Observational Cosmology

- a laboratory for fundamental physics



BND School Bruessel 2013 Marek Kowalski



Outline

- 1. The standard model of cosmology
- 2. Cosmological probes & constraints
- 3. Beyond the standard model
- 4. Upcoming surveys

Part 1: The standard model of cosmology

Observation:The Universe is expandingPrinciples:Homogeneous, isotropicTheory:General Relativity

General relativity

Einstein, 1916: General Relativity



 $-8\pi G T_{\mu\nu} = R_{\mu\nu} - \frac{1}{2}g_{\mu\nu}R$ Energy Curvature

General Relativity: Gravitational bending of light



General Relativity: Gravitational bending of light



Abell 2218: A Galaxy Cluster Lens, Andrew Fruchter et al. (HST)

General Relativity: The Universe can have curvature







Hubble: The Universe is expanding!

Einstein (much later): The cosmological constant was the biggest Blunder of my life



From W. Hu





COBE, 1989-1993, Nobel prize 2006: George Smoot & John Mather



The Universe (i.e. CMB) is remarkable isotropic

COBE Map of CMB Fluctuations 2.725 K +/- \sim 30 μ K rms, 7° beam



... and homogeneous on large scales



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Friedmann, 1922

Observation:The Universe is expandingPrinciples:Homogeneous, isotropicTheory:General Relativity

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$$\Omega_M + \Omega_\Lambda + \Omega_k = 1$$

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Matter Density
Cosmological Constant/ Dark
Energy

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Curvature of the Universe & Cosmic Microwave Background (CMB)

Cobe (1989-1992)



WMAP (2001-2013)



Curvature of the Universe & Cosmic Microwave Background (CMB)



Representation of temperature map In Spherical Harmonics:

$$\frac{\Delta T}{T} = \sum_{l=2}^{\infty} \sum_{m=-l}^{m=l} a_{lm} Y_{lm}(\theta, \phi)$$

Power spectrum as a function of angular separation



Cosmic Microwave Background (CMB) & Curvature of the Universe



(Dark) Matter in the Universe



Galaxy Clusters (F. Zwicky, 1933) <u>Virial Theorem</u>:

$$E_{\rm kin} = \frac{1}{2} E_{\rm potential}$$

Visible matter can not explain high velocities!

~80% of matter must be dark

Coma: ~650 galaxies



The cosmological constant Λ

Friedmann, 1922:



 $\left(\frac{\dot{R}}{R}\right)^{2} = \frac{8\pi G}{3}\rho_{M} + \frac{\Lambda}{3}$

For a Universe without matter, $\rho_M = 0$, the solution is simple :

$$R(t) \propto e^{t\sqrt{\Lambda/3}}$$

The cosmological constant Λ



1998: Discovery of Dark Energy



Nobel prize for physics 2011









Vacuum Energy \Leftrightarrow Cosmological Constant



Vacuum energy:Before:E = 0After: $Ax\rho > 0$

Pressure (*p***)** of Vacuum energy follows with assumption of energy conservation: $Ax\rho+Axp = 0 \Rightarrow p = -\rho$

Zeldovich 1968

Х

Vacuum energy has all the properties of the Cosmological constant Λ , i.e. it has negative pressure.

Vacuum Energy

Ground-state of a scalar Quantum-field:

$$E_0 = \frac{1}{2} \sum_i \hbar \omega_i$$



Casimir effect ⇔ Energy difference

Vacuum-Energy density: (with ultraviolet cut-off k_{max})

$$\rho_{\rm vac} = \frac{1}{2} \frac{\hbar}{(2\pi)^3} \int_0^{k_{\rm max}} k d^3 k = \frac{\hbar k_{\rm max}^4}{16\pi^2}$$

However, there is a problem

graviton

Observed energy density

 $\rho_{\Lambda}^{\rm obs} \sim (10^{-12} \text{ GeV})^4 \sim 10^{-7} \text{GeV/cm}^3$

Expected energy density: $\rho \sim k_{\text{max}}^4$

Gravitation: $\rho_{\Lambda}^{Pl} \sim (M_{Planck})^4 \sim (10^{18} \text{GeV})^4 \sim 10^{113} \text{GeV/cm}^3$

SUSY: $\rho_{\Lambda}^{SUSY} \sim (M_{SUSY})^4 \sim (10^3 \text{GeV})^4 \sim 10^{53} \text{GeV/cm}^3$ Electroweak: $\rho_{\Lambda}^{EW} \sim (M_{EW})^4 \sim (246 \text{ GeV})^4 \sim 10^{51} \text{GeV/cm}^3$

Fundamental Problems of Vacuum Energy/Cosmological Constant:



time

The standard model of cosmology: ACDM

Ingredients of ΛCDM:

- Cold Dark Matter
- Cosmological constant
- Baryons
- 3 light neutrino flavors
- Ampl. of primord. fluctuations
- Index of power spectrum


The standard model of cosmology: ACDM

Beyond the standard model:

- Non-Λ dark energy
- Hot dark matter,
 e.g. massive neutrinos
- Additional relativistic species,
 e.g extra neutrino species
- Tensor perturbations
 & running spectral index
 ⇒ physics of inflation



Part 2.

Cosmological probes & constraints Selected new results





WMAP





New ground based data from: South Pole Telescope (SPT) & Atacama Cosmology Telescope (ACT)







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Galaxy Clusters



Picture credit: ESA

First science results of Planck (A&A, 2011)

Counting Galaxy Clusters



Vikhlinin et al. ApJ, 2009

Upcoming surveys: eROSITA, DES, ...

Distant Type la Supernovae



Supernova Type la

 \Rightarrow White dwarf in binary system

- ⇒Mass transfer up to "critical" Chandrasekhar mass of 1.4 M_☉
- \Rightarrow Thermonuclear explosion
- \Rightarrow Explosion of similar energies
- \Rightarrow Visible in cosmic distances



SNe la as "standard" Candles



- Nearby supernovae used to study SNe light curve (z<0.1)
- Intrinsically brighter SNe have wider lightcurves.

Stretching the timescale: $t' = s \times t$ Correcting the brightness $M' = M + \alpha (s - 1)$



weak deflagration strong detonation





strong deflagration weak detonation

Kasen, Roepke, Woosley, Nature 2009

Simulation of the width-brightness relation

Kasen, Roepke, Woosley, Nature 2009



Observational

SNe la Hubble Diagram



SNe la Hubble Diagram



SNe at large Redshifts (z>1)

SN 1997cj



Twin Keck telescopes on Mauna Kea.

HST Survey of Clusters with $z \ge 1$



Cycle 14, 219 orbits (PI S. Perlmutter) 24 clusters from RCS, RDCS, IRAC, XMM

Survey of z>0.9 galaxy clusters \Rightarrow SNe from cluster & field \Rightarrow about 2 x more efficient \Rightarrow enhencement of early hosts \Rightarrow 20 new HST SNe \Rightarrow 10 high quality z>1 SNe!





Supernova Cosmology Project Suzuki et al., 2011

HST Survey of Clusters with $z \ge 1$







Baryon Acoustic Oscillation

Acoustic "oscillation" lengh scale from CMB visible in the distribution of galaxies \Rightarrow Standard ruler of cosmology.



WiggleZ survey – Blake et al, 2011

Baryon Acoustic Oscillation

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Cosmological parameters



SNe (Union 2.1, Suzuki et. al, 2011) BAO (Percival et. al, 2010) CMB (WMAP-7 year data, 2010)

$$\Omega_{\Lambda} = 0.729 \pm 0.014$$

and allowing for curvature:

 $\Omega_k = 0.002 \pm 0.005$

Dark Energy



Equation of state: *p=wp*

Constant w: *w*=-0.995±0.078

Dark Energy





Equation of state: *p=wp*

Constant w: *w*=-0.951±0.078

Redshift dependent w: $w(a)=w_0+(1-a) \ge w_a$ $W_a = 0.14\pm0.68$

No deviation from w=-1 (i.e. Λ)

Redshift dependent EOS

Assuming step-wise constant w:



Part 3. Moving beyond ΛCDM

Part 3. Moving beyond ΛCDM - **Dark Energy**

Many models to explain cosmic acceleration exist ... but none without difficulties.

Menu of possibilities:

1. Quantum Vacuum Energy (static)

+ it exists!

- 60-120 orders of magnitude to large

2. Quintessence (dynamic)

+ Solves "why now" problem, connects to inflation?

- "smallness" problem persists, small coupling

3. Modification of gravity (hence, no dark energy)

- + no Dark Energy
- Gravitation in solar system well understood

Braneworld Cosmology



Large extra dimensions

can solve the hierarchy problem of particle physics... (e.g. unification of forces) Randall & Sundrum Arkani-Hamed, Dimopoulos, Dvali

...and will weaken Gravity at large distances (Dvali, Gabadadze, Porrati - DGP)

 \Rightarrow apparent acceleration

Braneworld Cosmology



D. Rubin, E. Linder, MK, et al, 2009

Quintessence Example: Growing Neutrinos

Scalar field couples to massive neutrinos

Once neutrinos become subrelativistic, one obtains Λ -like behavior.

Today: Massive neutrinos and deviation from *w* =-1

$$w_0 = -1 + \frac{m_{\nu,0}}{12 \text{ eV}}$$

C. Wetterich (2007), L Amendola et al. (2007),



Quintessence Example: Growing Neutrinos



Lab constraints: $m_v \le 2 \text{ eV}$ Katrin sensitivity: $m_v \le 0.2 \text{ eV}$ v-oszillations: $m_v \ge 0.05 \text{ eV}$

> D.Rubin, E. Linder, MK et al., (2009)

Antrophic principle & cosmological constant



Steven Weinberg, 1987

Once the cosmological constant dominates the energy budget, the Universe inflates and struture will stop forming.

Oldest galaxies formed when the Universe was about 1/10 of its current scale the matter density was 10³ larger then it was today:

 $\Rightarrow \rho_{\Lambda} / \rho_{\rm m} < 10^3$
Antrophic principle & cosmological constant



Steven Weinberg, 1987

$$-10^3 < \rho_{\Lambda} / \rho_{\rm m} < 10^3$$

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Galaxies & stars need time to form, the Universe shouldn't collapse before.

Part 3. Moving beyond ΛCDM - Inflation

Constraints on Inflation parameters

e.g. Chaotic Inflation (Linde, 1983)

 $V(\phi) = \lambda \phi^{\nu}$

Power spectrum of curvature perturbations



 $\Delta_R^2(k) \propto \left(\frac{k}{k_0}\right)^{n_s - 1}$

Constraints on Inflation parameters



Planck 2013

Part 3. Moving beyond ΛCDM - extra relativistic species

Number of relativistic species (neutrinos!)

CMB (& Baryon Nucleosynthesis) sensitive to number of neutrino species N_{eff}



Planck+BAO: N_{eff} = 3.32±0.52 (95% CL)

Observational cosmology - Kowalski

Neutrino mass from CMB & large scale structure

Damping of correlation power due to free streaming at epoch of radiation-matter equality:

$$\left(\frac{\Delta P}{P}\right) \approx -0.8 \left(\frac{\sum m_v}{1 \text{ eV}}\right) \left(\frac{0.1}{\Omega_{\text{m}}h^2}\right)$$



Combination of CMB+BAO:

$$\sum m_v < 0.3 \text{ eV} (95\% \text{CL})$$

Planck (2013)

Part 4. Observing the future



Future projects for Dark Energy





Project	z-range	# SNe
Current	0-1.5	580
LSST (2020)	0.1-0.9	~10 ⁶
Euclid (2020)	0.9-2.0	~2000

Other important future methods: ✓Weak lensing

- ✓ Cluster rates
- ✓ Baryon acoustic osciallation

The Large Synoptic Survey Telescope



Summary

- Cosmology today is about precision
- Multiple probes for highest sensitivity
- ΛCDM looks strong so far despite interpretational problems with dark energy
- Many new surveys committed, hence significant progress expected!

The end