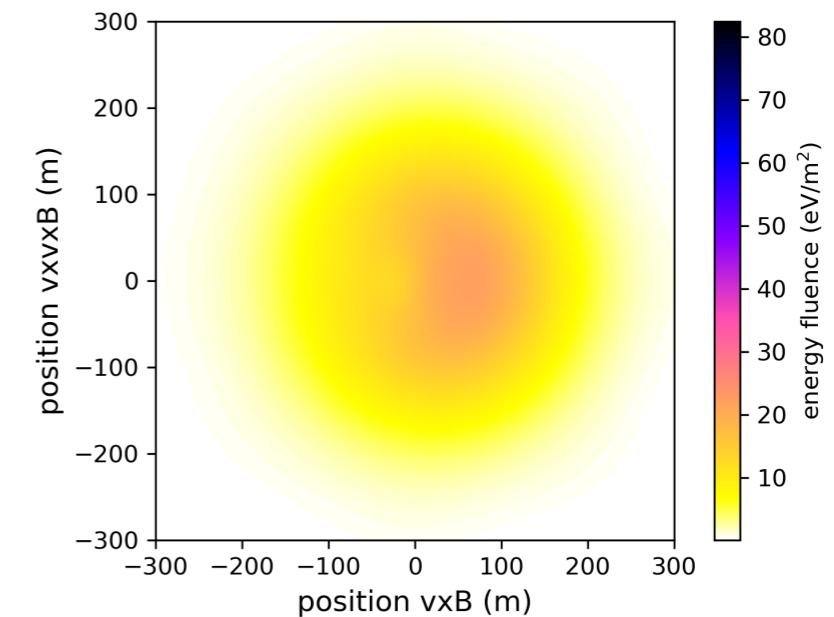
$X_{\text{max}} = 640 \text{ g/cm}^2$

zenith = 33°

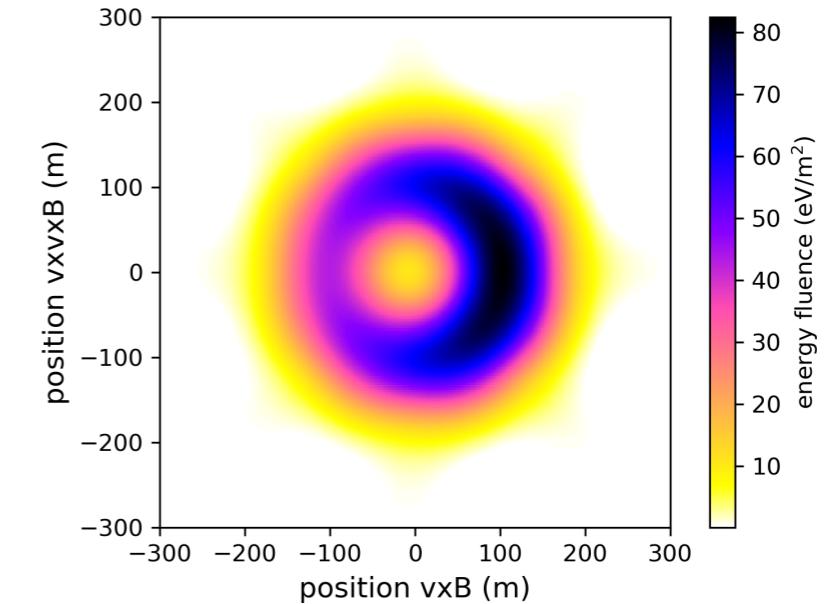


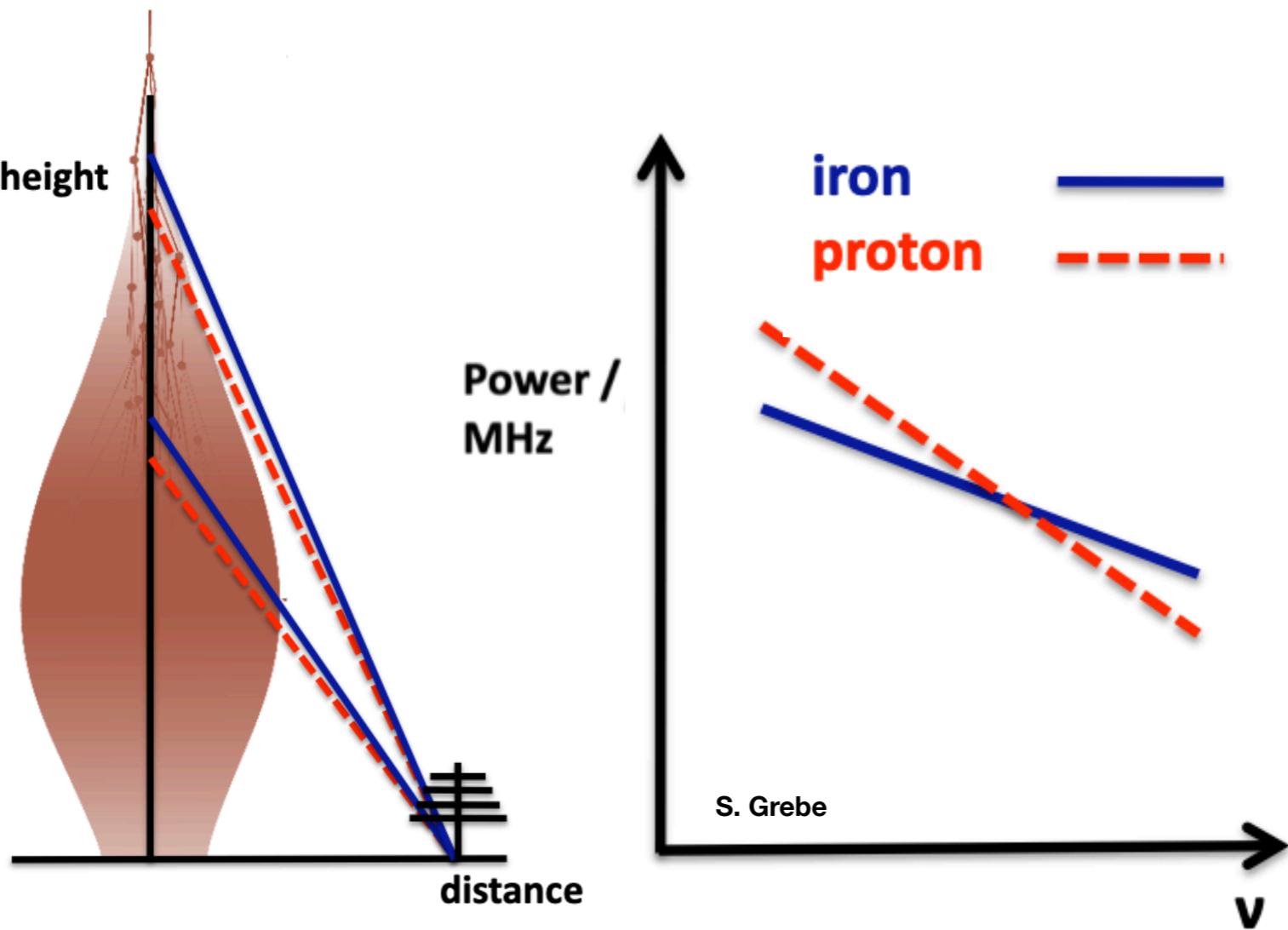
Energy reconstruction: work in progress

30-80 MHz

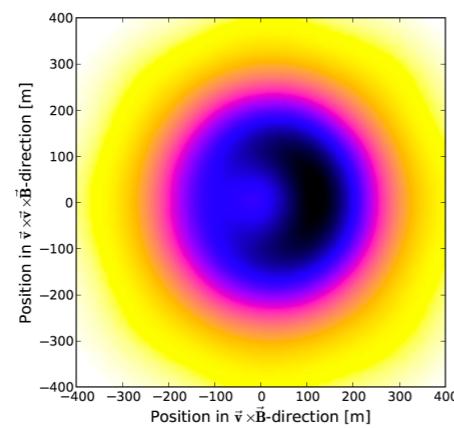
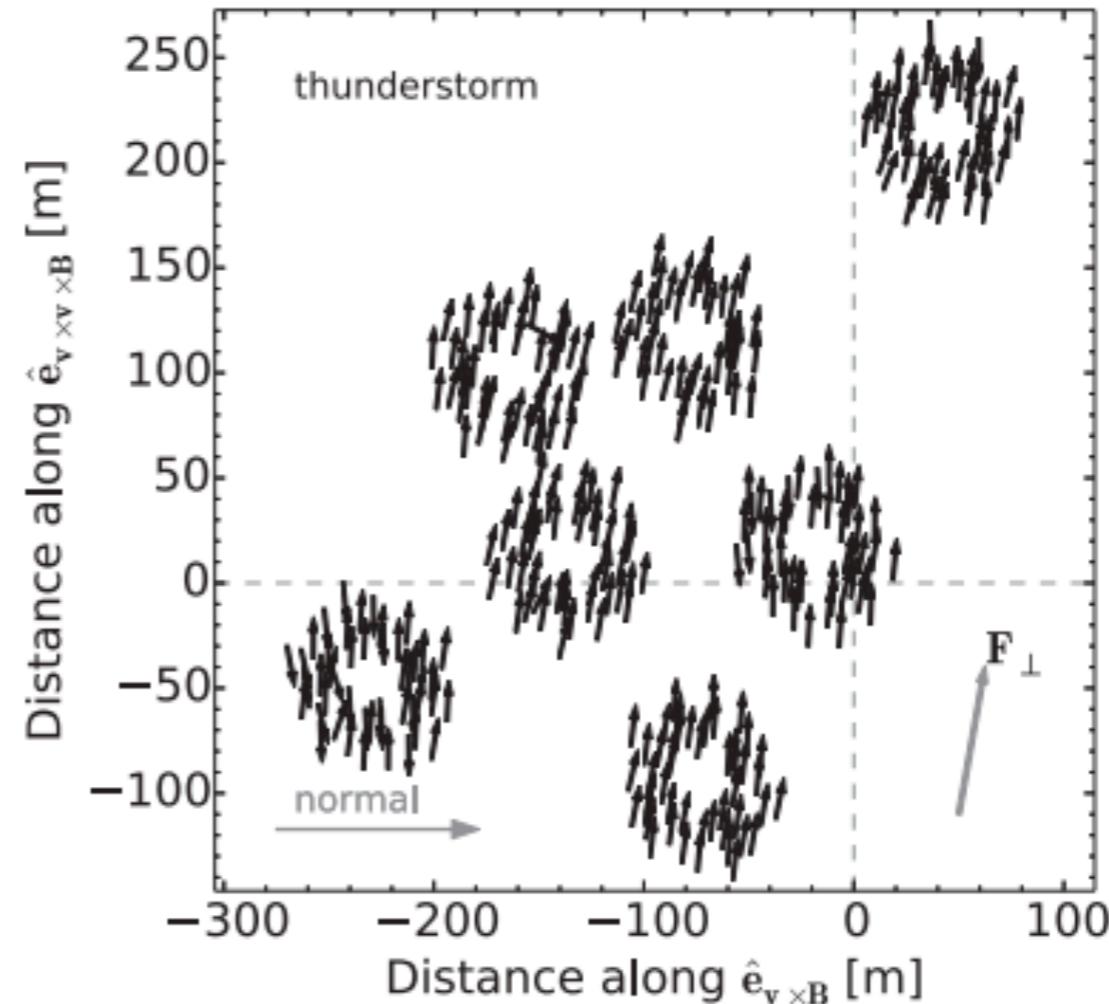
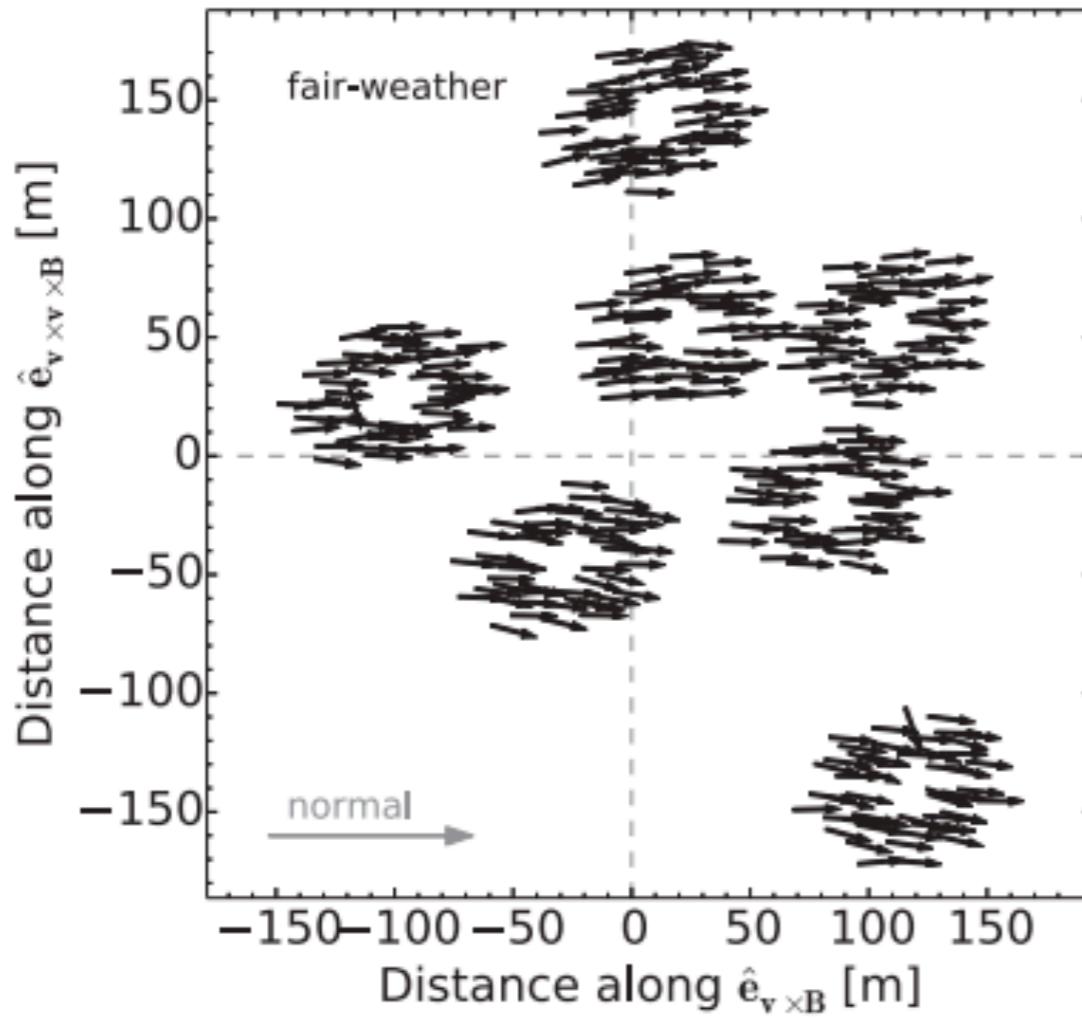


50-350 MHz



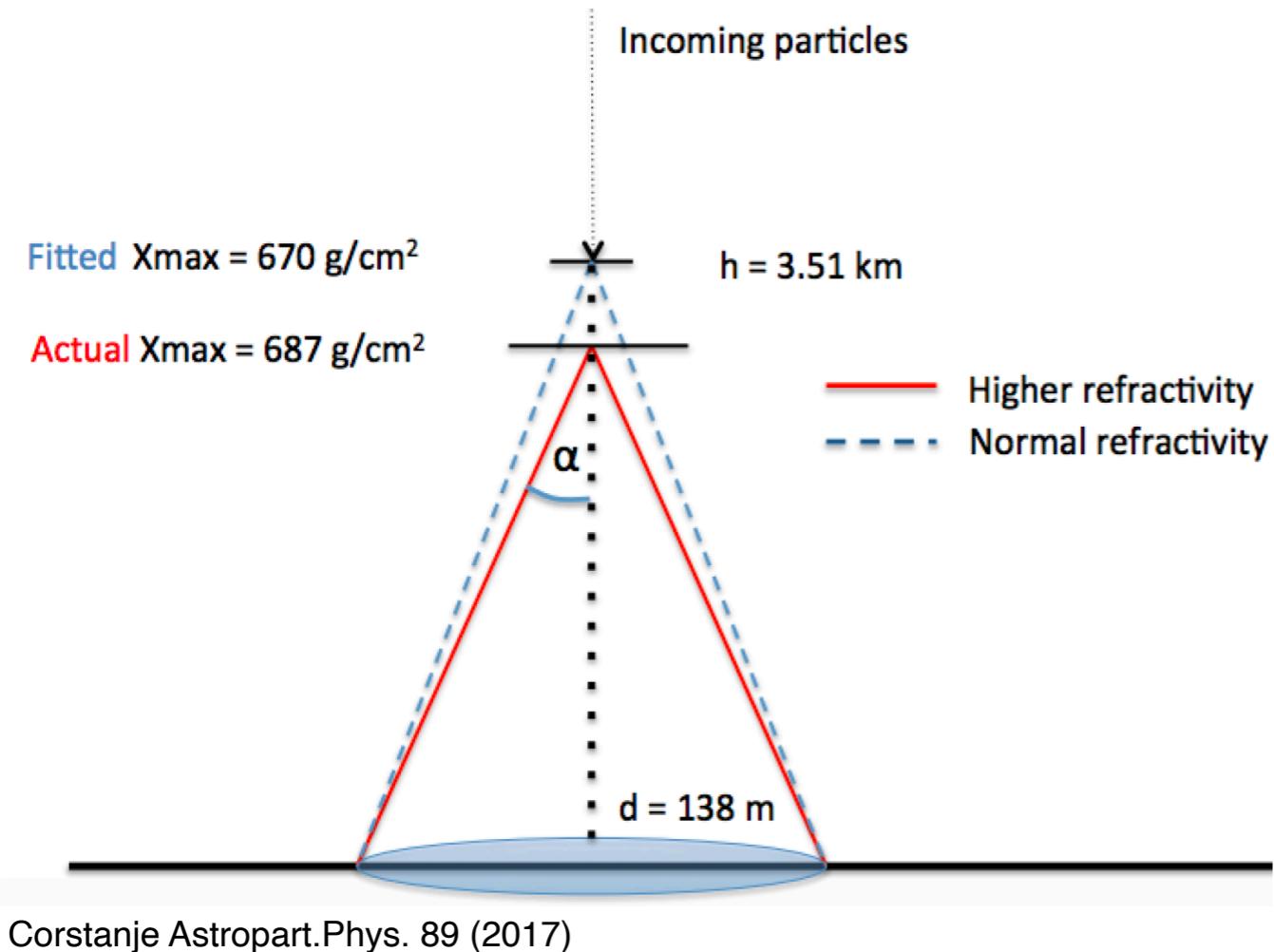


Polarization



O. Scholten, et al. Phys. Rev. D 94 (2016) 103010

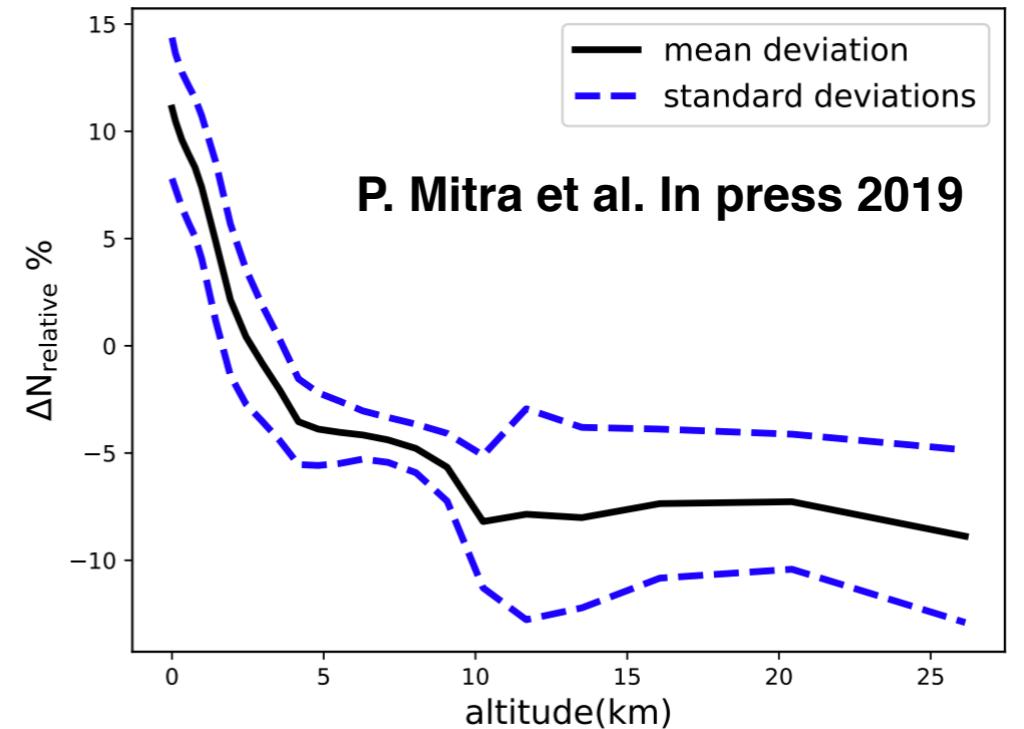
Atmospheric Corrections



- Reduce systematic uncertainties on atmospheric conditions
- Previous: use density profile to do linear correction on X_{\max}

→ **Move to realistic GDAS atm.**

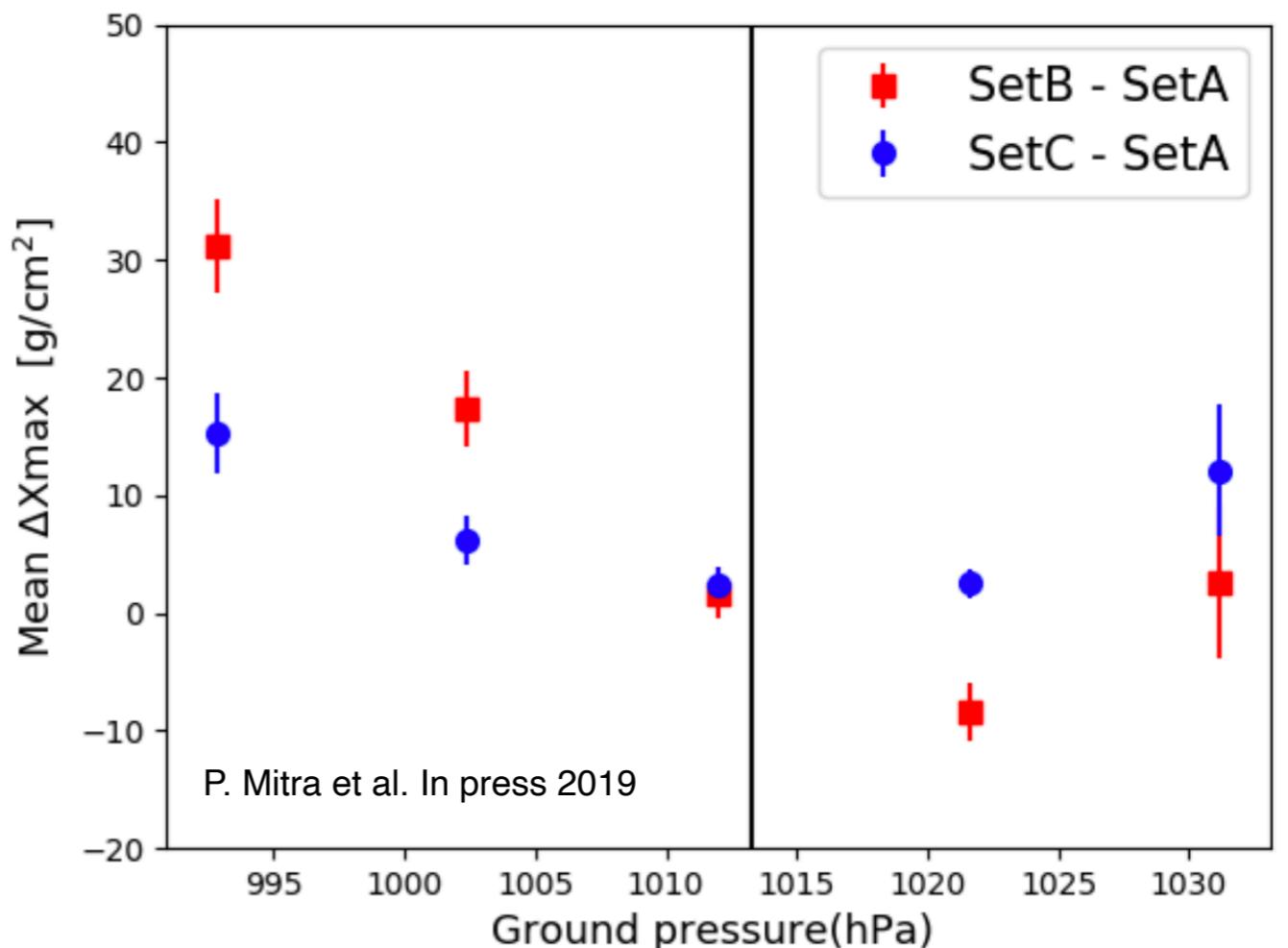
“Global Data Assimilation System”



- GDAS provides specific profiles for temperature, humidity, pressure
- Any location ($1^\circ \times 1^\circ$), time (3-hourly)

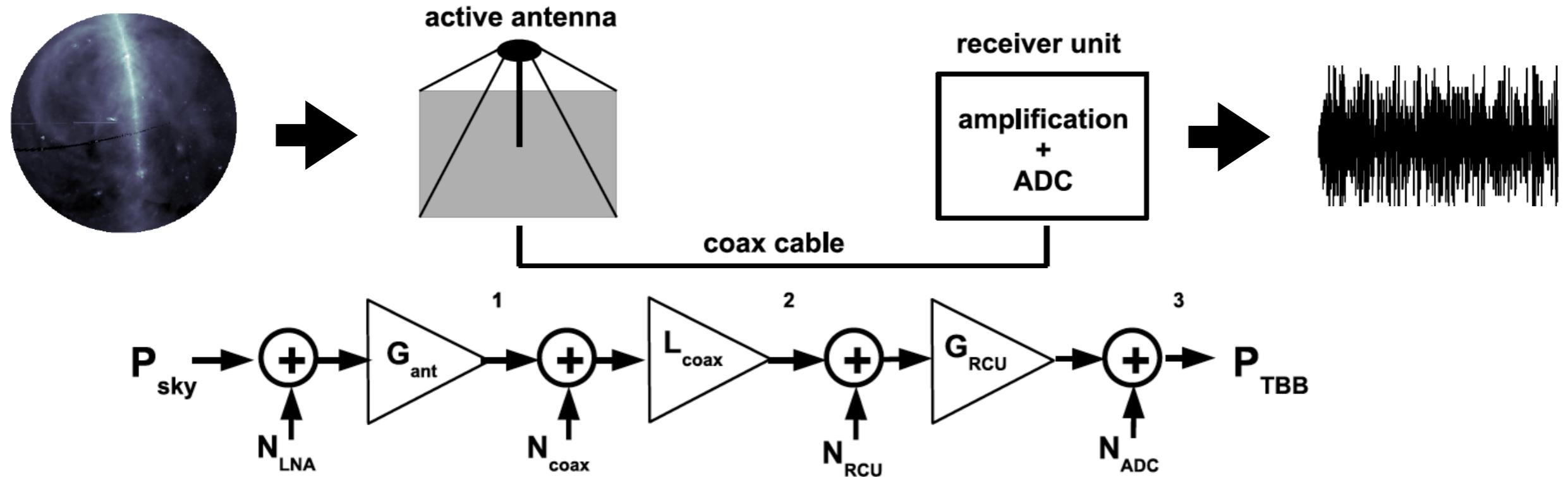
Atmospheric Corrections

- New: implement density and refractivity directly into CORSIKA/CoREAS simulations
- Available as a standard option since CORSIKA 76300
- For extreme conditions, can shift X_{\max} up to 15 g/cm²

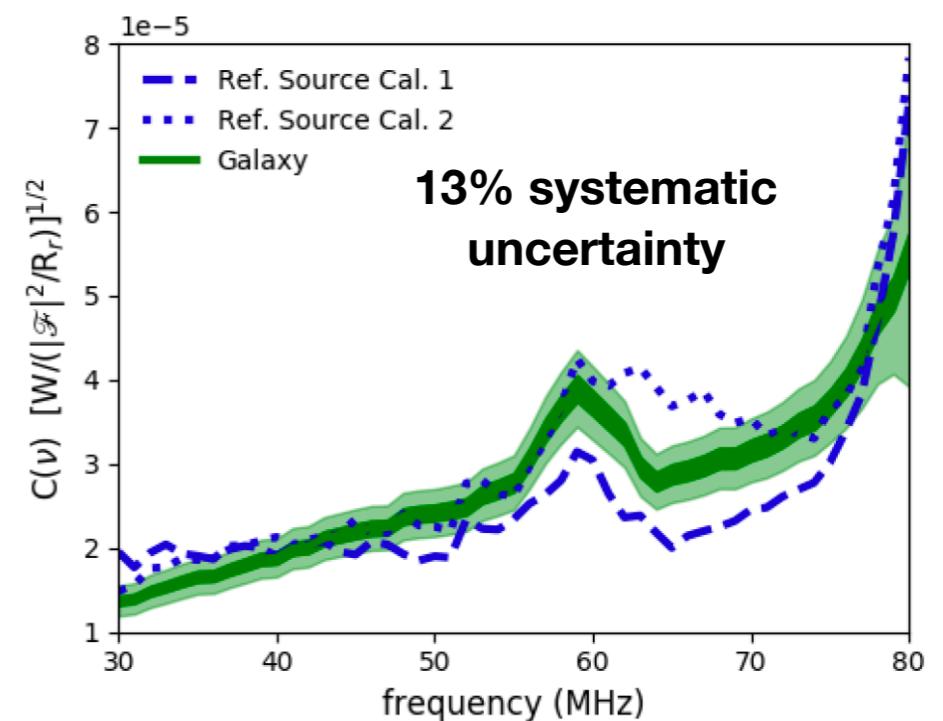


SetA: GDAS atmosphere
SetB: US Standard atmosphere
SetC: SetB + linear correction

Antenna Calibration

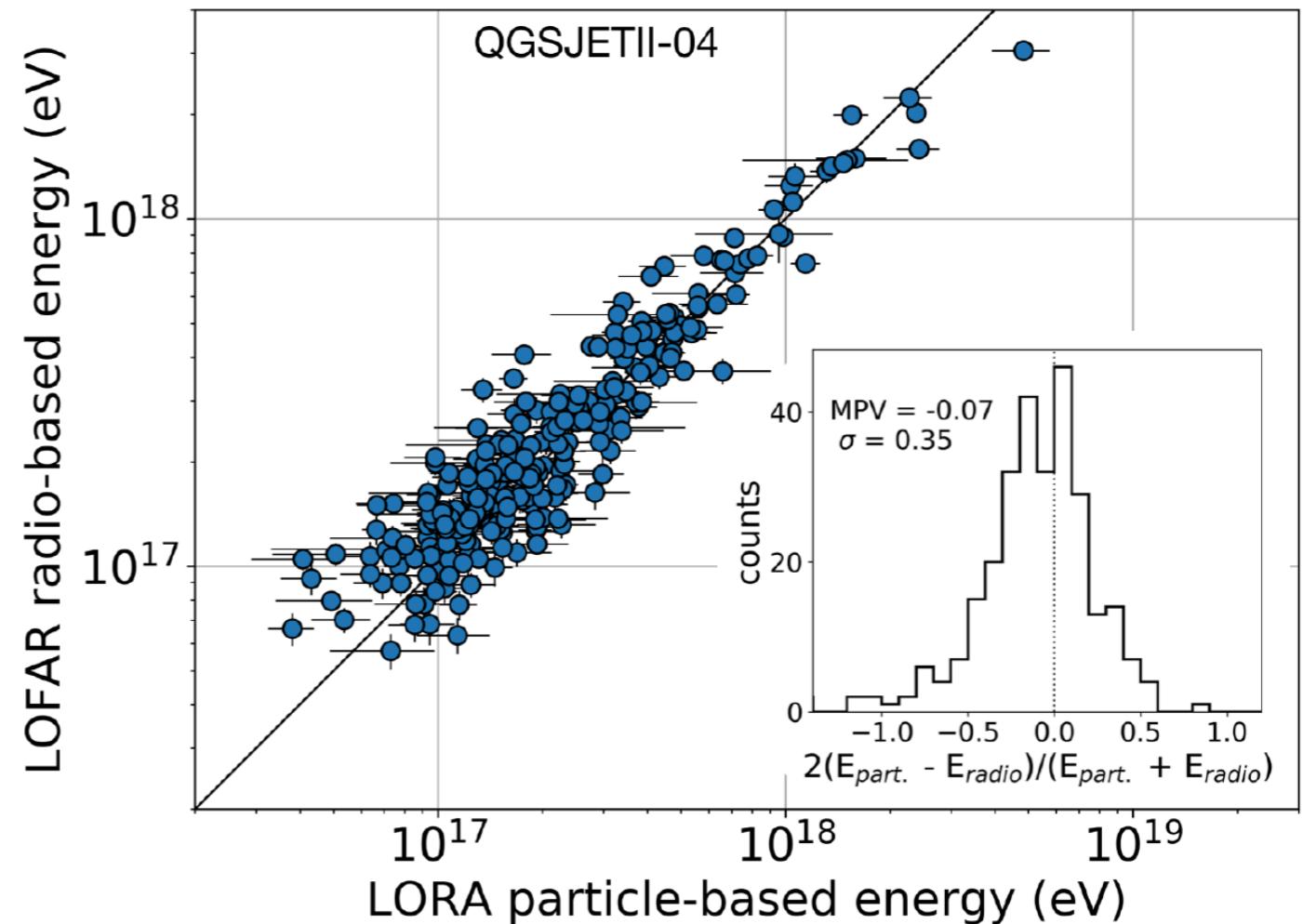
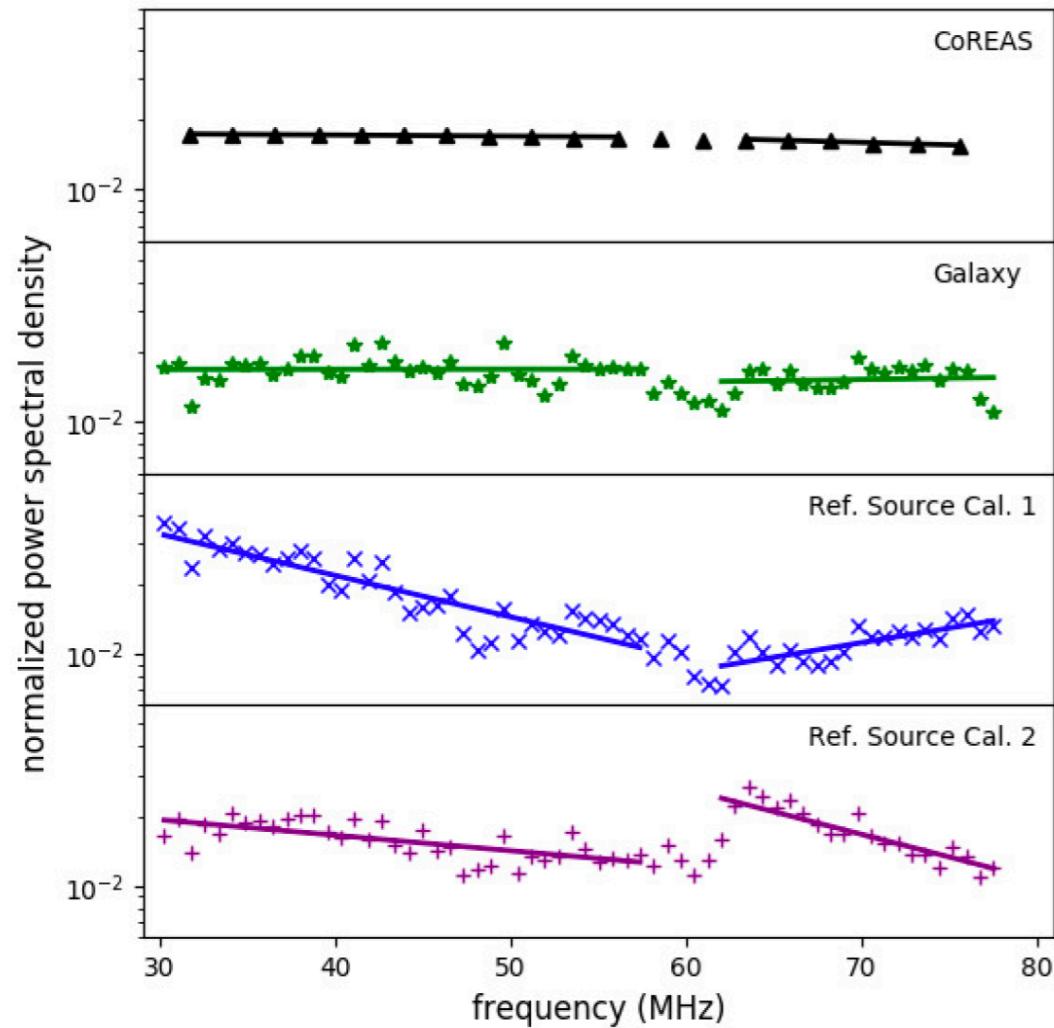


- **Antenna calibration is critical for energy measurements and spectral analyses**
- Using galactic background AND model of the signal chain allows for the determination of the amplitude calibration



K. Mulrey et al. Astropart.Phys 111 (2019) 1-11.

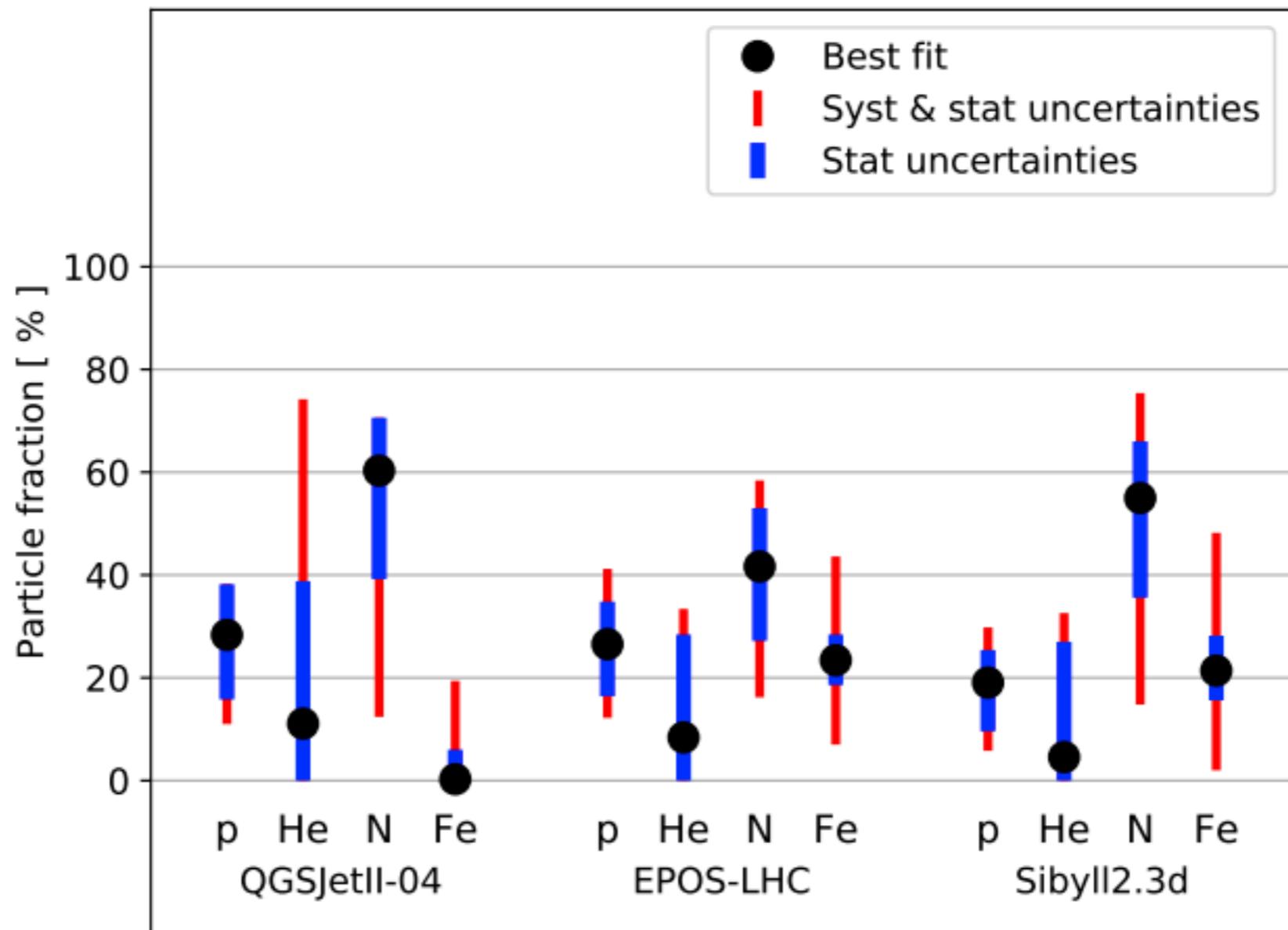
Antenna Calibration

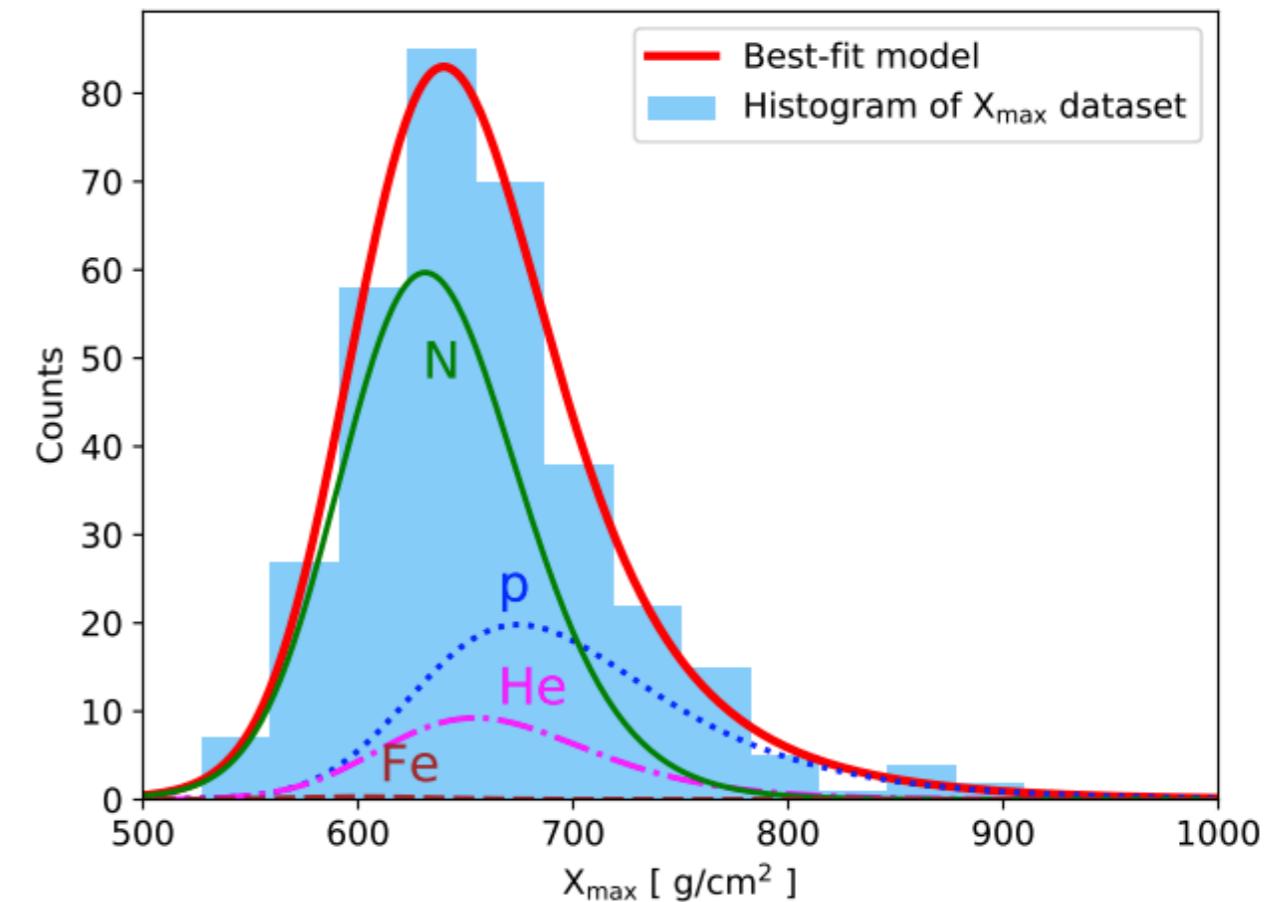
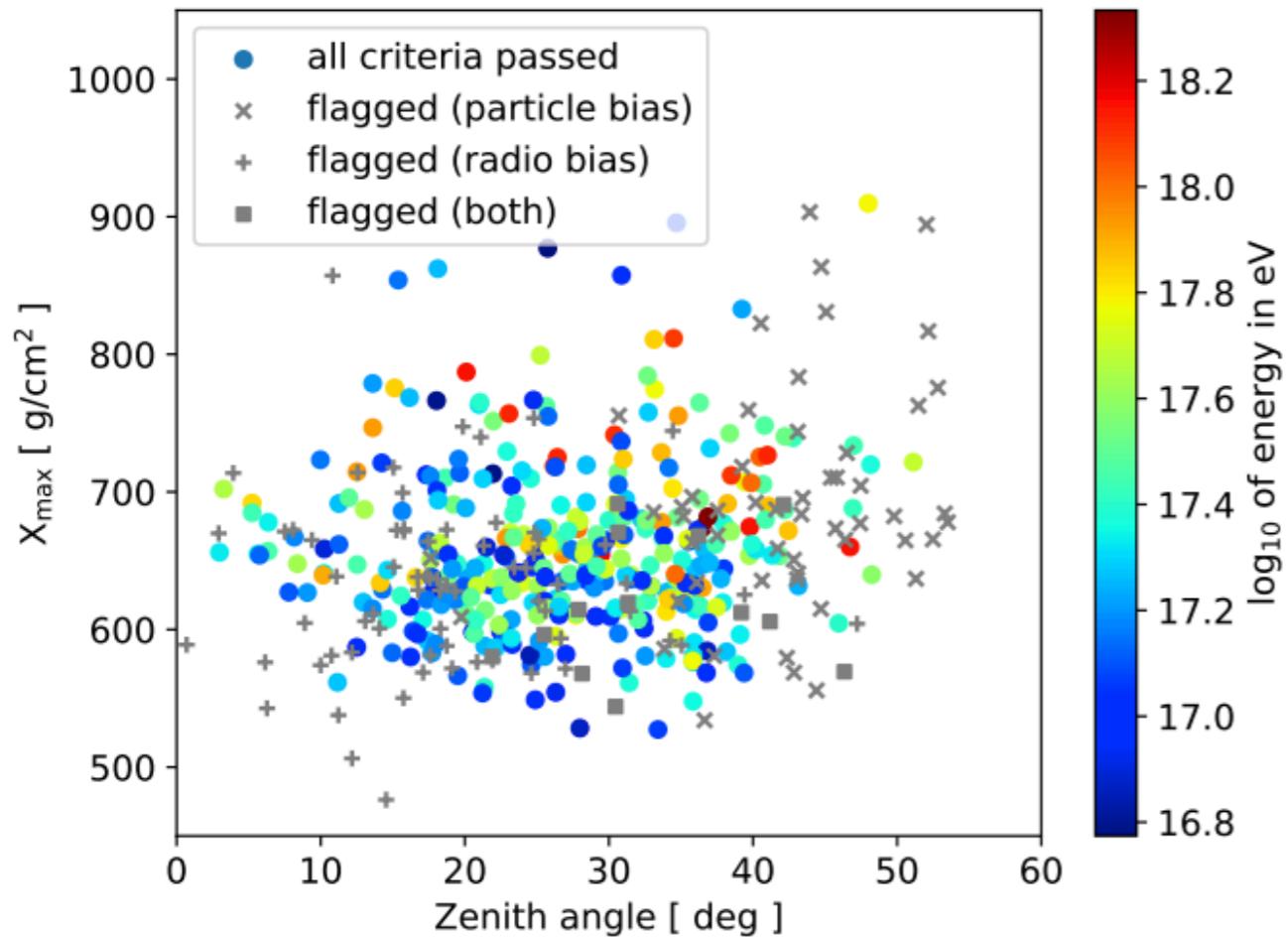


- Spectral shape shows good agreement between simulation and data

K. Mulrey et al. Astropart.Phys 111 (2019) 1-11.

Absolute calibration makes radio-based energy scale possible





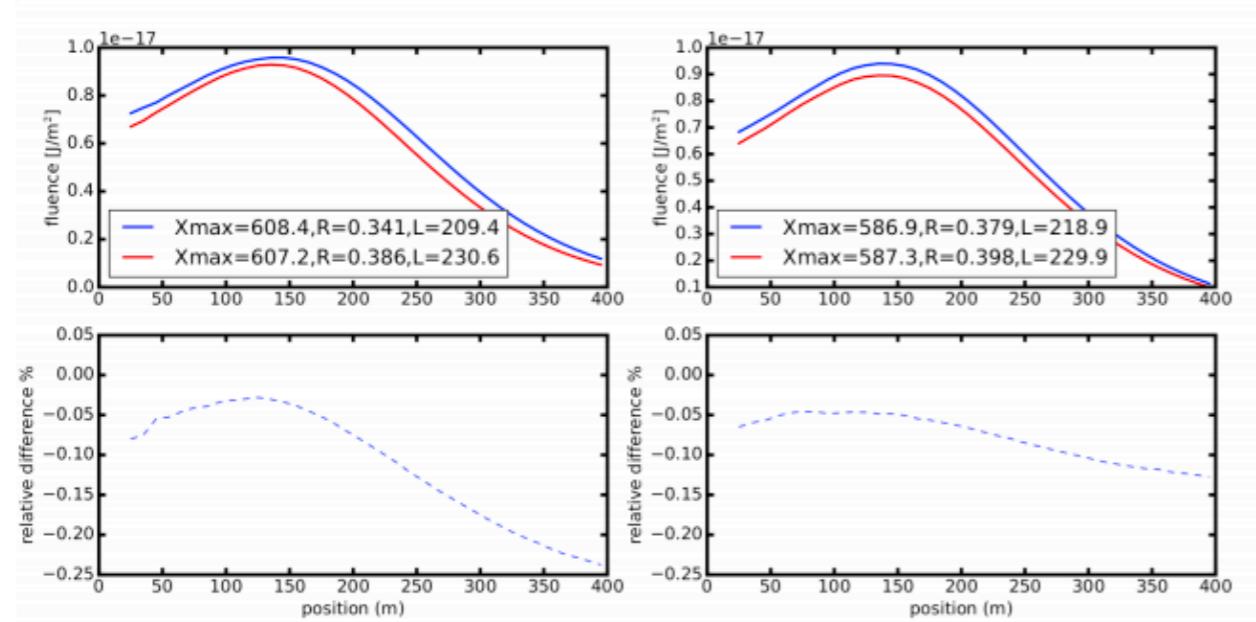


Figure 1.13: Category3: Radio fluence LDFs with similar X_{\max} , different R, L

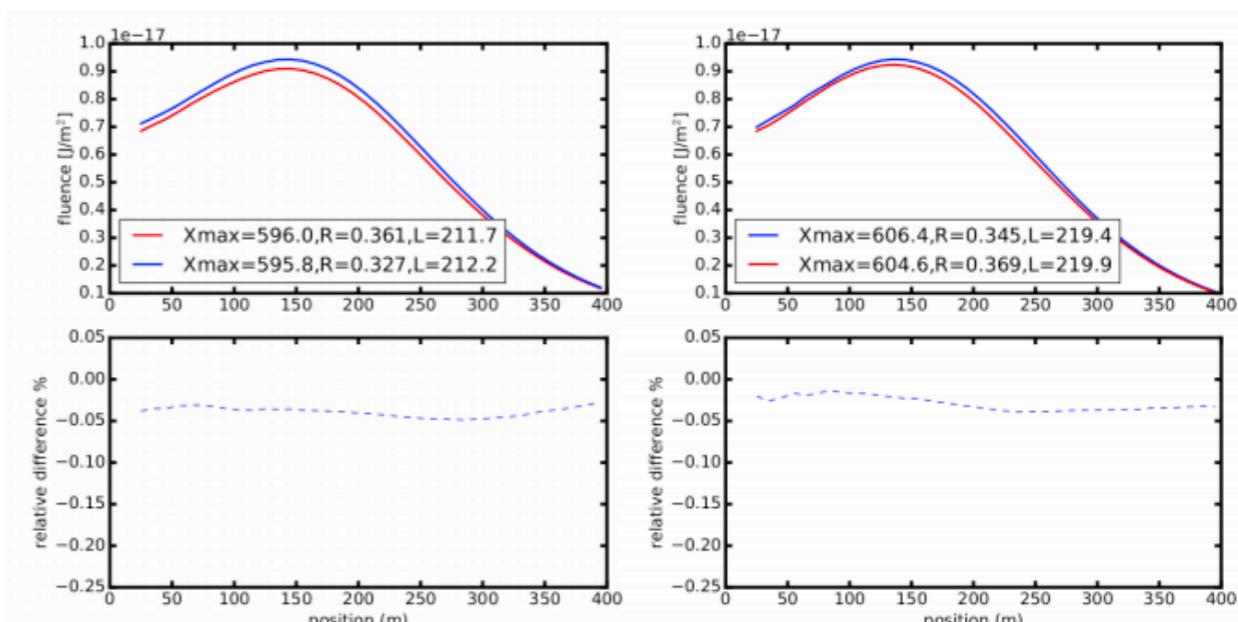
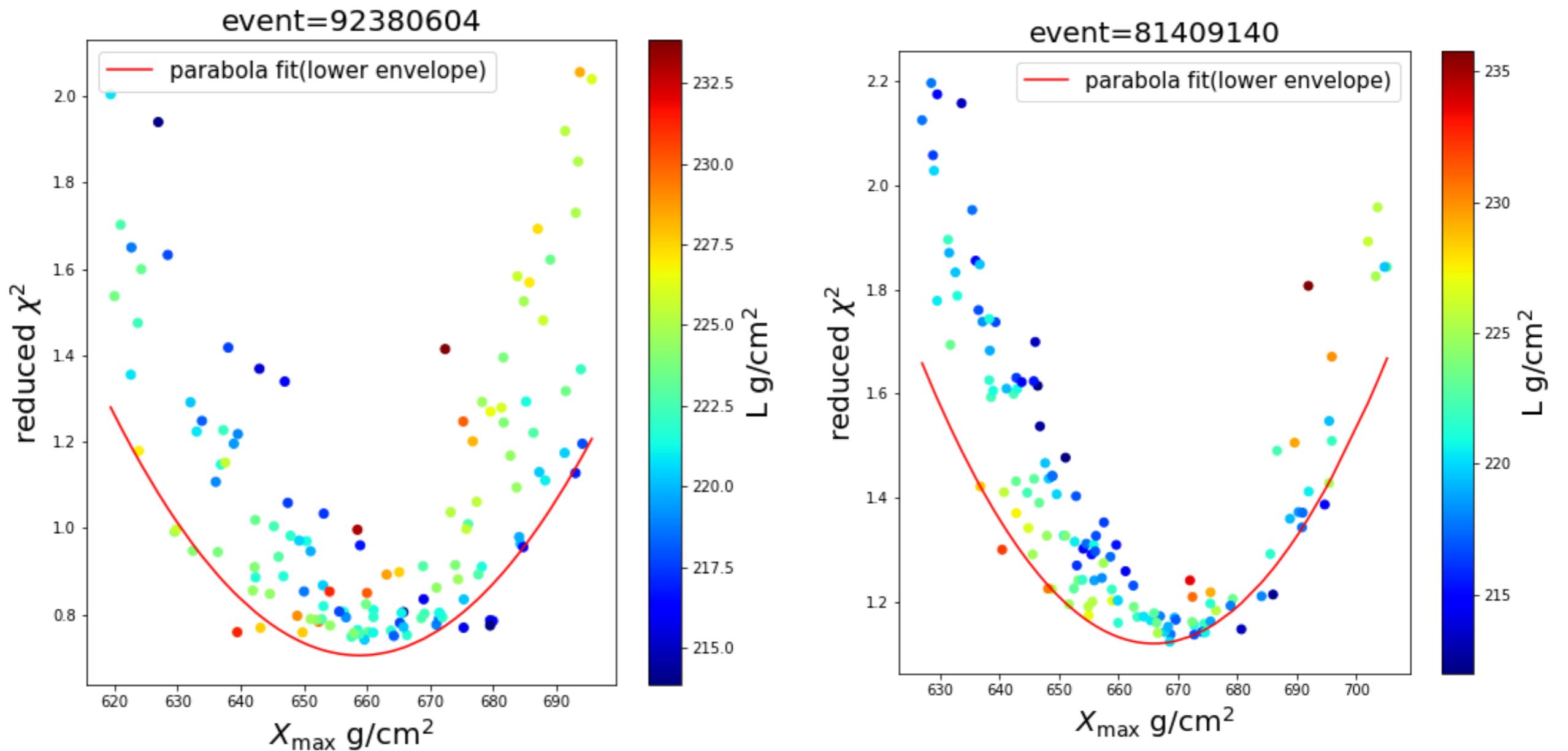


Figure 1.14: Category4: Radio fluence LDFs with similar X_{\max} , L different R



Radio-based energy uncertainties

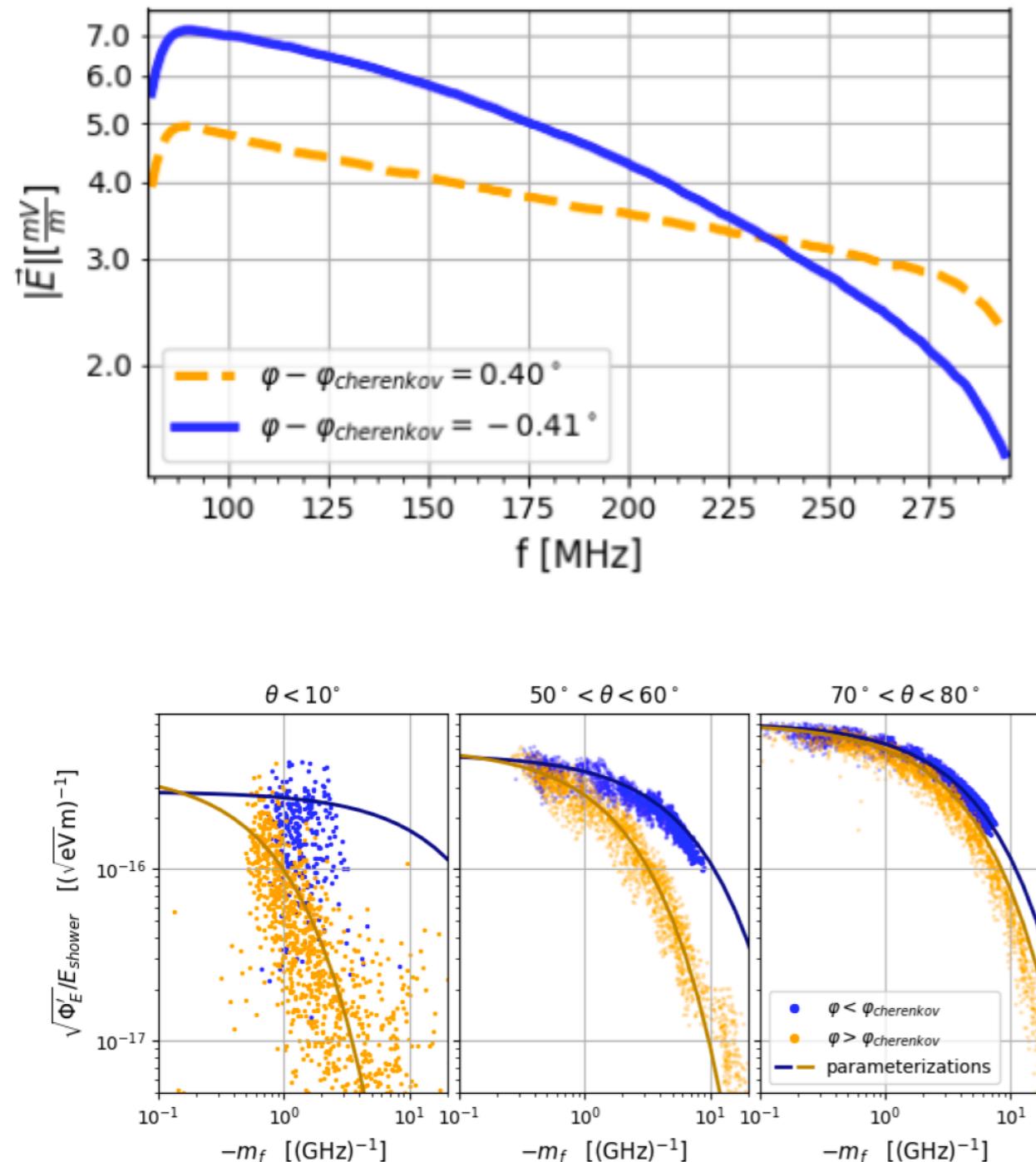
Uncertainty	Value
Event-by-event	
angular dependence of antenna model	5%
temperature dependence	negligible
reconstruction uncertainty	typically 9%
composition uncertainty	10 %
Total event-by-event	11% \oplus reconstruction uncertainty
Absolute scale	
antenna calibration and system response	13%
hadronic interaction models	3%
radio simulation method	2.6%
Total absolute scale	13.6%

Particle-based energy uncertainties

Uncertainty	Value
Event-by-event	
scintillator response variation	2.5%
reconstruction uncertainty	10 – 50%
composition uncertainty	2 – 30%
Total event-by-event	2.5% \oplus reconstruction uncertainty \oplus composition uncertainty
Absolute scale	
scintillator calibration	3%
hadronic interaction models	7%
Total absolute scale	7.6%

X_{max} uncertainties

	Syst. uncertainty	Added stat. unc.
Choice of hadronic interaction model	5 g/cm ²	
Remaining atmospheric uncertainty	~ 1 g/cm ²	~ 2 g/cm ²
Five-layer atmosphere CORSIKA	2 g/cm ²	4 g/cm ²
Possible residual bias	3.3 g/cm ²	
Curve fit for χ^2 optimum	\leq 1 g/cm ²	
Total, added in quadrature	7 g/cm ²	



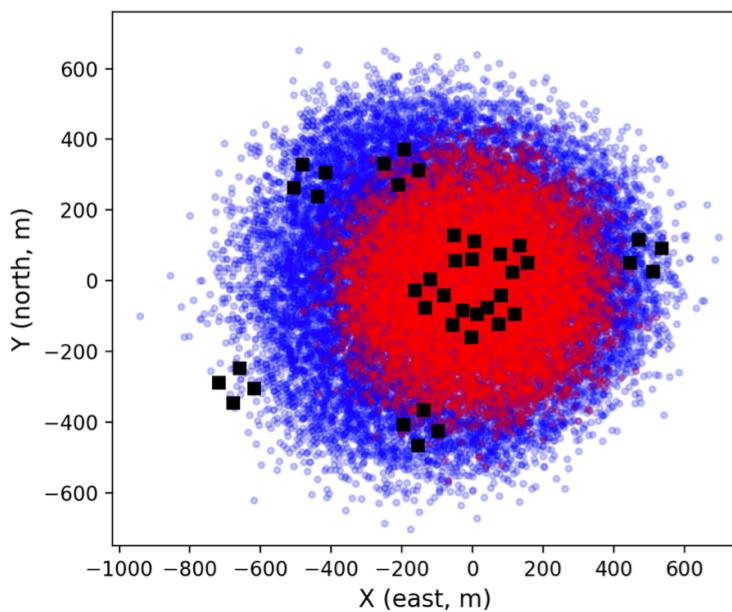
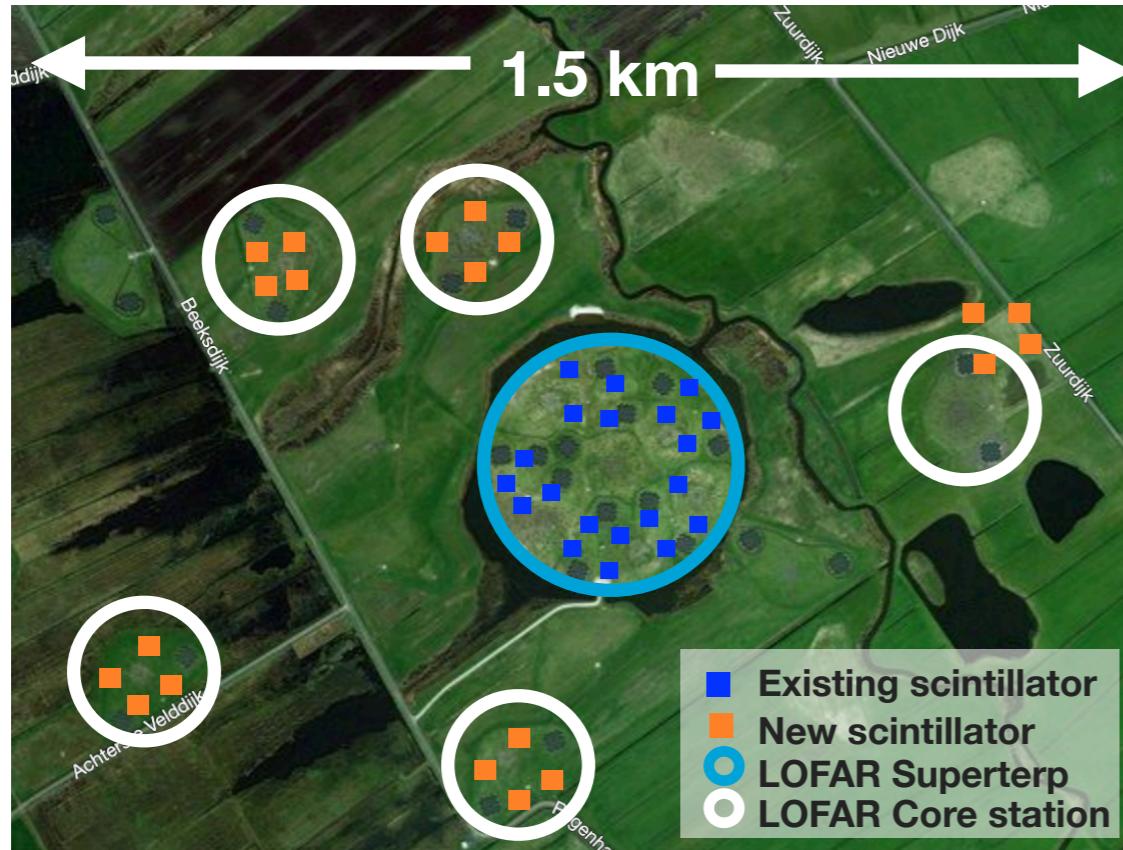
$$\begin{pmatrix} \mathcal{E}_\theta \\ \mathcal{E}_\phi \end{pmatrix} = \begin{pmatrix} A_\theta \\ A_\phi \end{pmatrix} 10^{f \cdot m_f} \exp(\Delta j)$$

Corrected radiation energy

$$\frac{\sqrt{\Phi'_E}}{E_{\text{shower}}} = A \cdot \exp(-s \cdot (|m_f| \cdot \text{GHz})^{0.8})$$

- Make use of spectral information to determine where you are w.r.t the Cherenkov cone
- Single antenna reconstruction?
- Resolution $\sim 15\%$

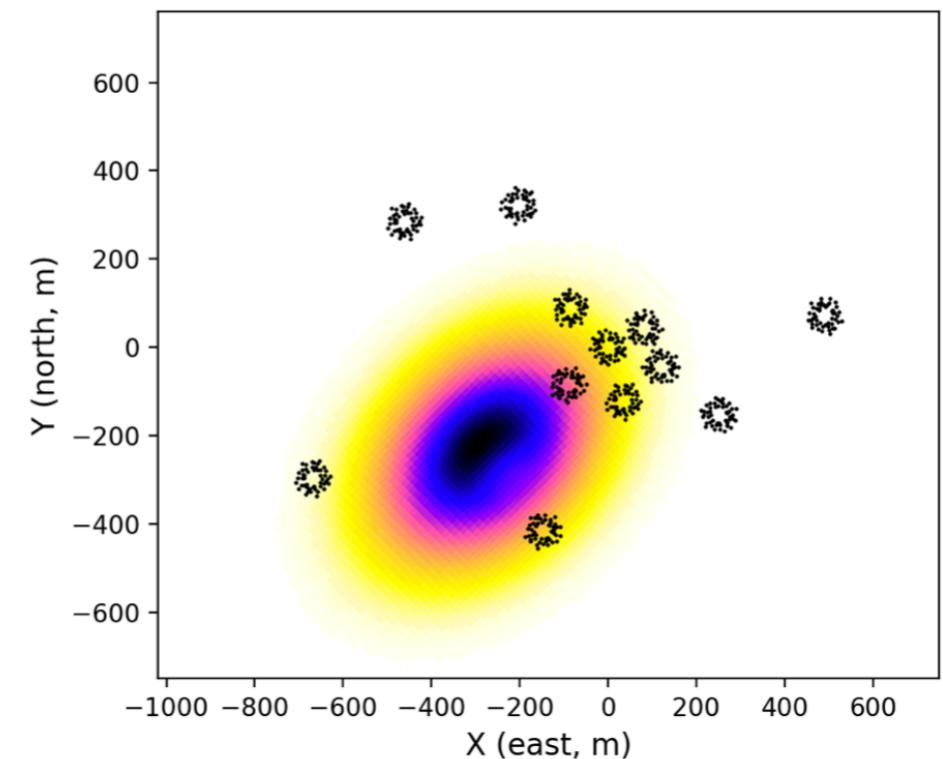
Scintillator Array Extension



Simulated core positions

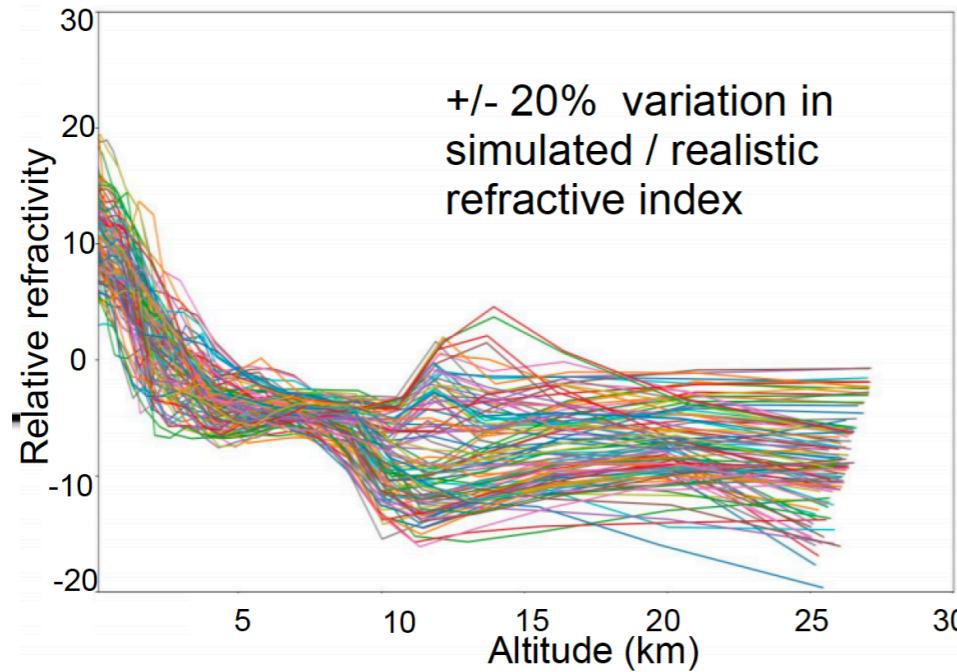
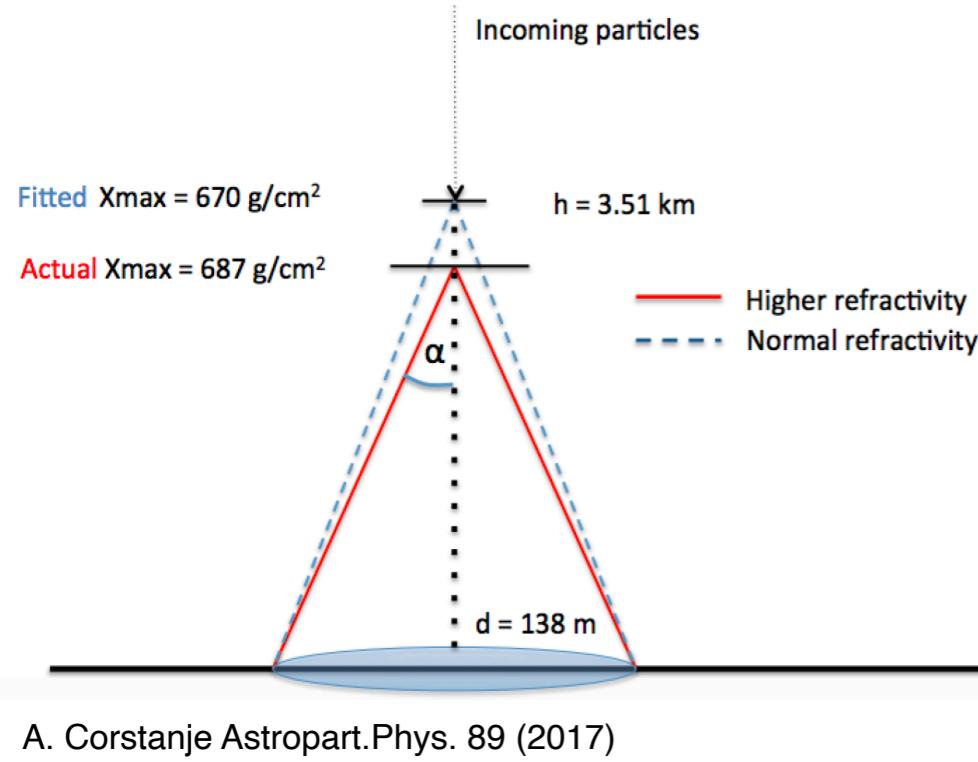
- Existing stations
- Expansion

- Current cosmic-ray trigger is based on 20 scintillators on the superterp
- Expand by adding 20 scintillators at neighboring stations

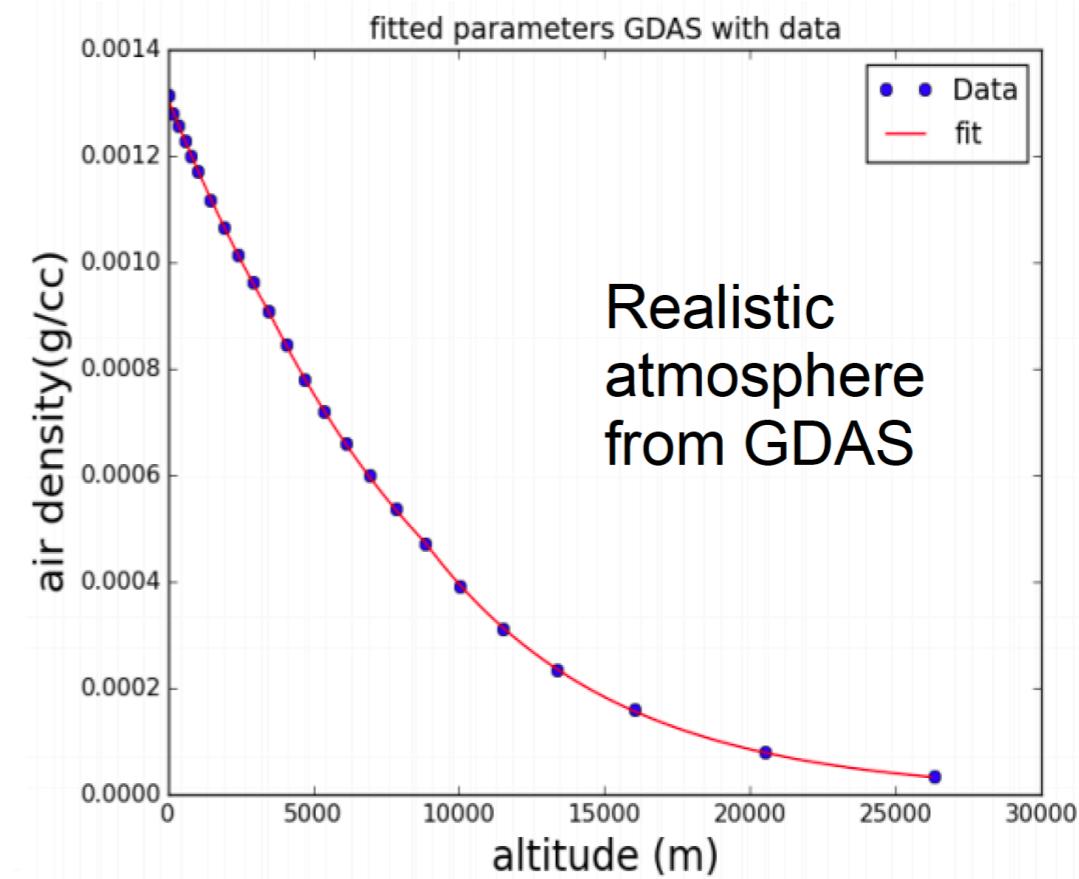


Triggering outside superterp:
Explore fringes of footprint

GDAS Atmospheric Corrections

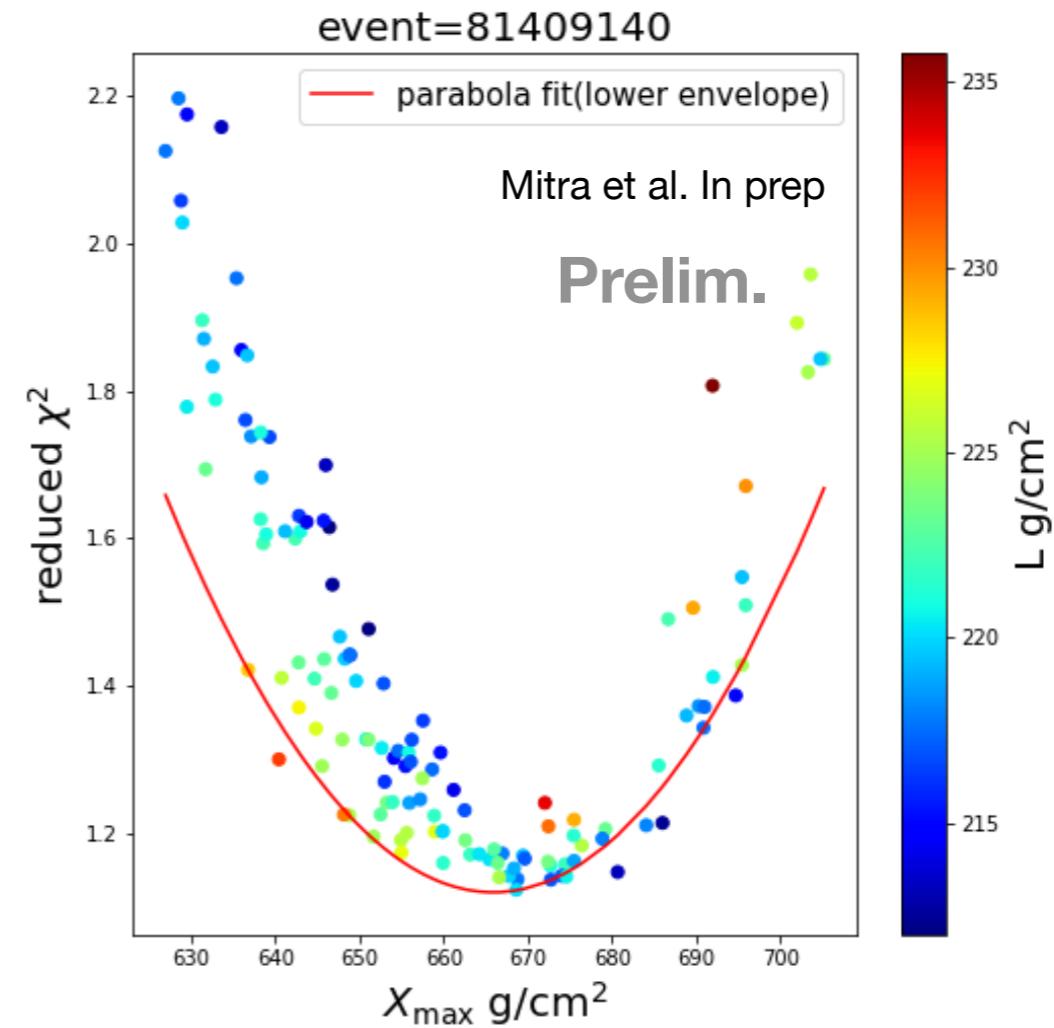
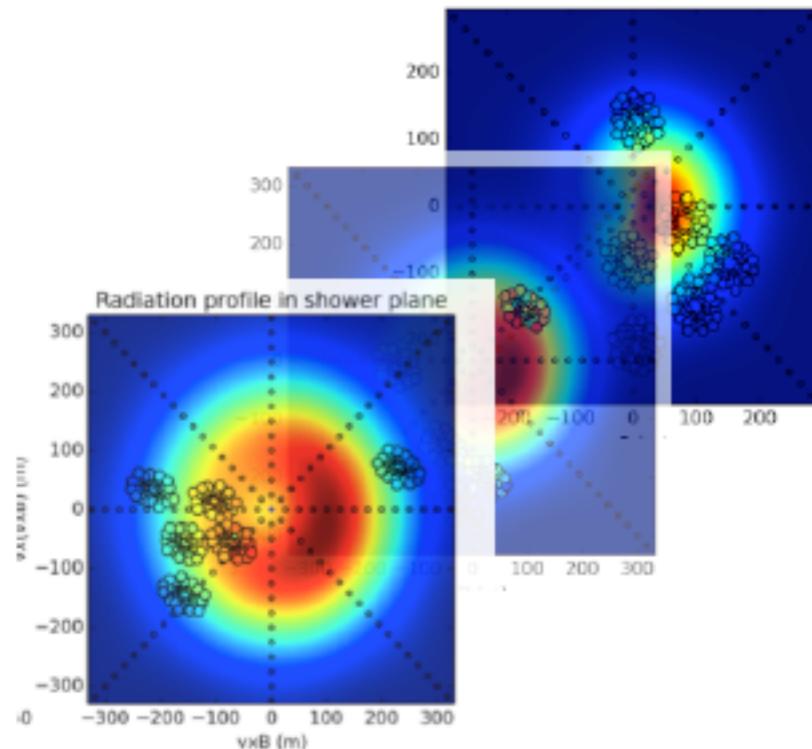


- GDAS provides atmosphere measurements (temp, humidity, pressure)
- Any location ($1^\circ \times 1^\circ$), time (3-hourly)
- Integrated into simulations
- For extreme conditions, can shift X_{\max} up to 15 g/cm^2



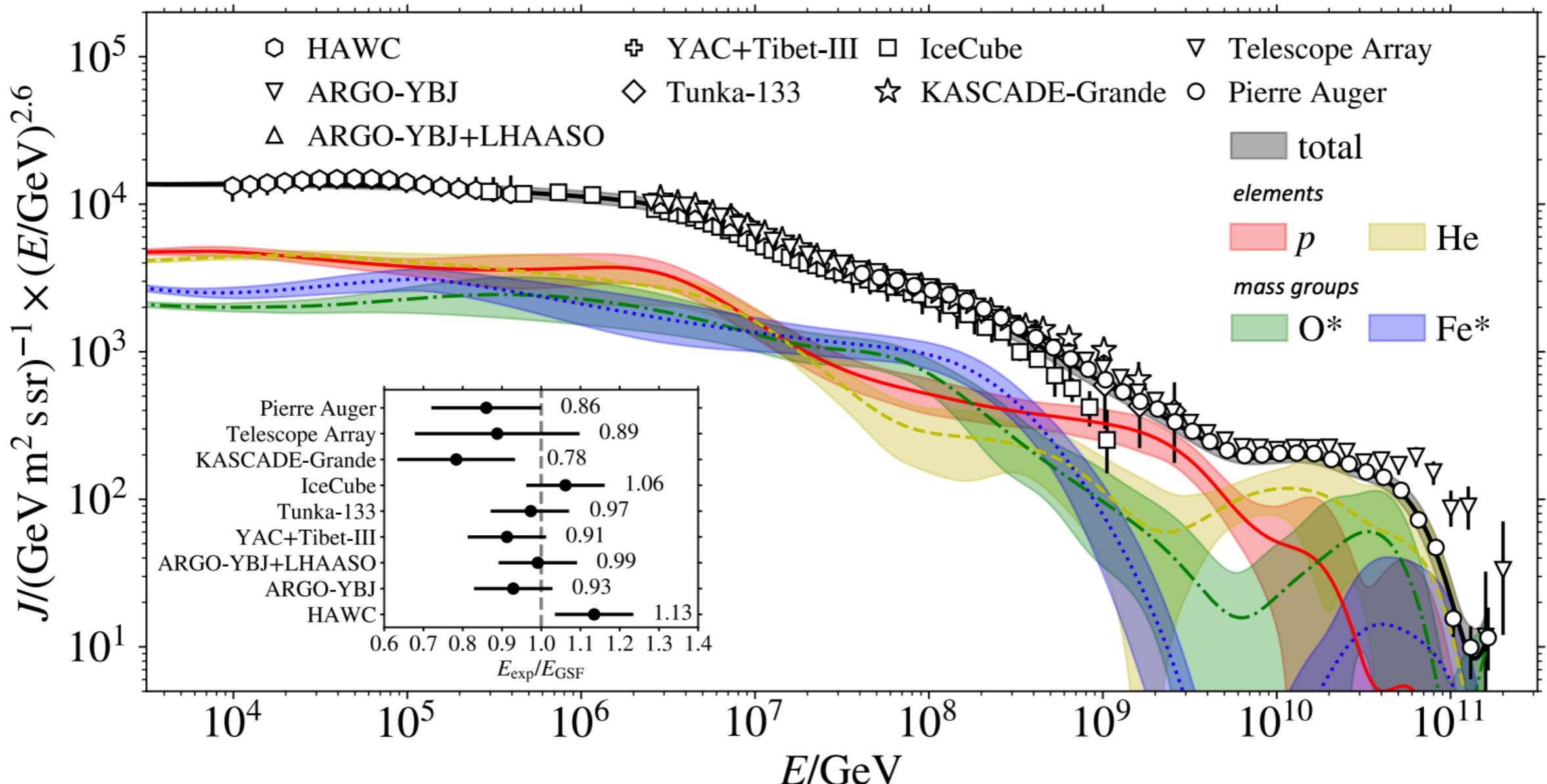
P. Mitra et al. PoS ICRC2017 (2018) 325

Beyond X_{max}



Can the composition be determined better by including L in the fit?

- Determining L requires sensitive measurements
- MC simulation-based reconstruction is limited by computation resources (MGMR3D)



H. Dembinski et al., PoS(ICRC2017)533